



# The Emerging QCD Frontier: The *E*lectron *I*on *C*ollider

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*Quark Matter '08*  
February 9, 2008

EIC on the web: <http://web.mit.edu/eicc>



# The Glue That Binds Us All

$$L_{QCD} = \bar{q}(i\gamma^\mu \partial_\mu - m)q - g(\bar{q}\gamma^\mu T_a q)A_\mu^a - \frac{1}{4}G_{\mu\nu}^a G_a^{\mu\nu}$$

- **“Emergent” Phenomena not evident from Lagrangian**
  - Asymptotic Freedom & Color Confinement

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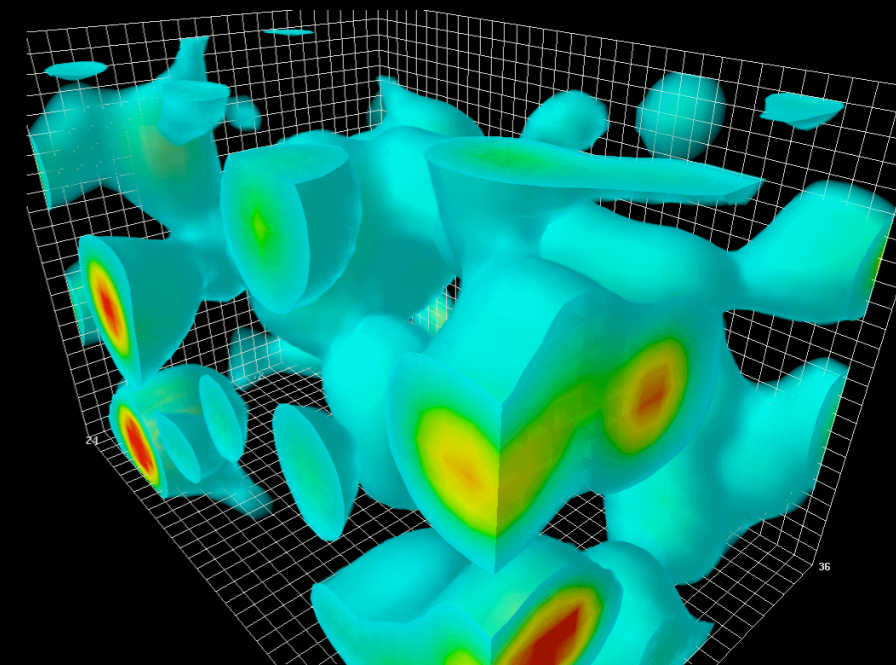
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- **Gluons**

- Determine essential features of QCD
- Dominate structure of QCD vacuum



Action ( $\sim$ energy) density fluctuations of gluon-fields in QCD vacuum ( $2.4 \times 2.4 \times 3.6$  fm)  
(Derek Leinweber)

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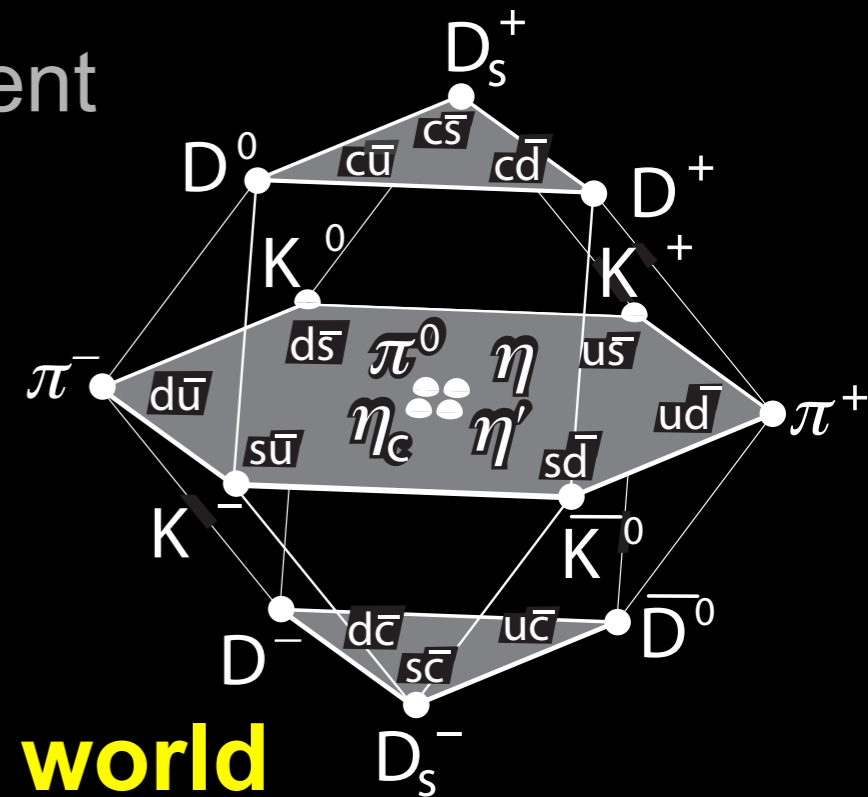
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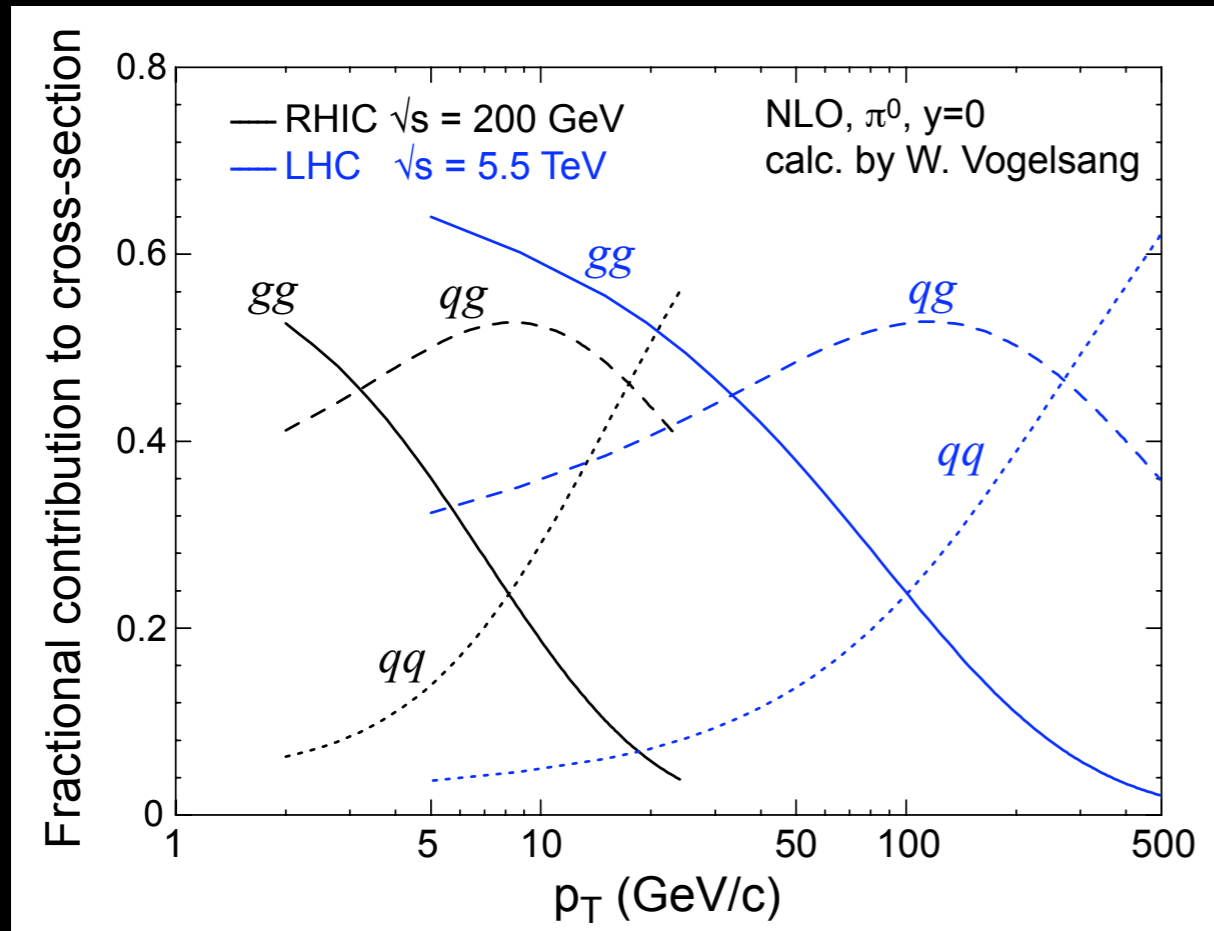
- **Hard to “see” glue in the low-energy world**

- Gluon degrees of freedom “missing” in hadronic spectrum
- Drive the structure of baryonic matter already at medium-x
- Crucial players at RHIC and LHC

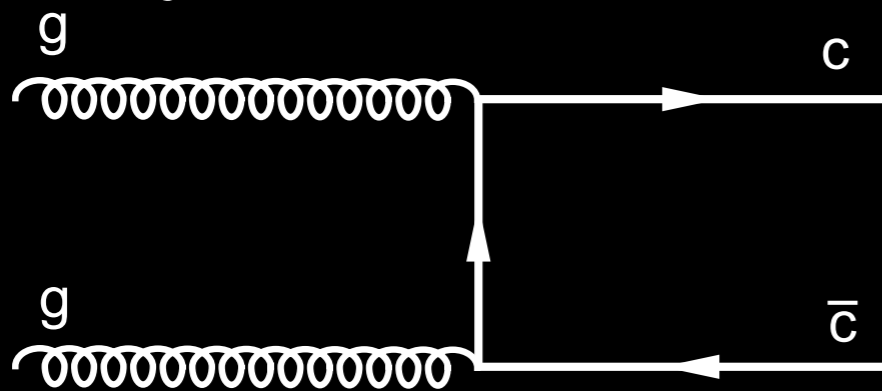


# Role of Glue in Heavy-Ions

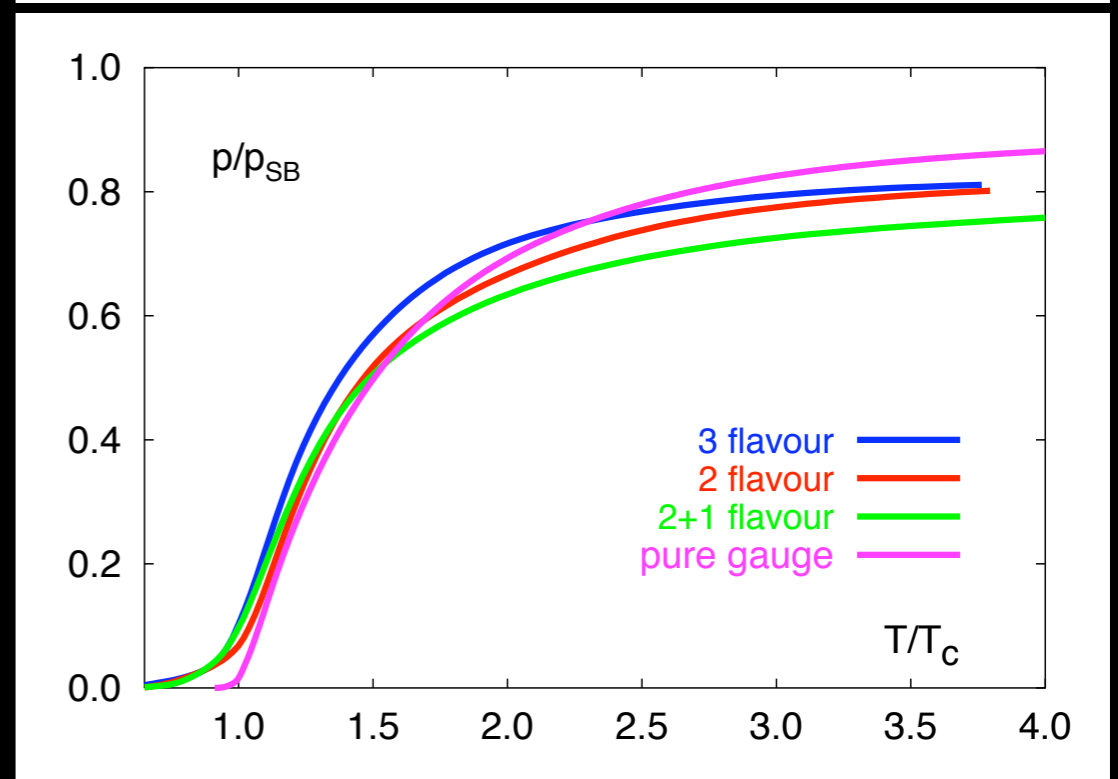
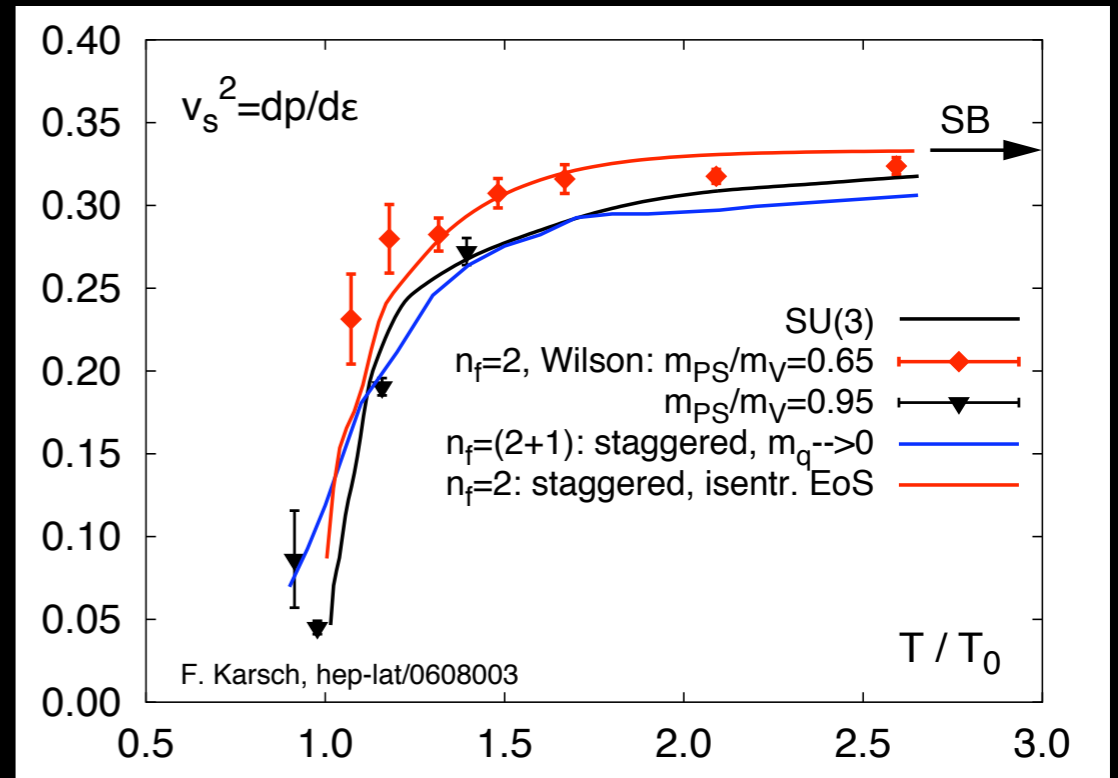
## Jets ( $\pi^0$ ) Production



## Heavy Flavor Production

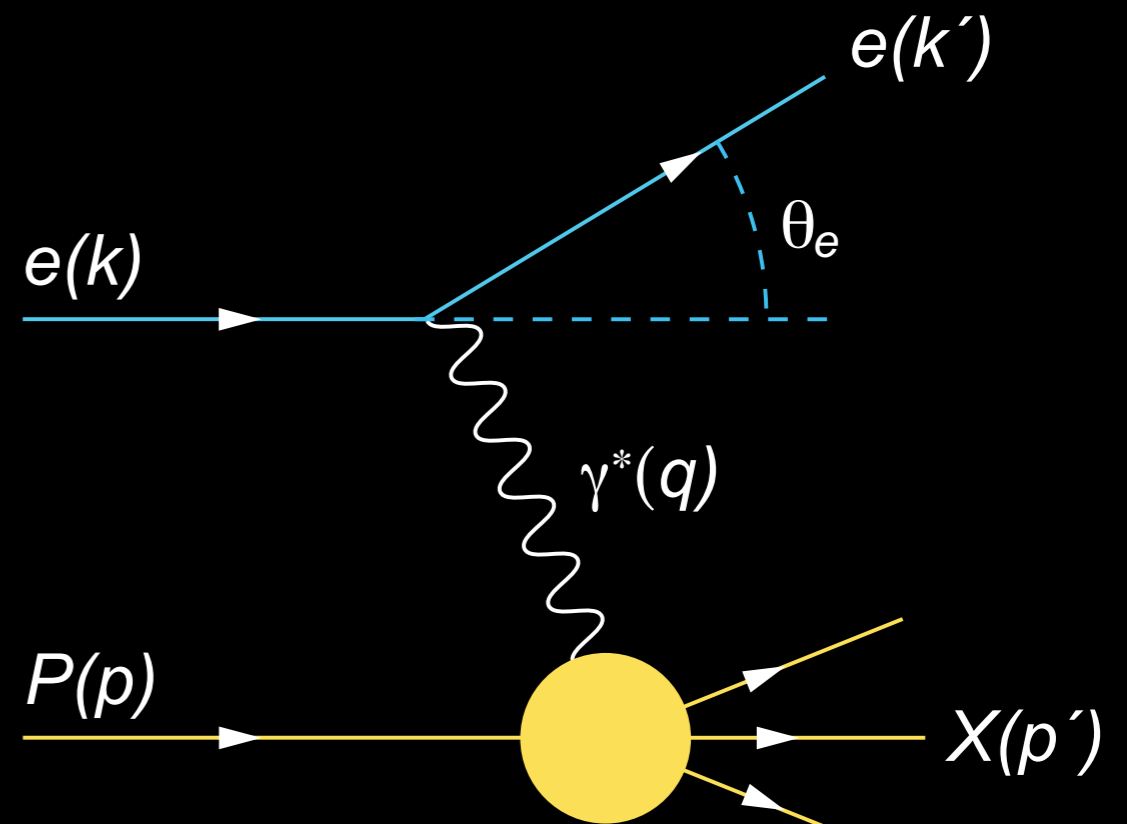
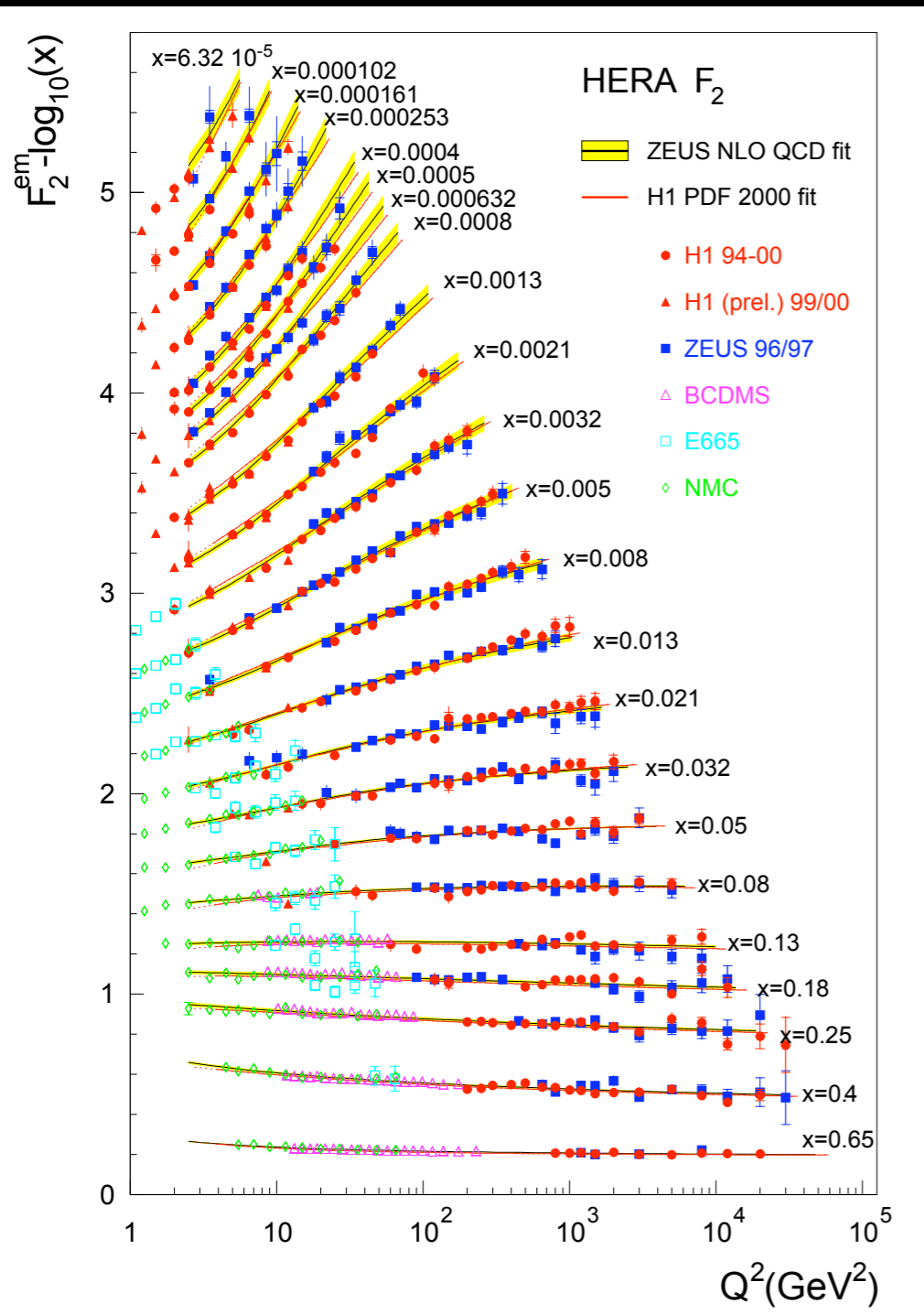


## Lattice



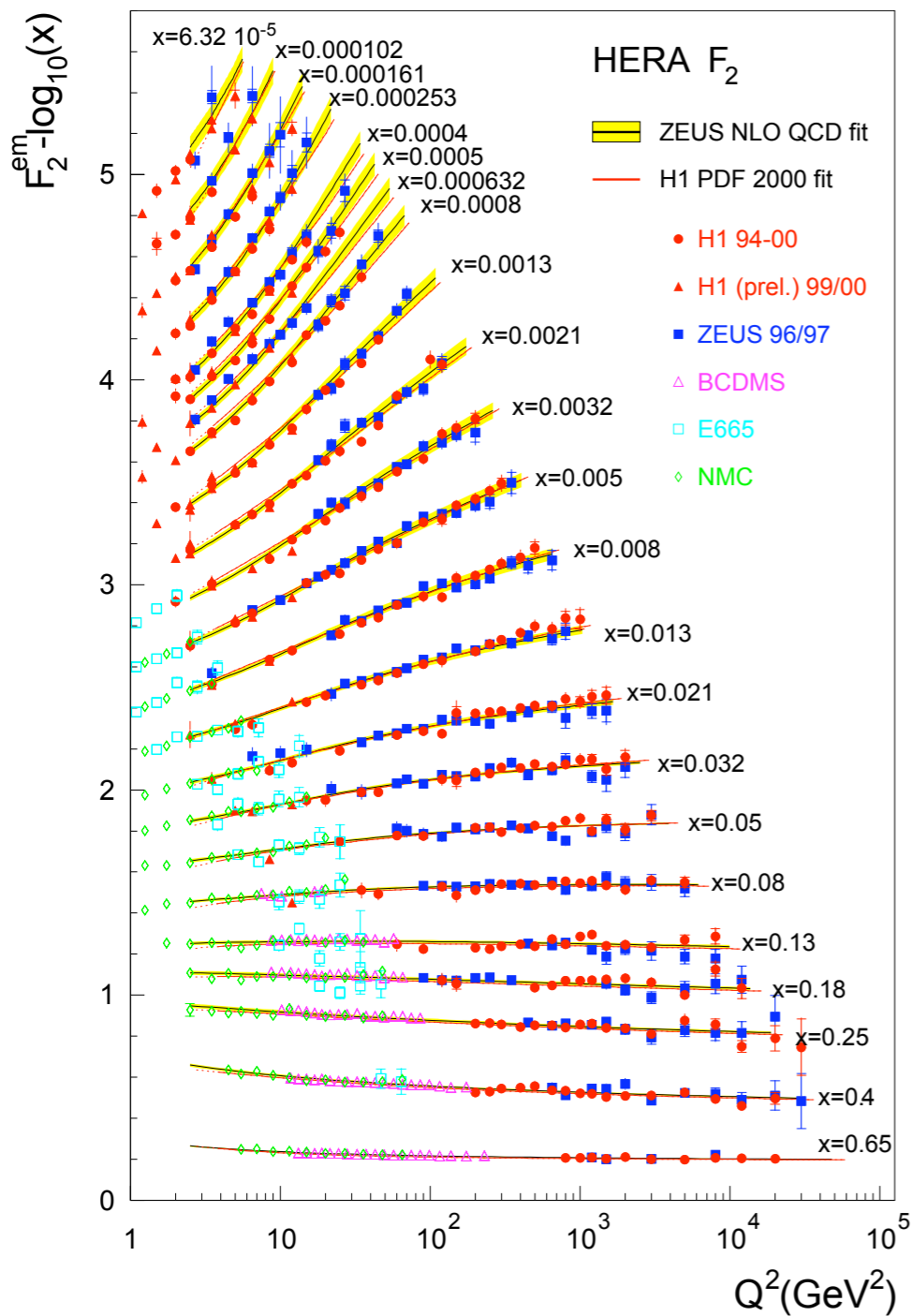
# How to Measure Glue ?

$$\frac{d^2\sigma^{ep\rightarrow eX}}{dx dQ^2} = \frac{4\pi\alpha_{e.m.}^2}{xQ^4} \left[ \left(1 - y + \frac{y^2}{2}\right) F_2(x, Q^2) - \frac{y^2}{2} F_L(x, Q^2) \right].$$

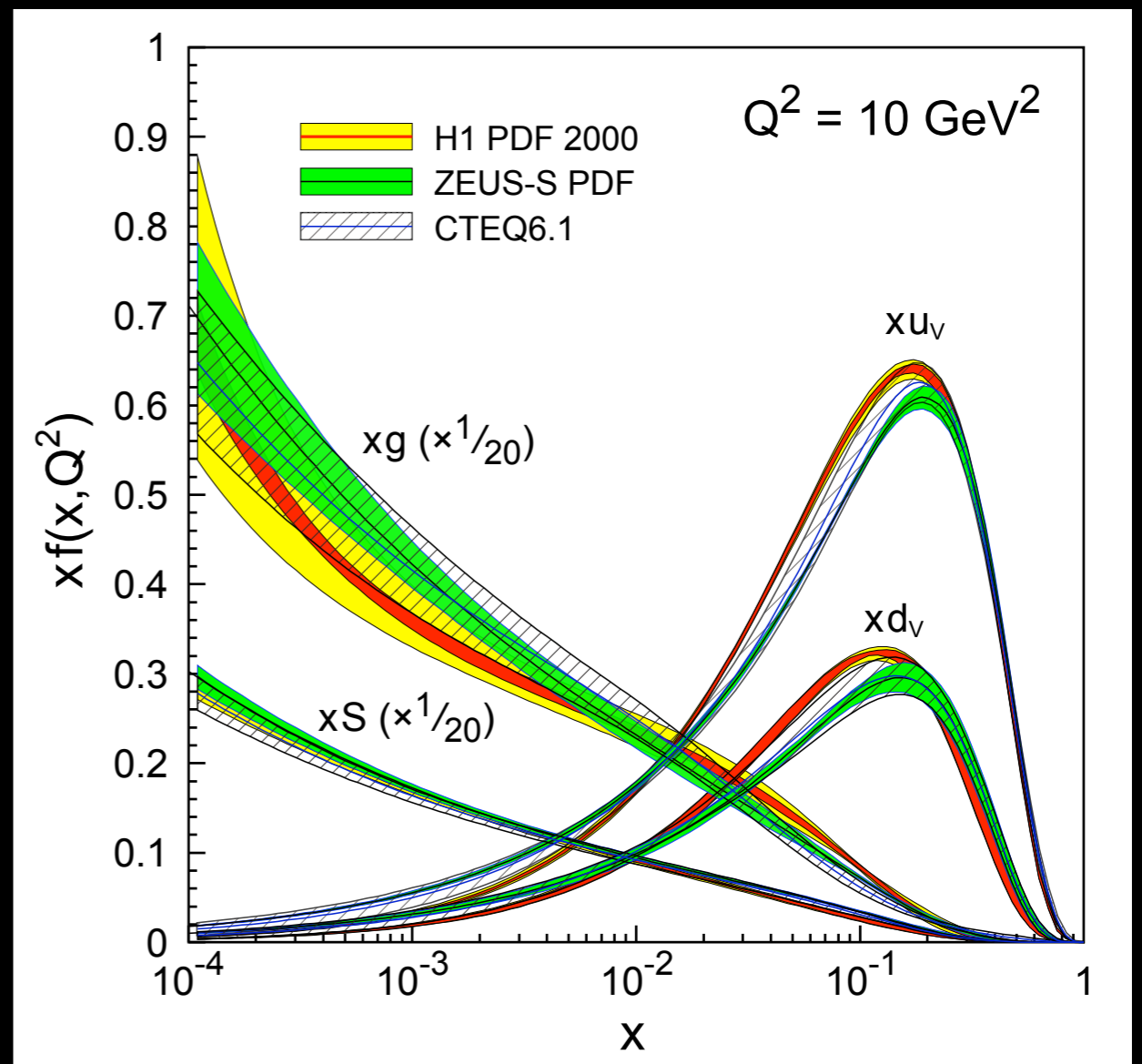


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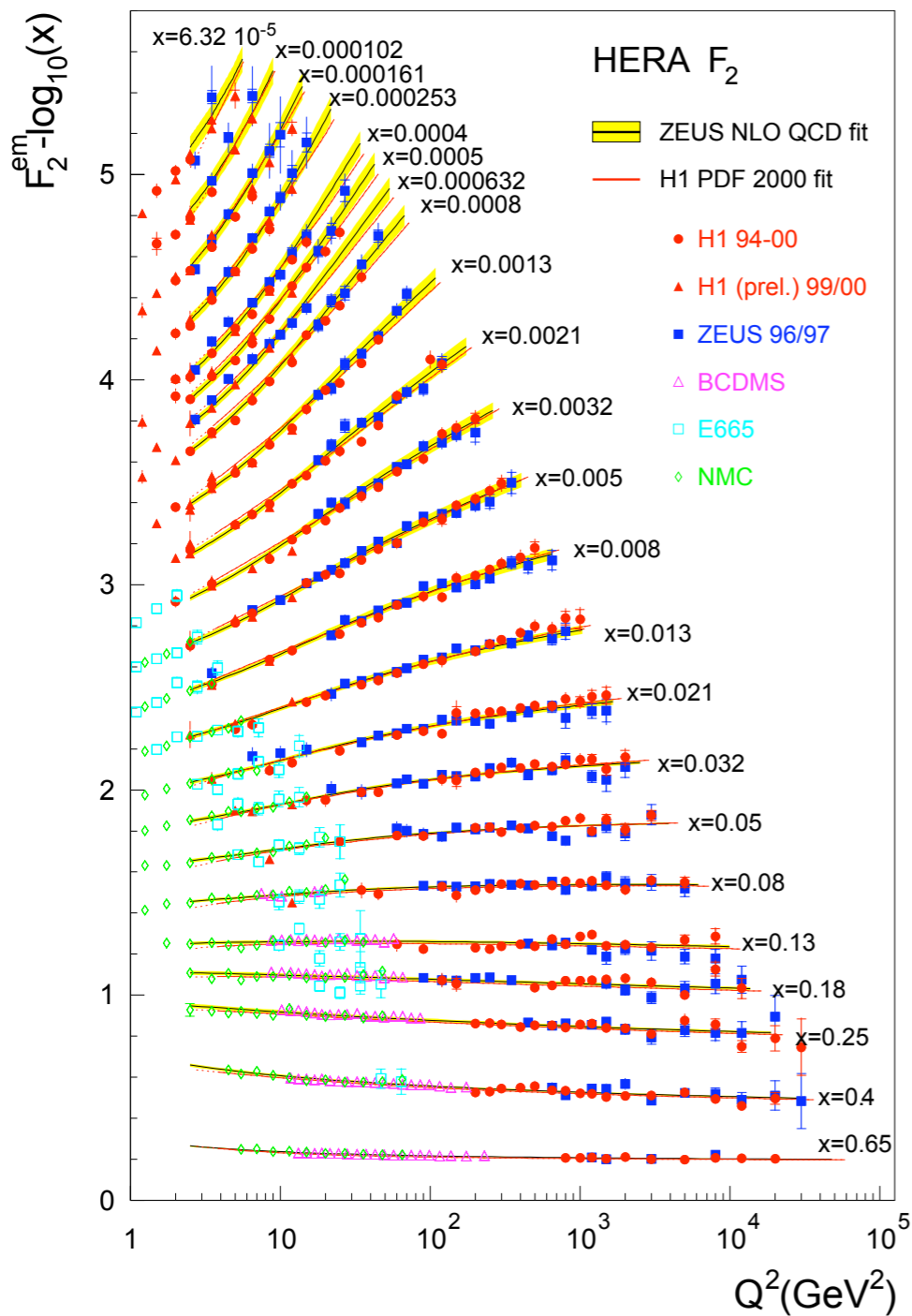
Scaling violation:  $dF_2/d\ln Q^2$  and linear DGLAP Evolution  $\Rightarrow G(x, Q^2)$



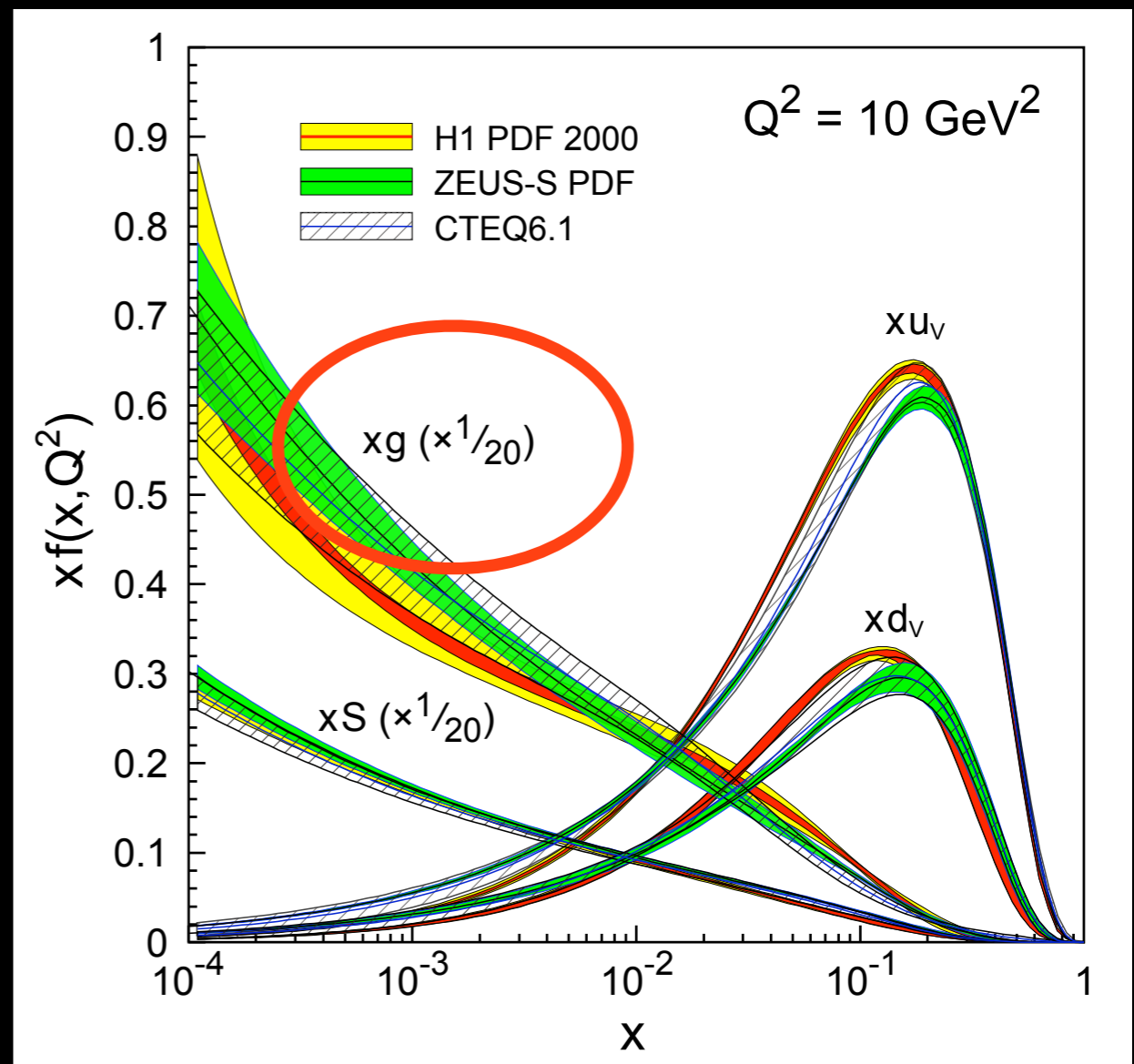


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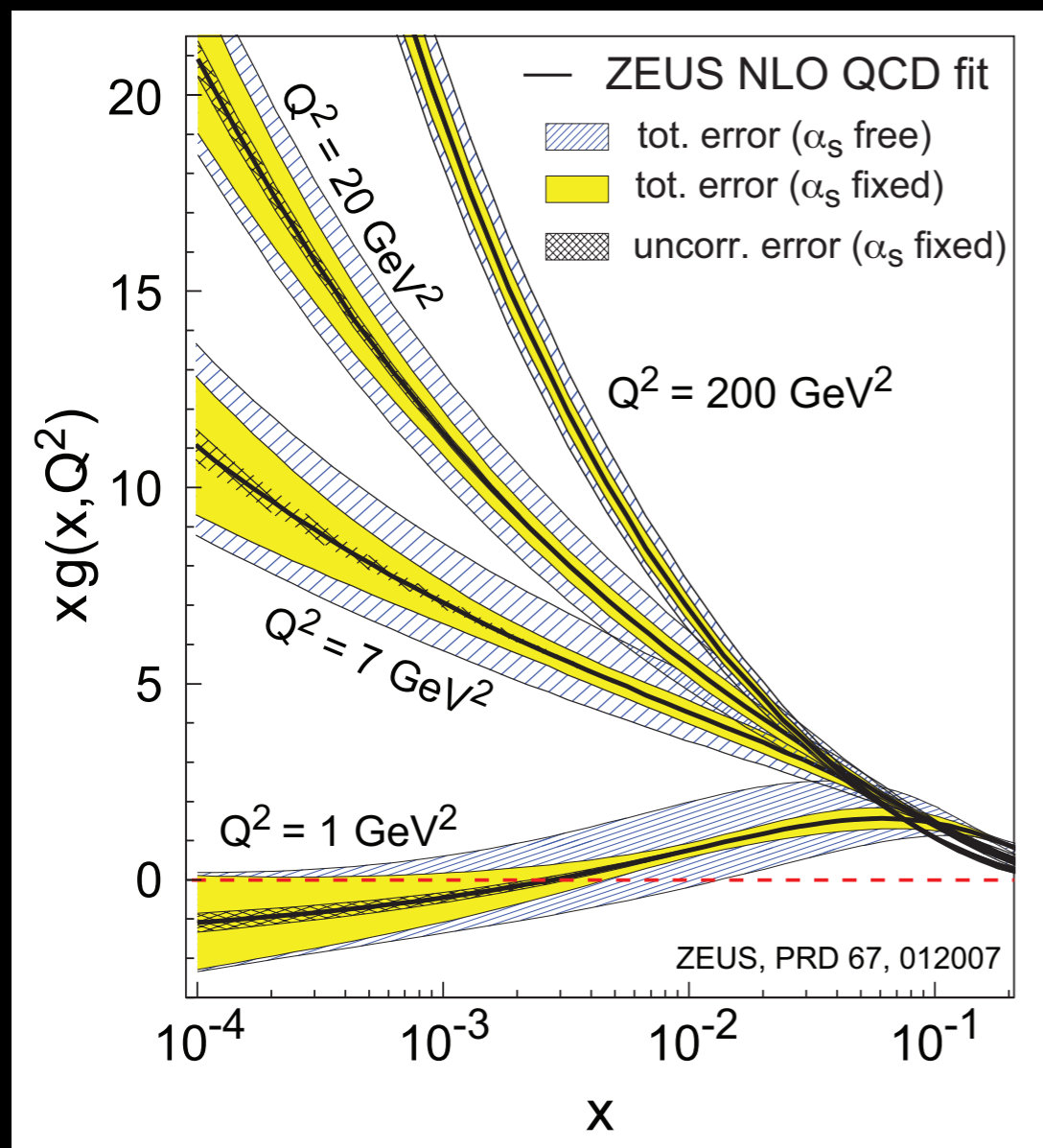


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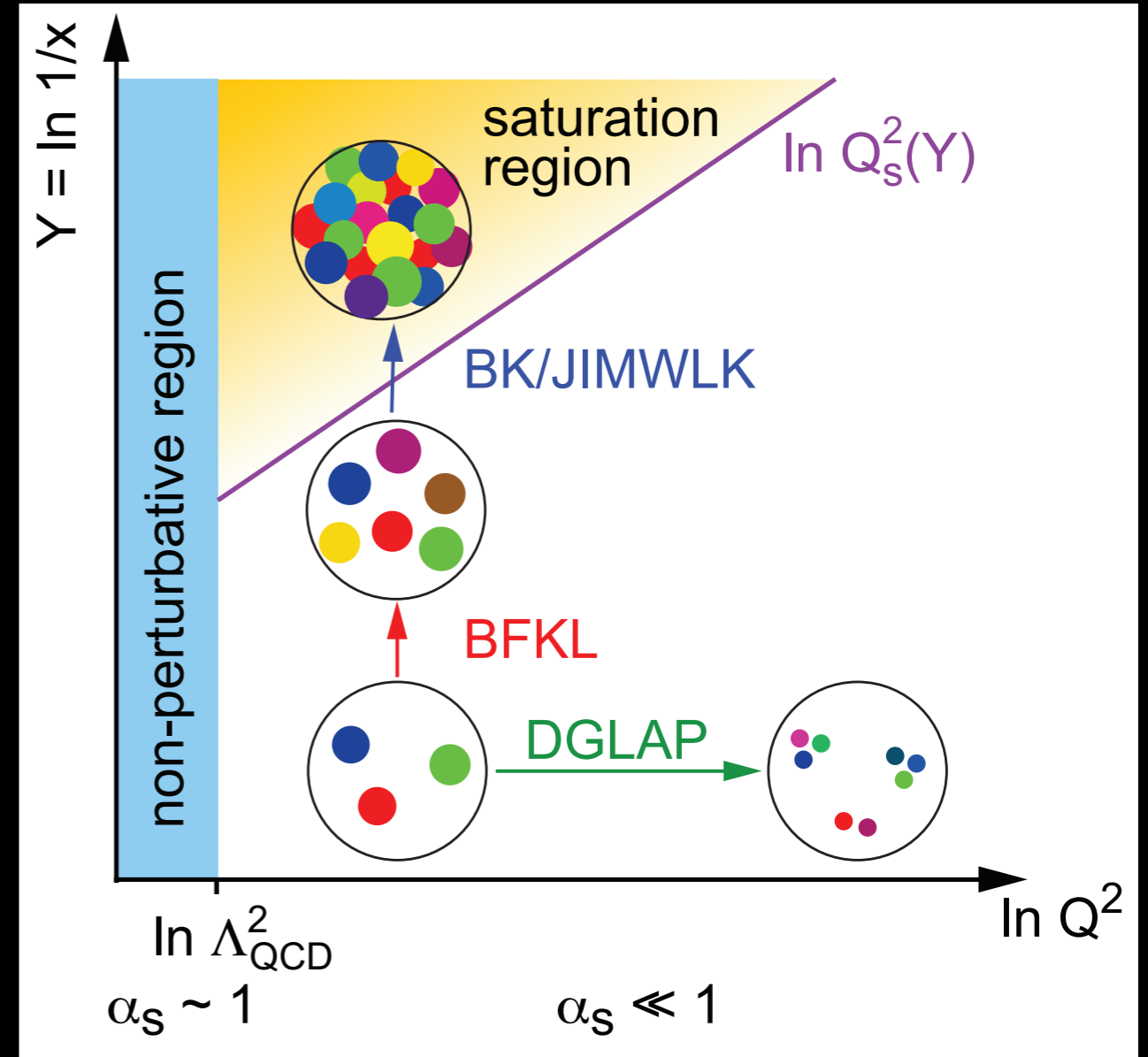
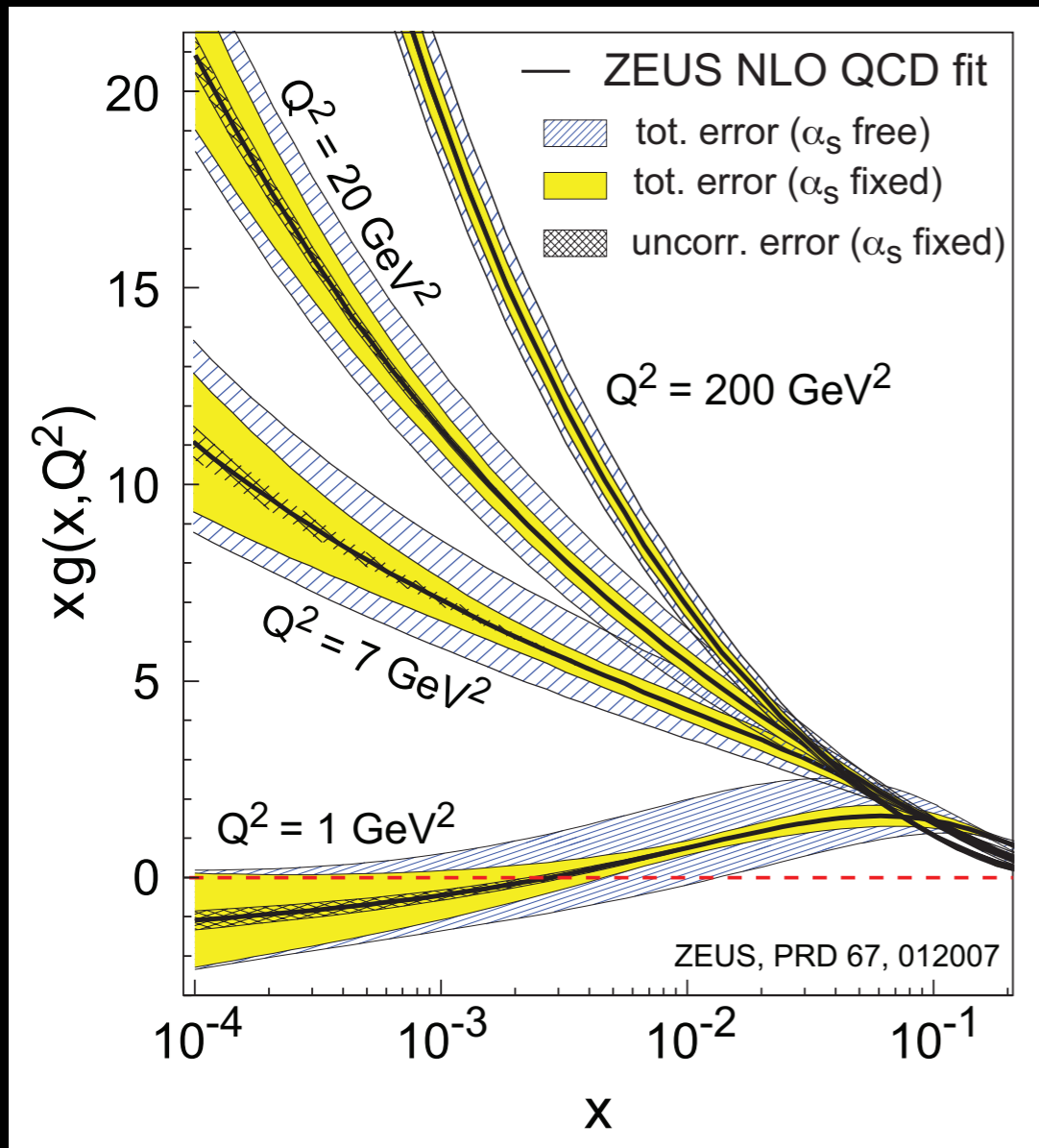
# What Do We Know About Glue?



## Linear DGLAP evolution

- negative  $G(x, Q^2)$  at low  $Q^2$  ?
  - built in high energy “catastrophe”
    - $xG$  rapid rise violates unitary bound
- $xG$  must saturate**  $\Rightarrow$  new approach

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## BK/JIMWLK: *non-linear* effects $\Rightarrow$ saturation

- characterized by  $Q_s(x, A)$
- believed to have properties of a *Color Glass Condensate*

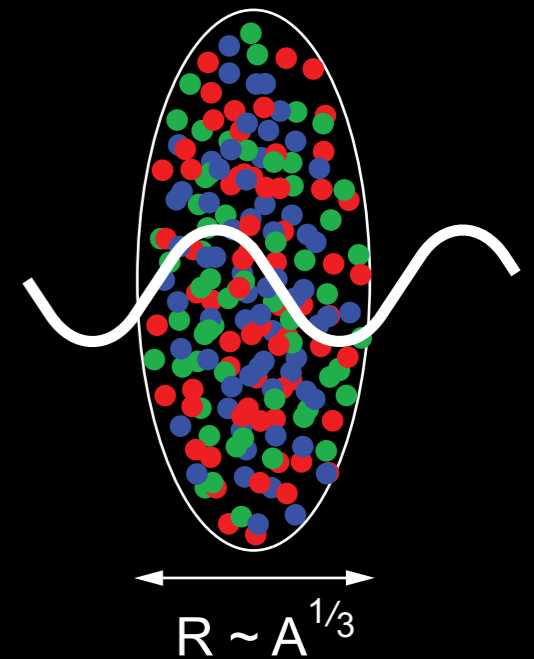
# Enhancing Saturation Effects: $e+A$

## Scattering of electrons off nuclei:

Probes interact over distances  $L \sim (2m_N x)^{-1}$

For  $L > 2 R_A \sim A^{1/3}$  probe cannot distinguish between nucleons in front or back of nuclei

Probe interacts *coherently* with all nucleons



$$Q_s^2 \propto \frac{\alpha_s x G(x, Q_s^2)}{\pi R_A^2}$$

$$\text{HERA} : xG \propto \frac{1}{x^{1/3}}$$

$$A \text{ dependence} : xG_A \propto A$$

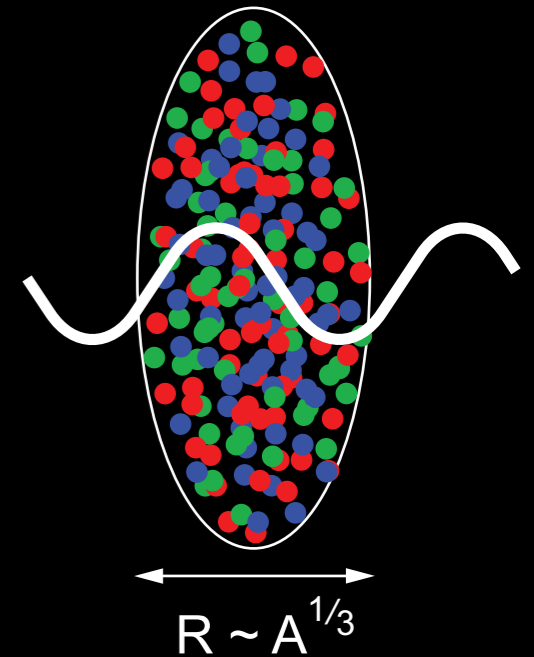
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**Nuclear “Oomph” Factor:**  $(Q_s^A)^2 \approx c Q_0^2 \left( \frac{A}{x} \right)^{1/3}$

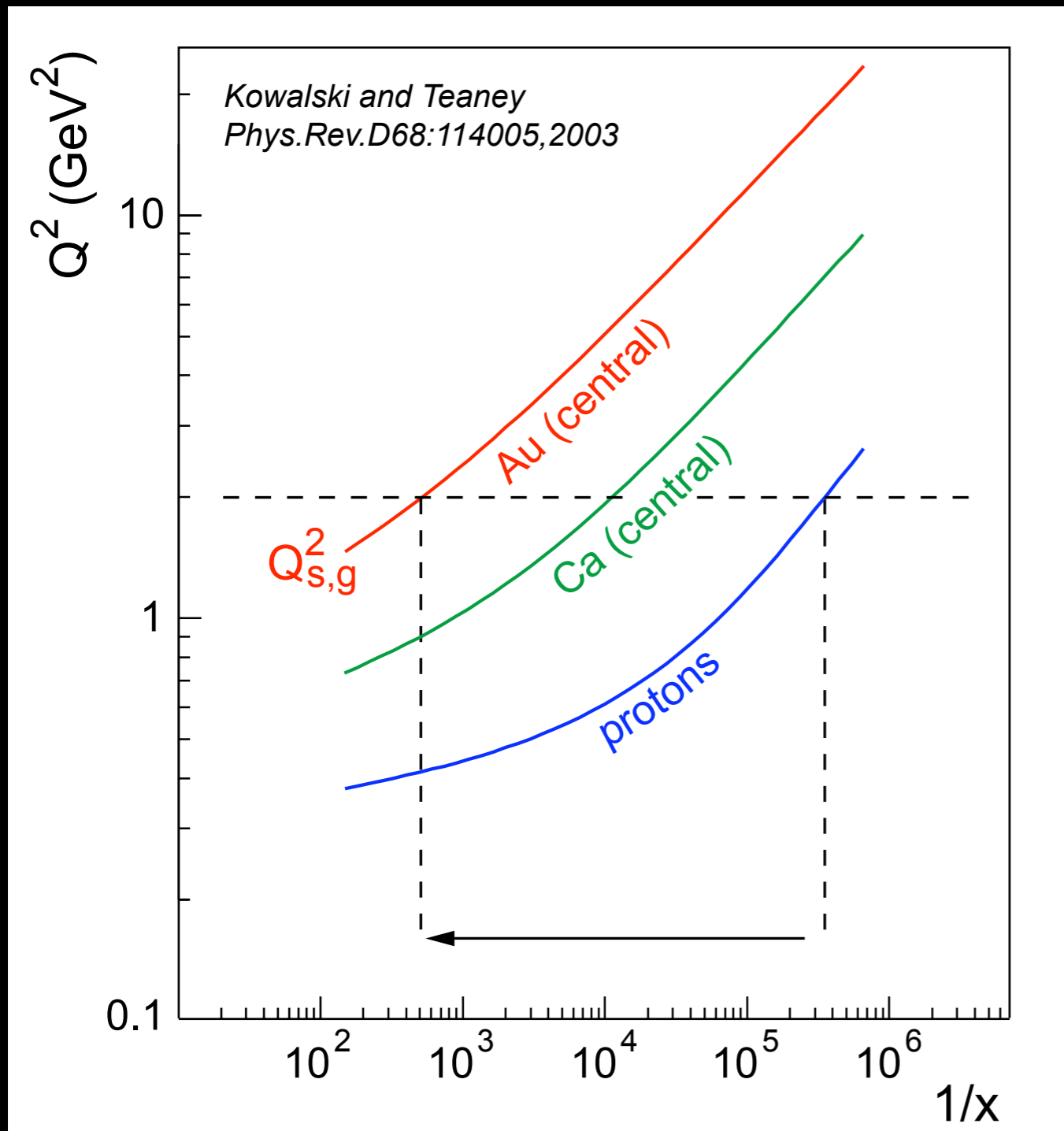
**Enhancement** of  $Q_s$  with  $A$

$\Rightarrow$  non-linear QCD regime reached at significantly lower energy in  $eA$  than in  $ep$

# The Nuclear “Oomph”

More sophisticated analyses  $\Rightarrow$  confirm (exceed) pocket formula

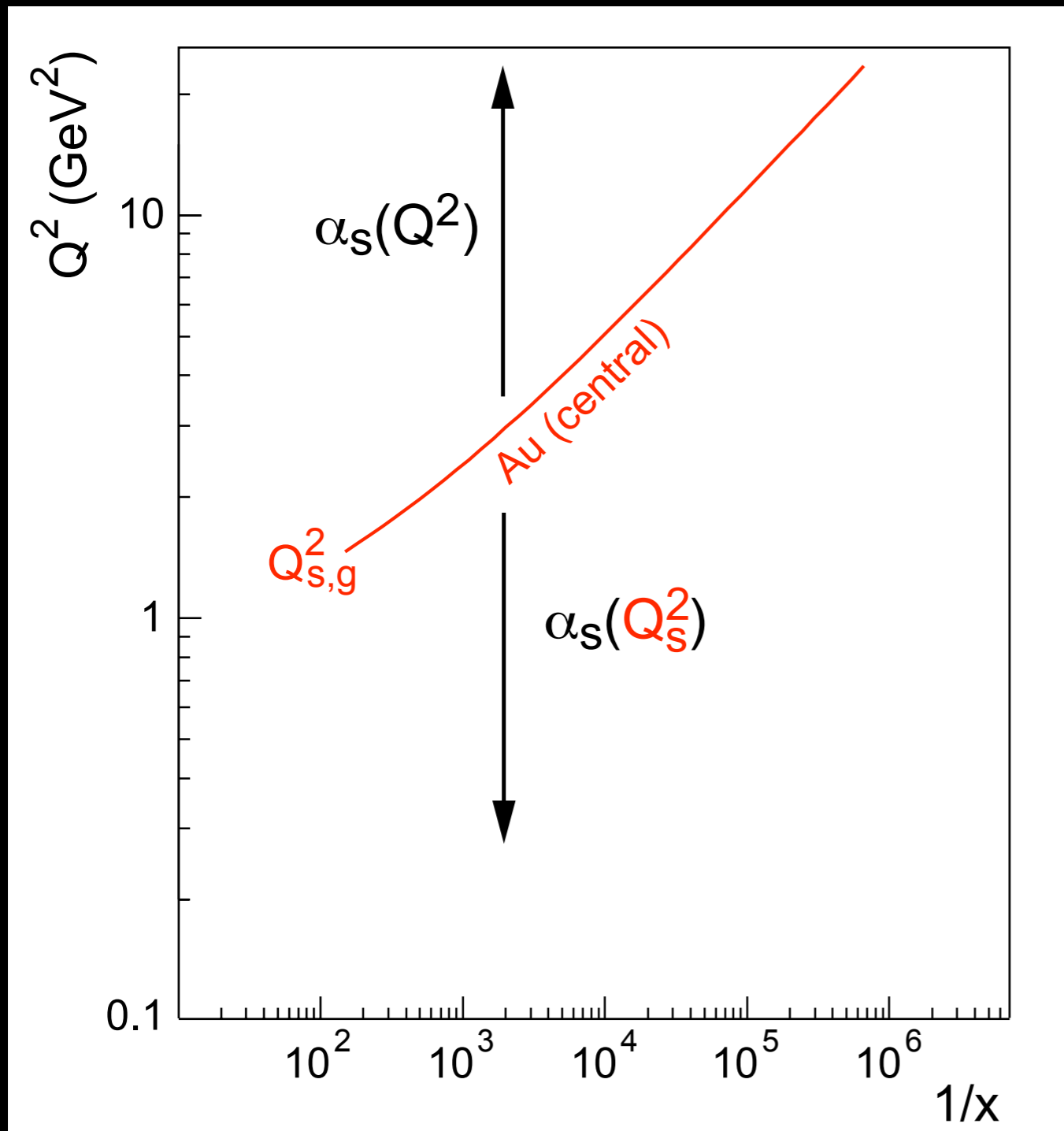
(e.g. Kowalski, Lappi and Venugopalan, PRL 100, 022303 (2008); Armesto et al., PRL 94:022002; Kowalski, Teaney, PRD 68:114005)



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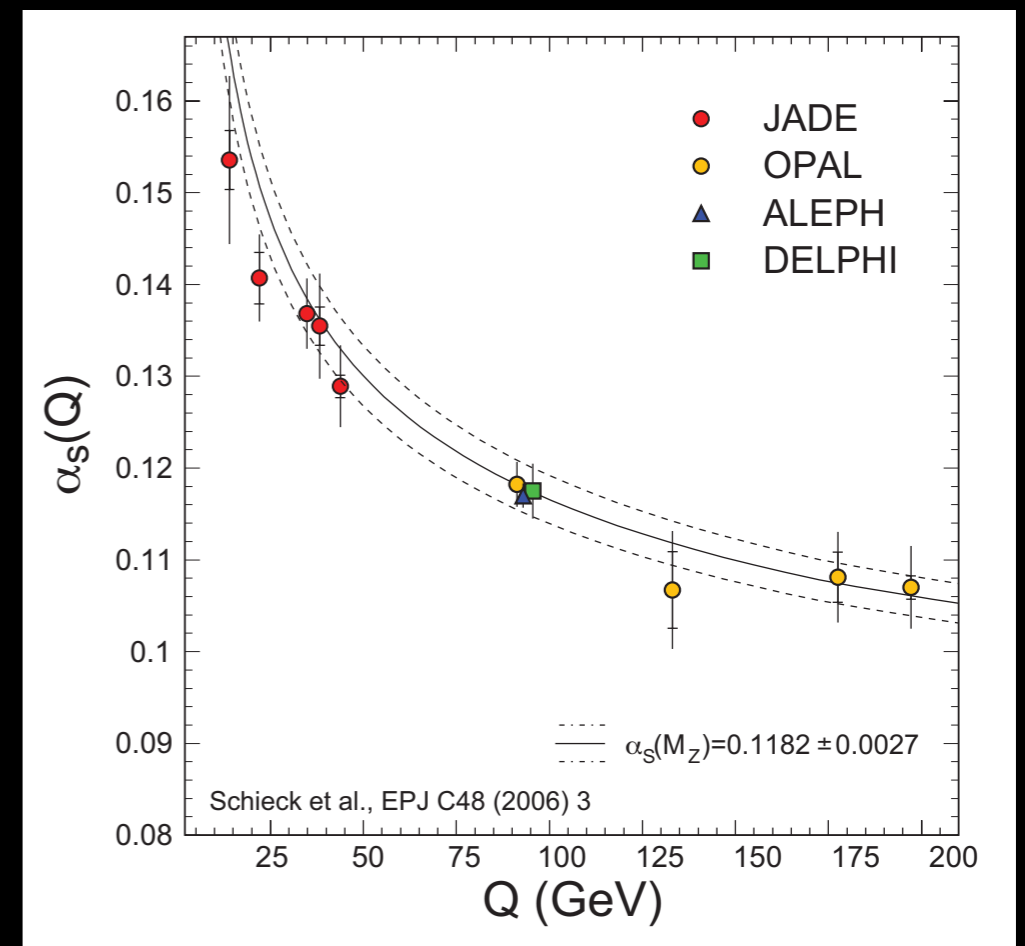
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Note:

$$Q^2 > Q_s^2 \Rightarrow \alpha_s = \alpha_s(Q^2)$$

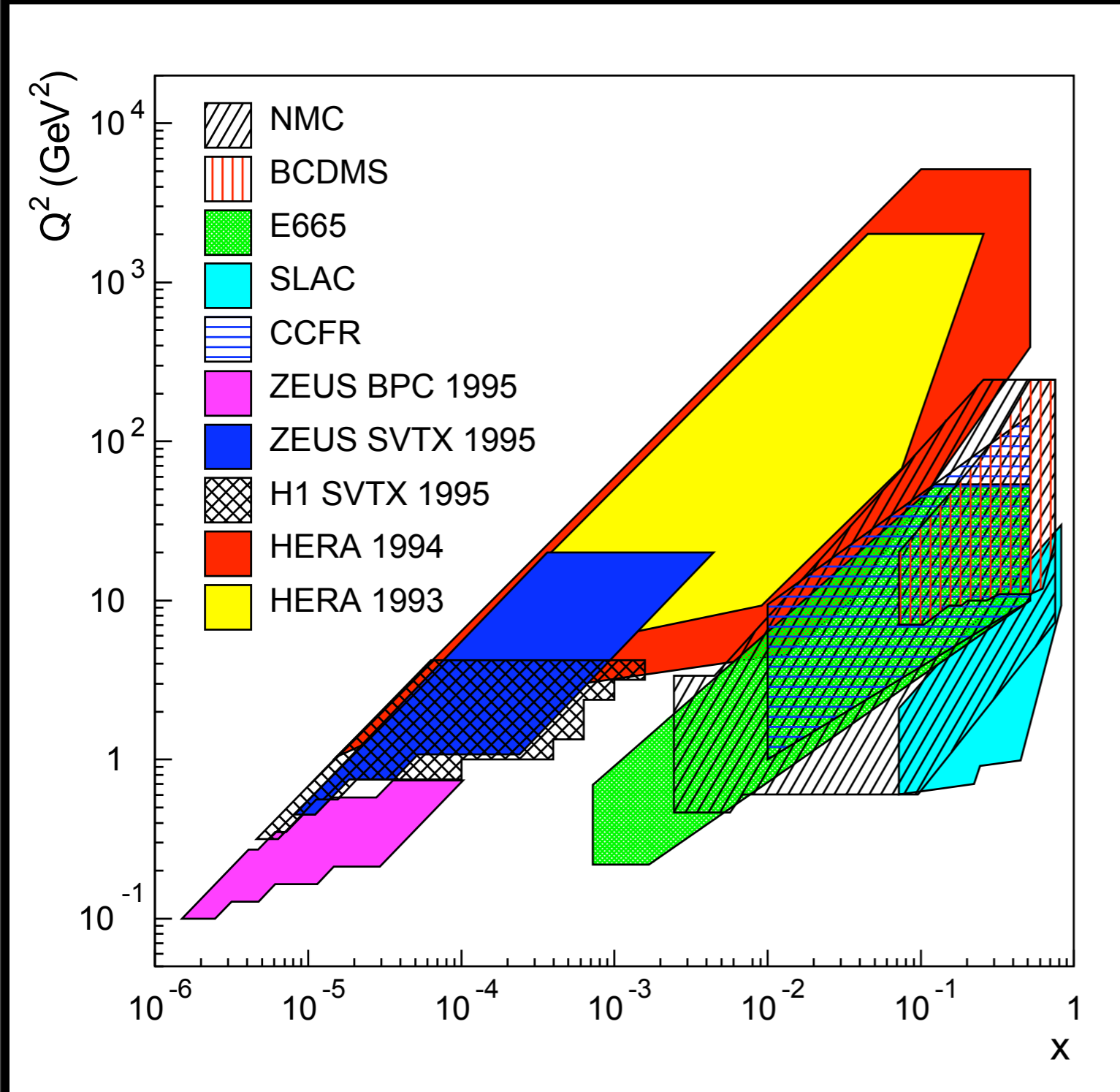
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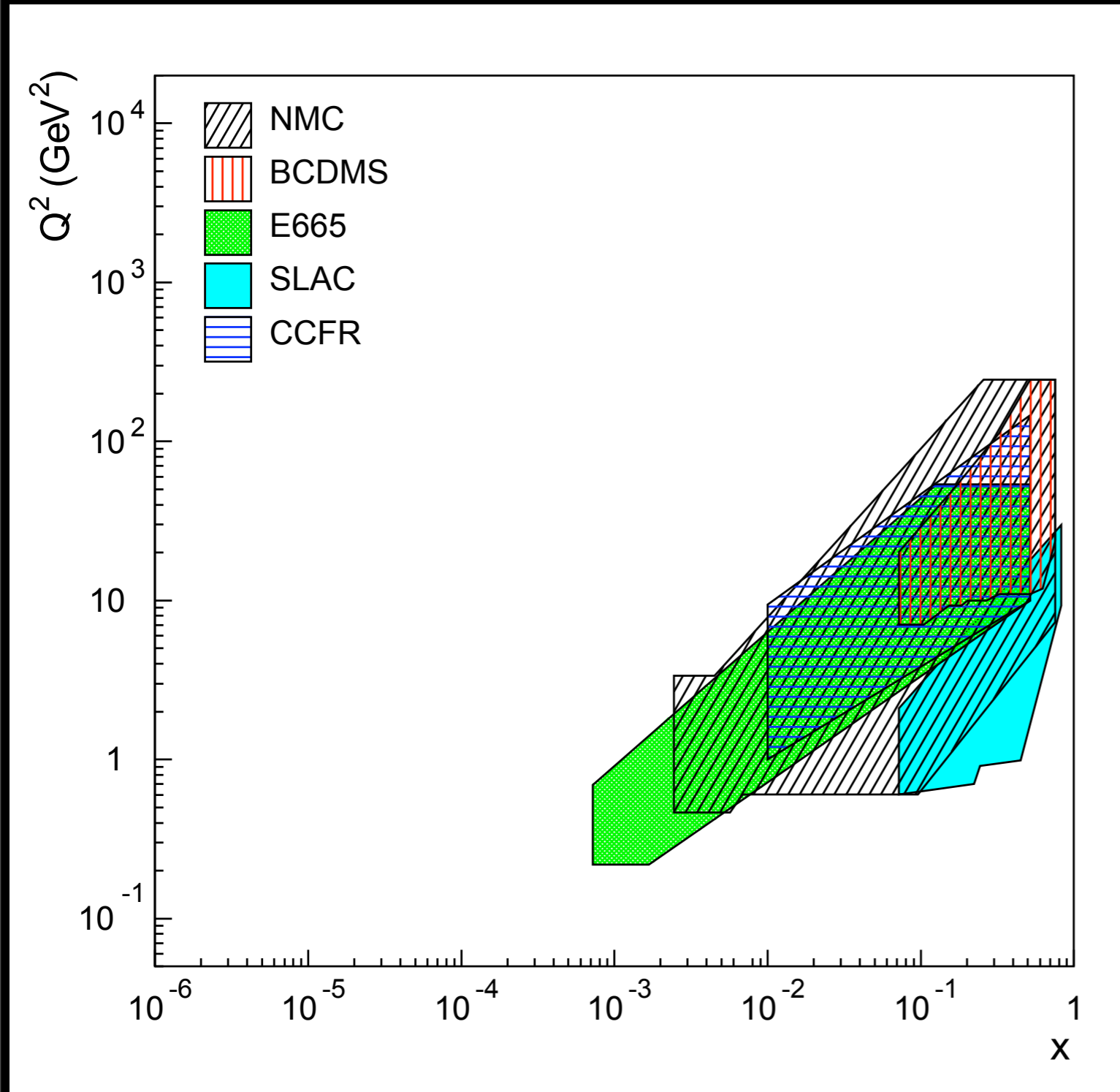


# Requirements for an Electron Ion Collider

Well mapped in e+p



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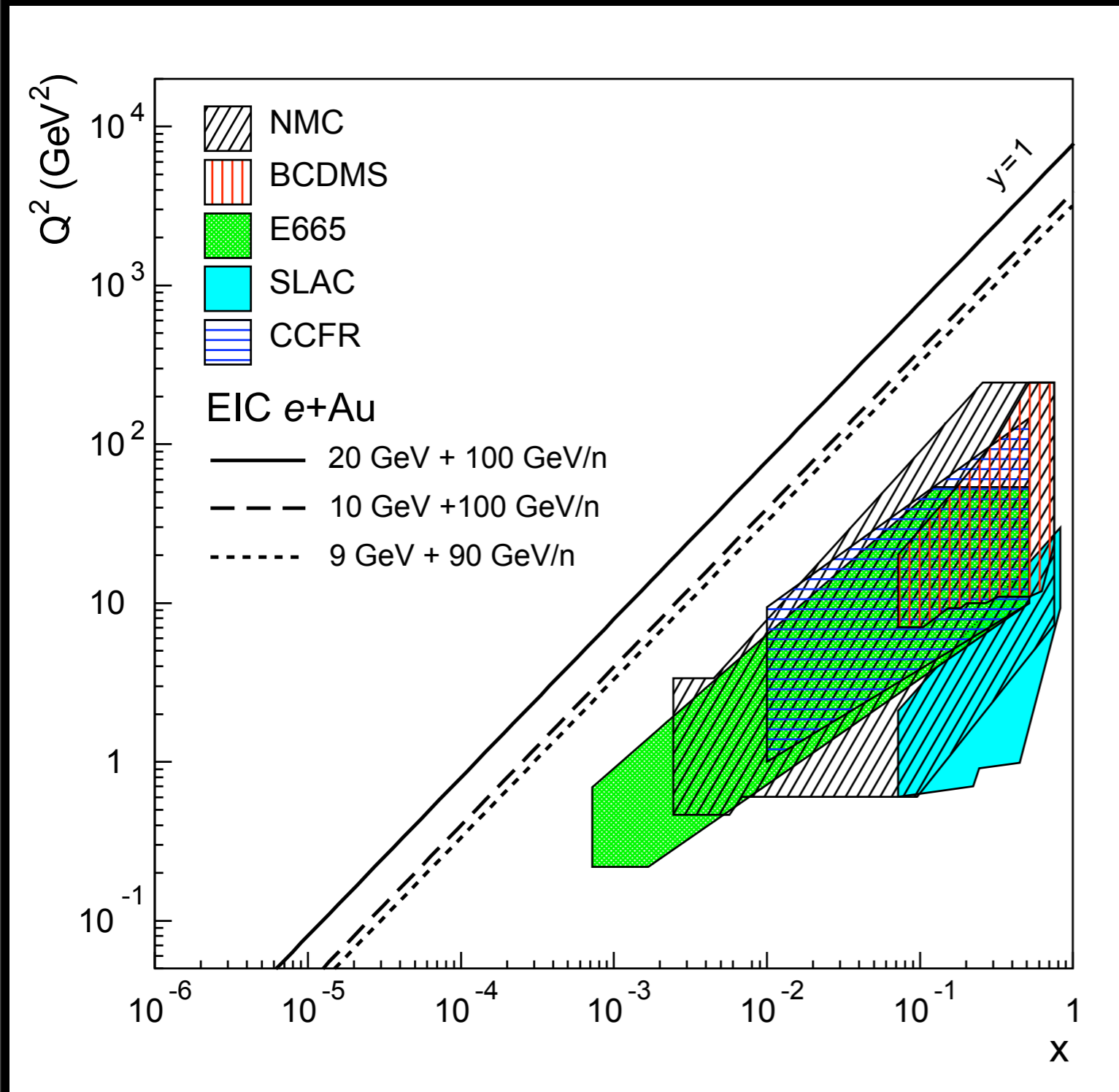


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Not so for  $\ell+A$  ( $\nu+A$ )

- many with small A
- low statistics

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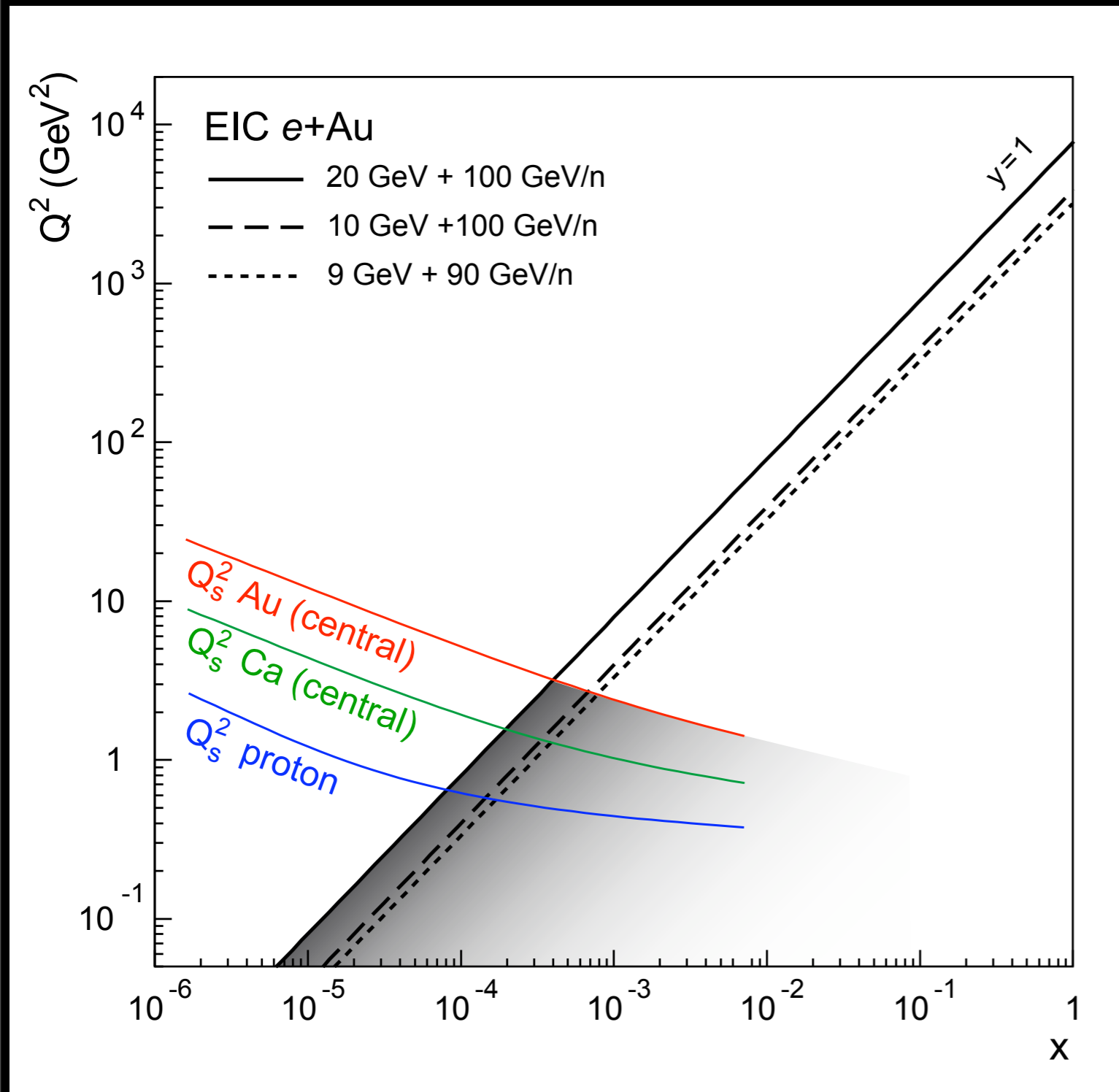
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## Electron Ion Collider:

- $\mathcal{L}(\text{EIC}) > 100 \times \mathcal{L}(\text{HERA})$
- Electrons
  - $E_e = 3 - 20$  GeV
  - polarized
- Hadron Beams
  - $E_A = 100$  GeV
  - $A = p \rightarrow U$
  - polarized  $p$  & light ions

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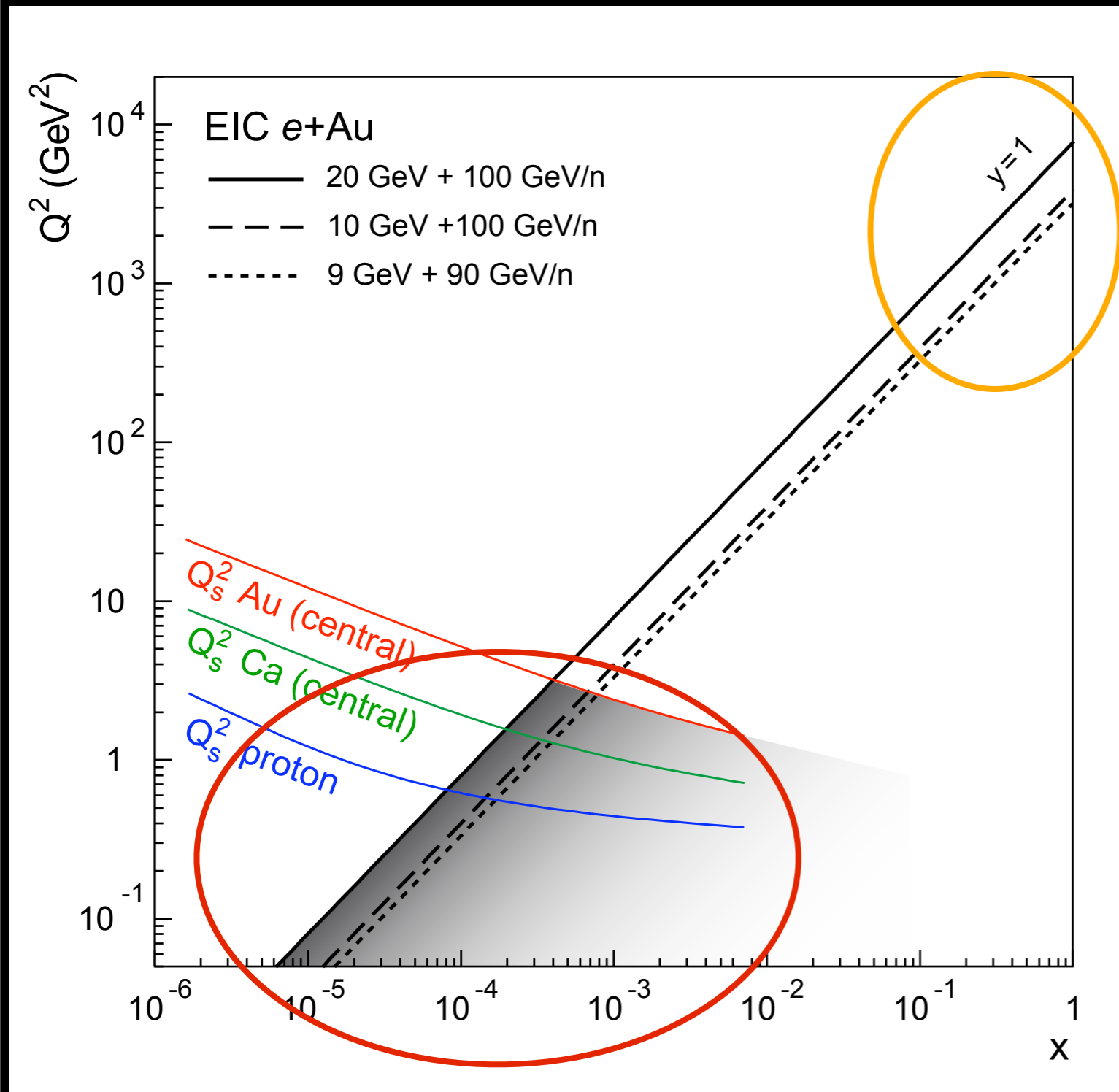
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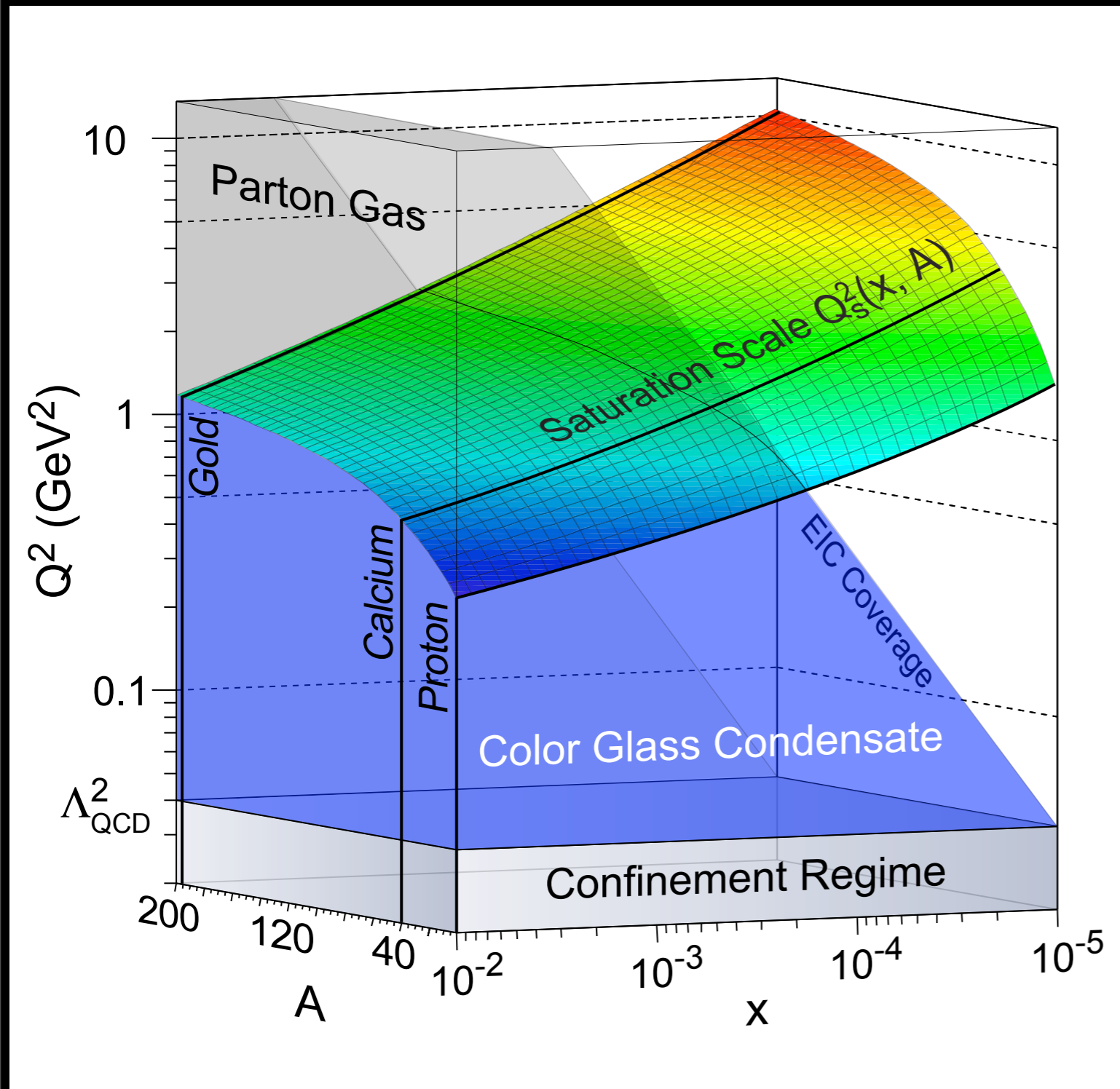
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high-x, large  $Q^2$

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# Electron Ion Collider Concepts

## eRHIC (RHIC/BNL):

Add Energy Recovery Linac

$$E_e = 10 \text{ (20) GeV}$$

$$E_A = 100 \text{ GeV (up to U)}$$

$$\sqrt{s_{eN}} = 63 \text{ (90) GeV}$$

$$\mathcal{L}_{eAu} \text{ (peak)}/n \sim 2.9 \cdot 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$$

## ELIC (CEBAF/JLAB):

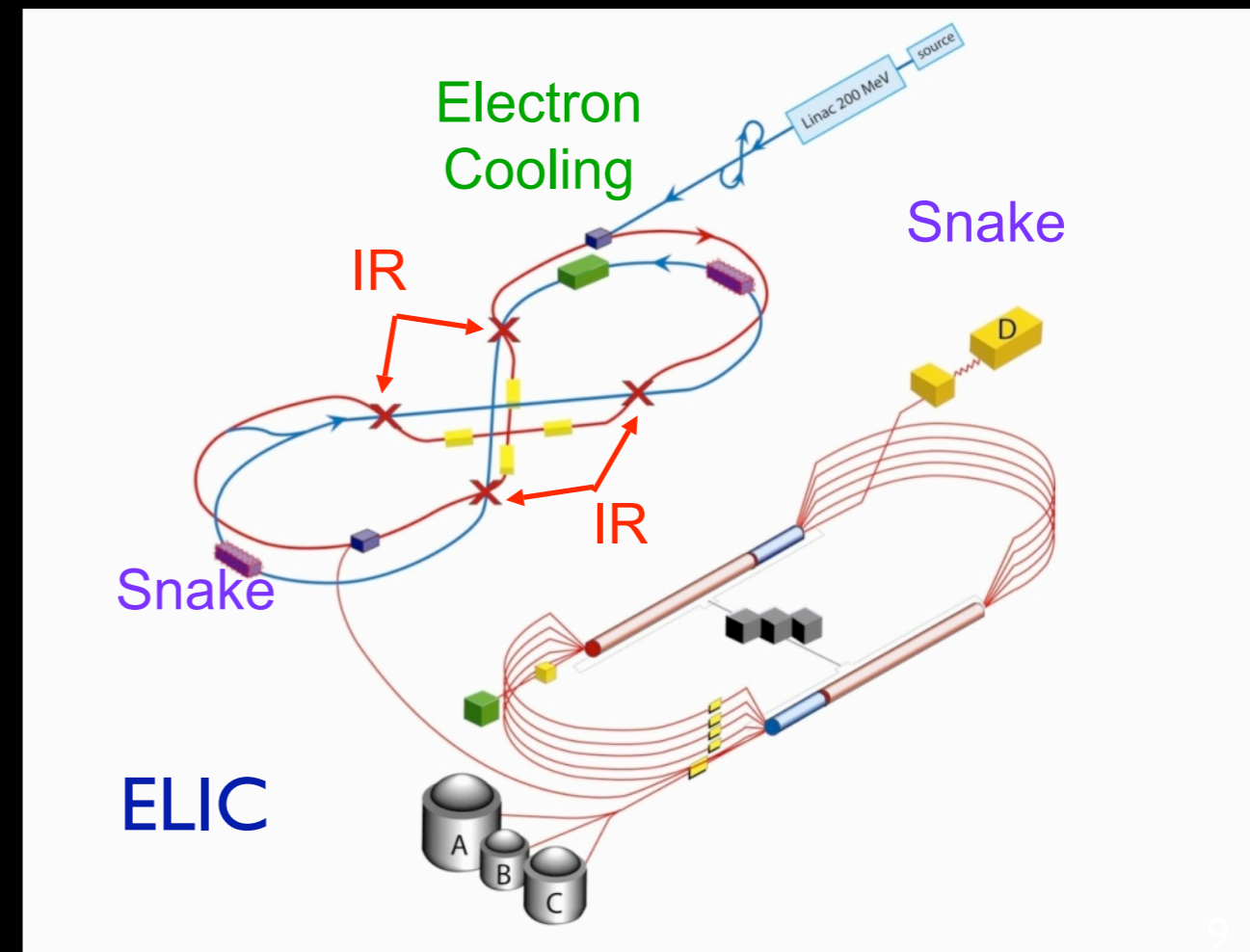
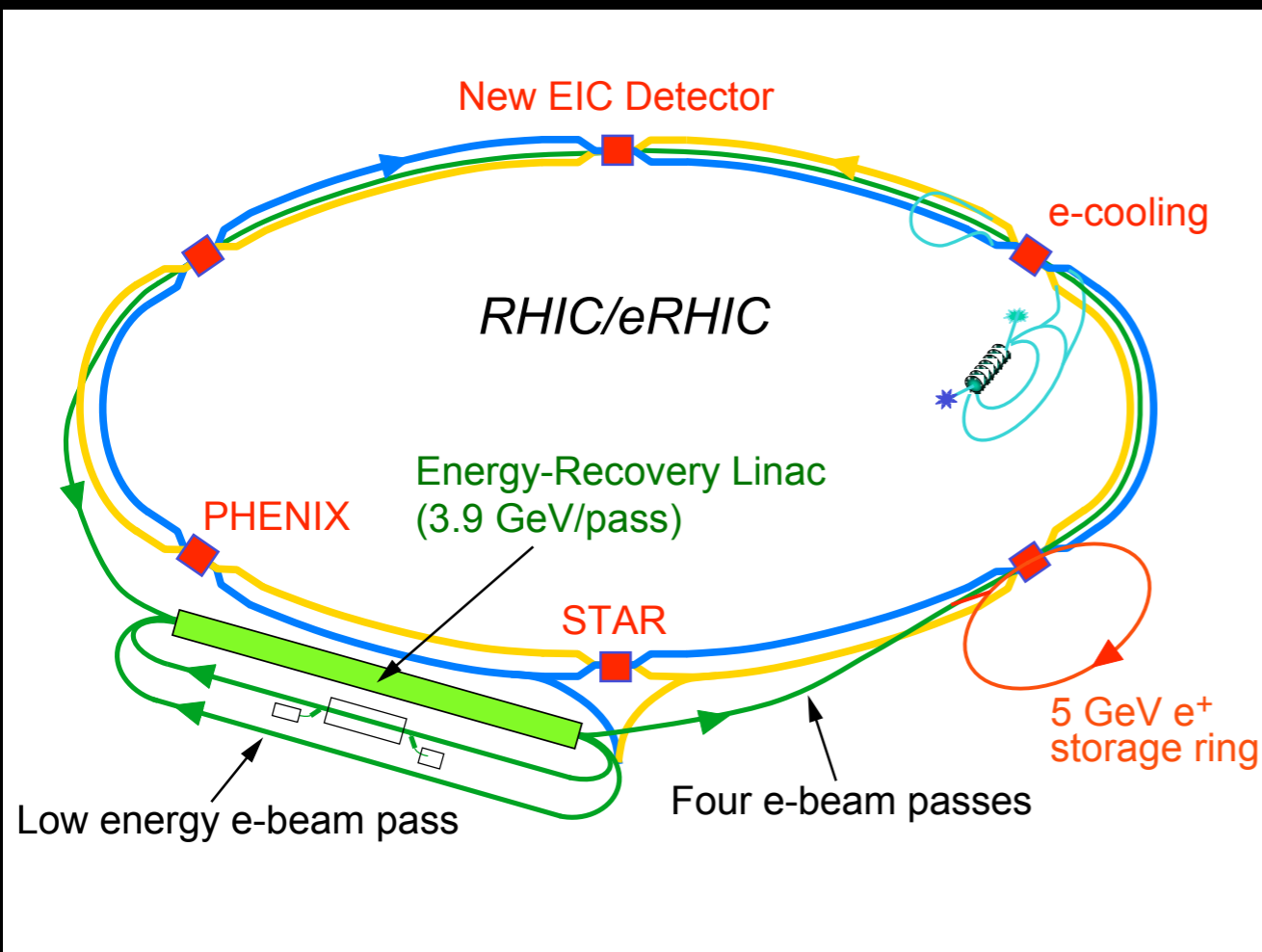
Add hadron machine

$$E_e = 9 \text{ GeV}$$

$$E_A = 90 \text{ GeV (up to Au)}$$

$$\sqrt{s_{eN}} = 57 \text{ GeV}$$

$$\mathcal{L}_{eAu} \text{ (peak)}/n \sim 1.6 \cdot 10^{35} \text{ cm}^{-2} \text{ s}^{-1}$$



# Key Measurements in $e+A$

- **Momentum distribution of gluons  $G(x, Q^2)$** 
  - Extract via scaling violation in  $F_2$ :  $\delta F_2 / \delta \ln Q^2$
  - Direct measurement:  $F_L \sim G(x, Q^2)$  (requires  $\sqrt{s}$  scan)
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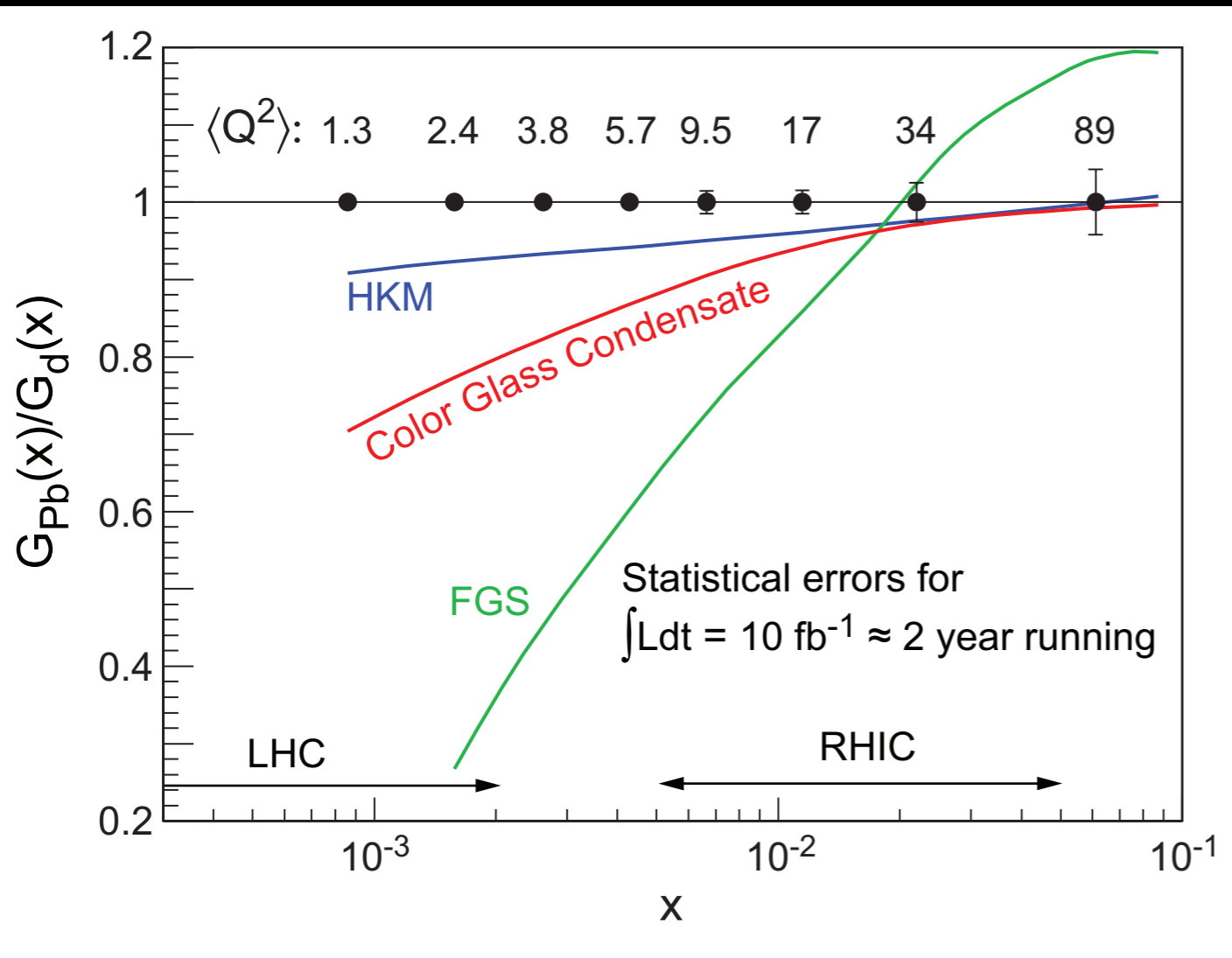
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  - Energy loss (charm!)
- **Role of color neutral excitations (Pomerons)**
  - Diffractive cross-section  $\sigma_{diff}/\sigma_{tot}$  (HERA/ep: 10% , EIC/eA: 30%?)
  - Diffractive structure functions and vector meson production
  - Abundance and distribution of rapidity gaps

# Example of Key Measurement: $F_L$

$$\frac{d^2\sigma^{ep\rightarrow eX}}{dx dQ^2} = \frac{4\pi\alpha_{e.m.}^2}{xQ^4} \left[ \left(1 - y + \frac{y^2}{2}\right) F_2(x, Q^2) - \frac{y^2}{2} F_L(x, Q^2) \right].$$



HKM and FGS are "standard" shadowing parameterizations that are evolved with DGLAP

$$F_L \sim \alpha_s G(x, Q^2)$$

requires  $\sqrt{s}$  scan,  $Q^2/xs = y$

Here:

$$\begin{aligned} \int \mathcal{L} dt &= 4/A \text{ fb}^{-1} (10+100) \text{ GeV} \\ &= 4/A \text{ fb}^{-1} (10+50) \text{ GeV} \\ &= 2/A \text{ fb}^{-1} (5+50) \text{ GeV} \end{aligned}$$

statistical error only

Syst. studies of  $F_L(A, x, Q^2)$ :

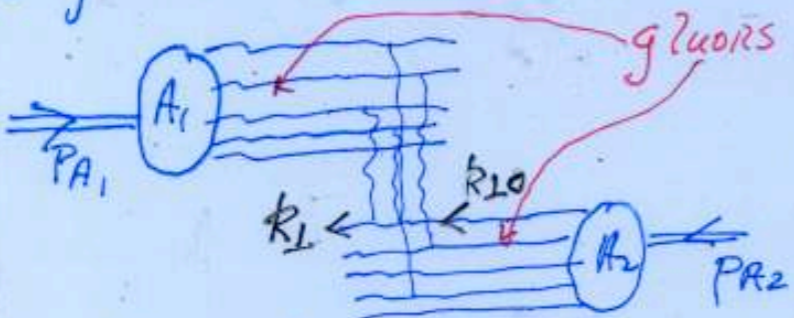
- $G(x, Q^2)$  with great precision
- Distinguish between models



# Symbiosis between EIC and HI

- Thermalization:
  - At RHIC system thermalizes (locally) fast ( $\tau_0 < 1$  fm/c)
  - We don't know why and how? Initial conditions?

Crude picture of initial state formation



$k_{10}^2 \approx k_{10}^2 + Q_s^2$

IF  $k_{10}^2 \gg Q_s^2$  not much change. Gluon will not be freed.

IF  $k_{10}^2 \lesssim Q_s^2$  significant disturbance. Gluon will be freed.

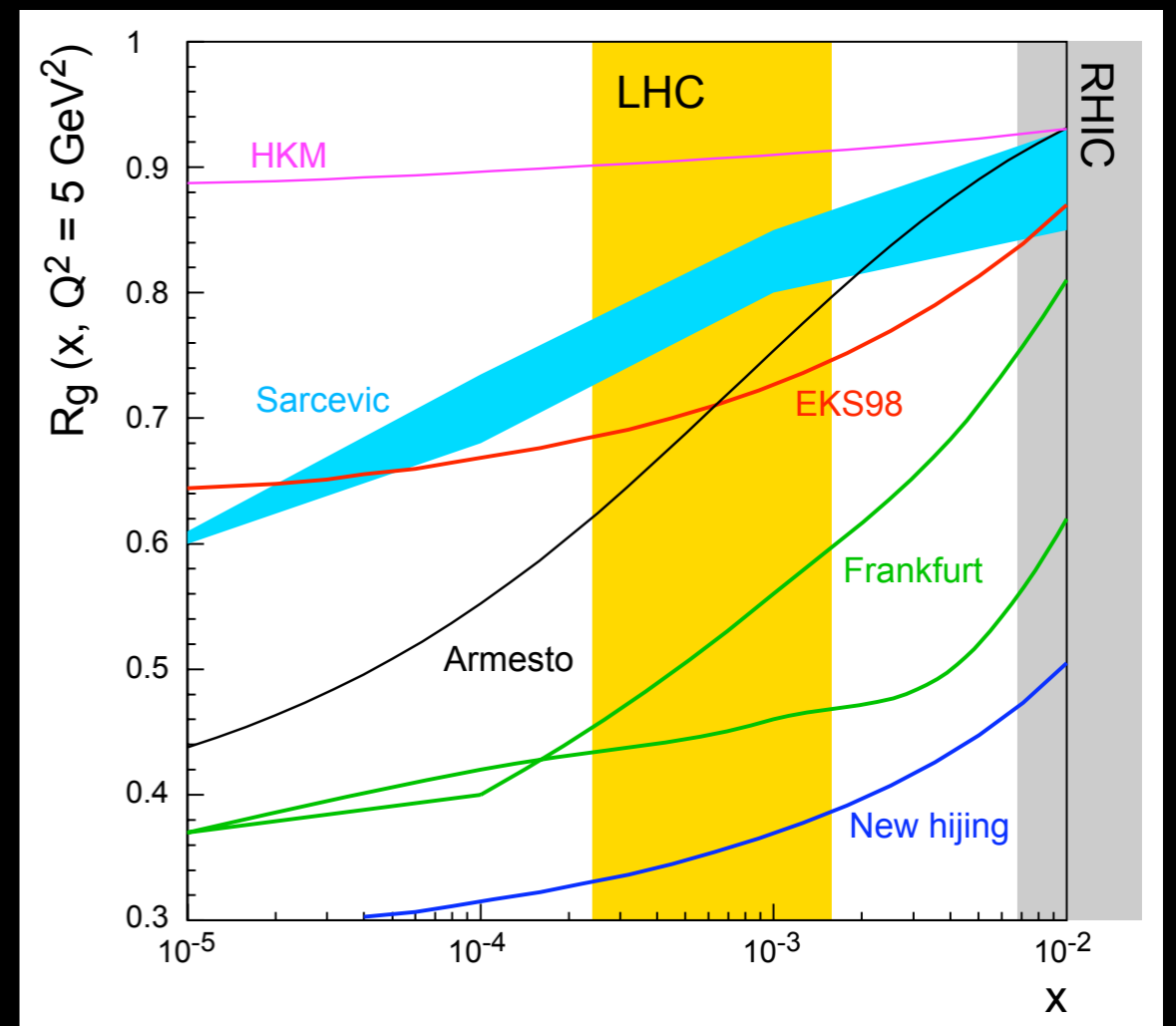
So, roughly, gluons having  $k_{10} \lesssim Q_s$  will be freed and will give the initial state for the plasma.

At present  
no first principle  
understanding of  
thermalization in  
QCD

Need:  $G(x, Q^2)$

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  - RHIC  $\rightarrow$  suppression in forward region
  - LHC  $\rightarrow$  midrapidity ?
    - ▶ bulk ( $< 2-3$  GeV/c)

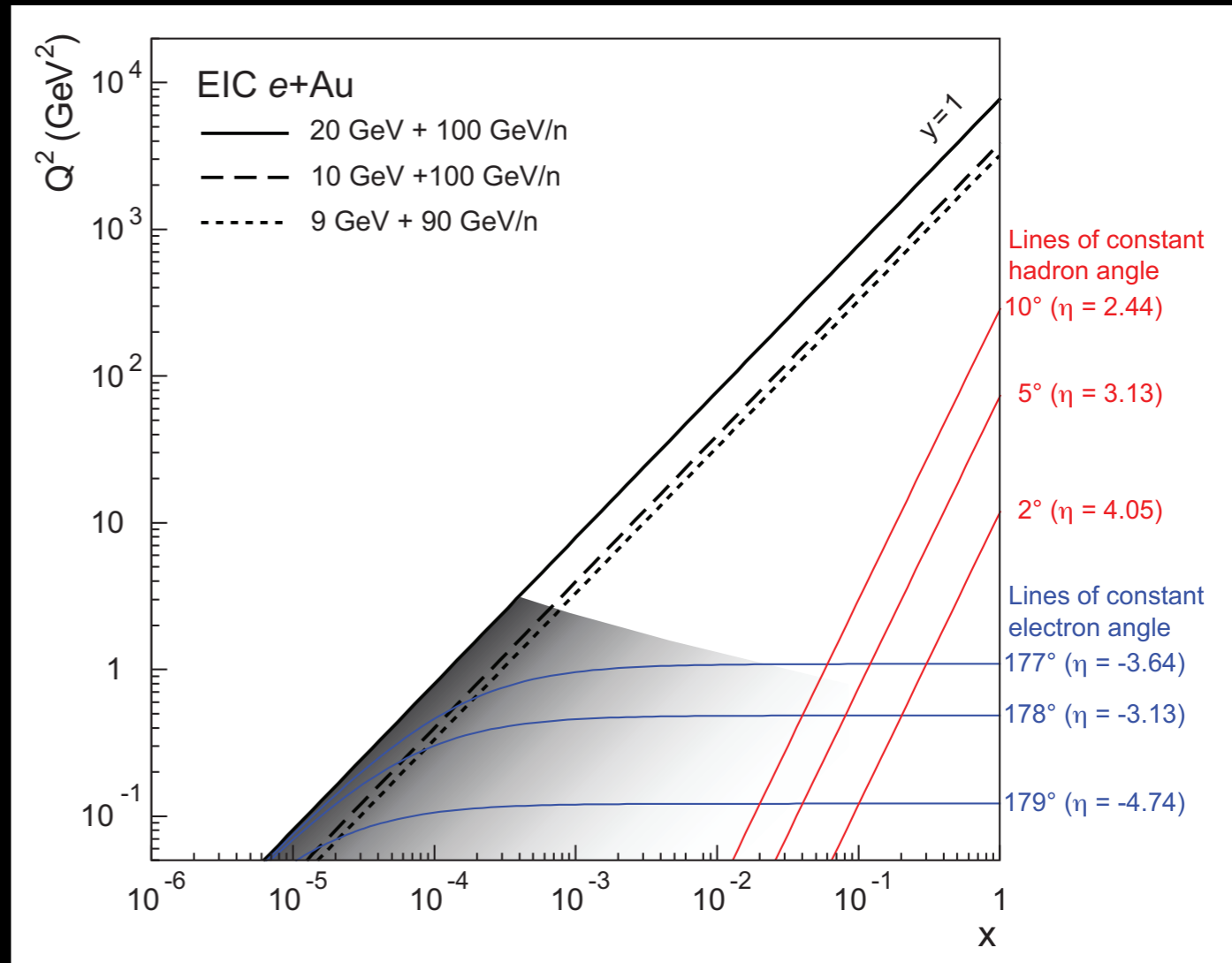
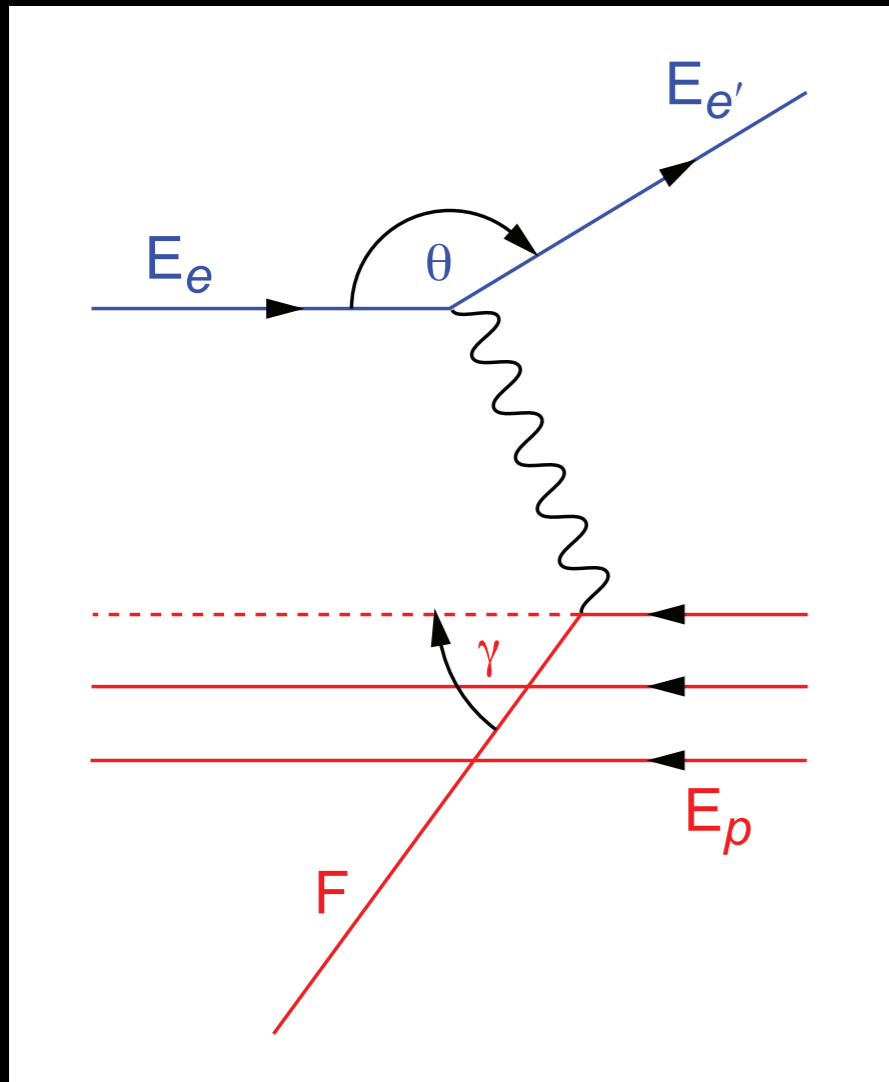


Accardi et al., hep-ph/0308248,  
CERN-2004-009-A

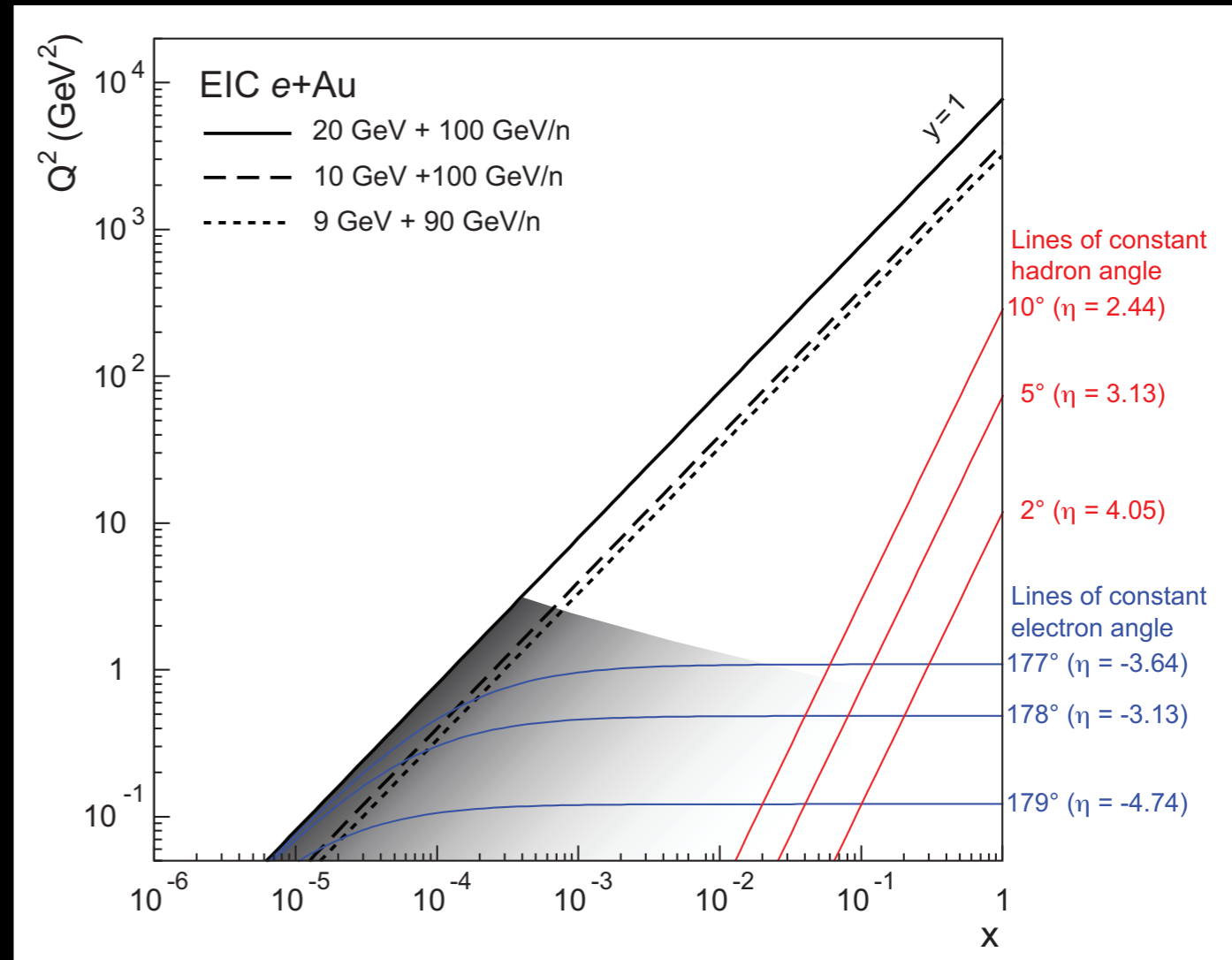
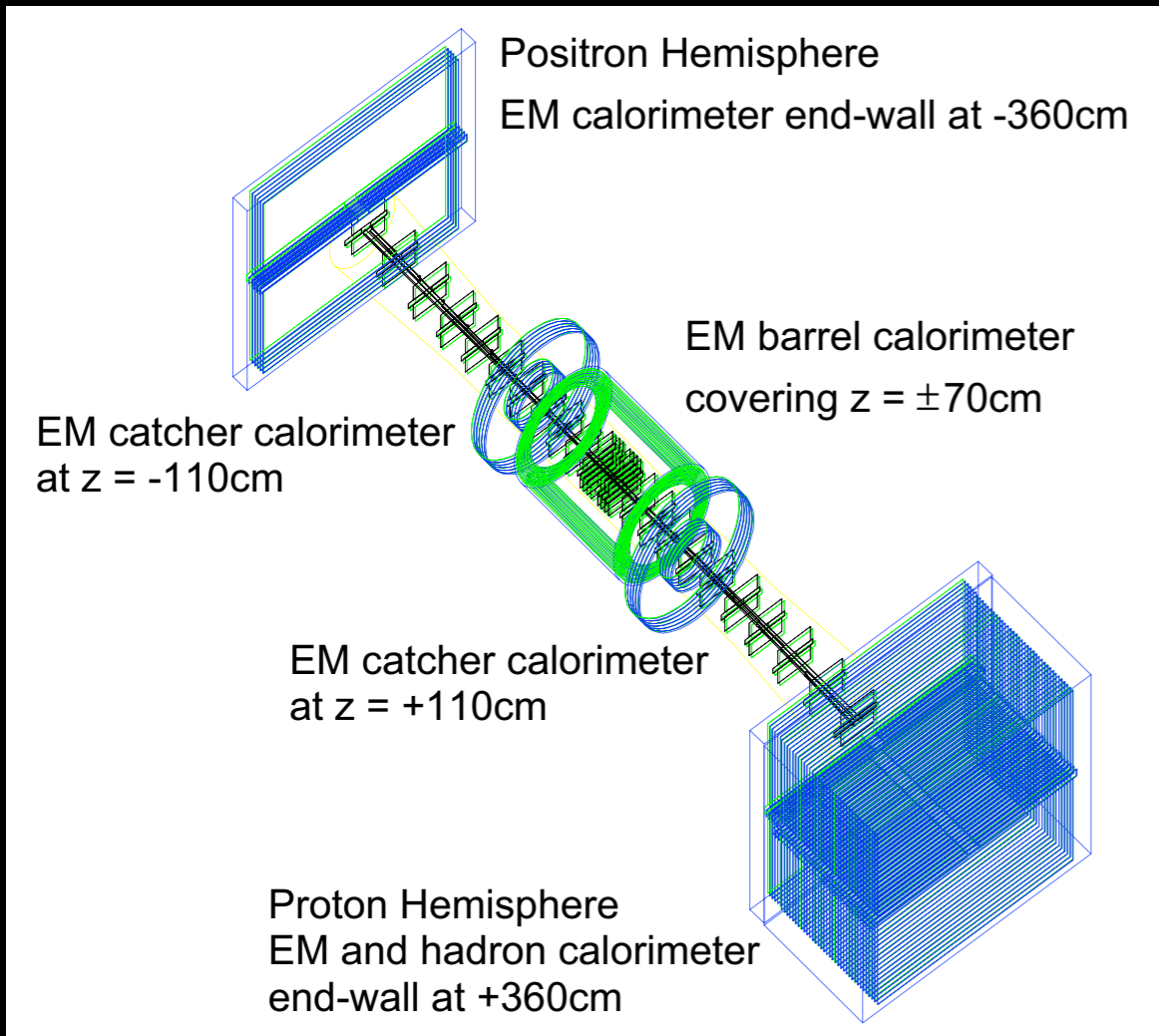
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- Jet Quenching:
  - Need Reference: E-loss in cold matter
  - No HERMES data for:
    - ▶ charm energy loss
    - ▶ in LHC energy range

# Experimental Aspects



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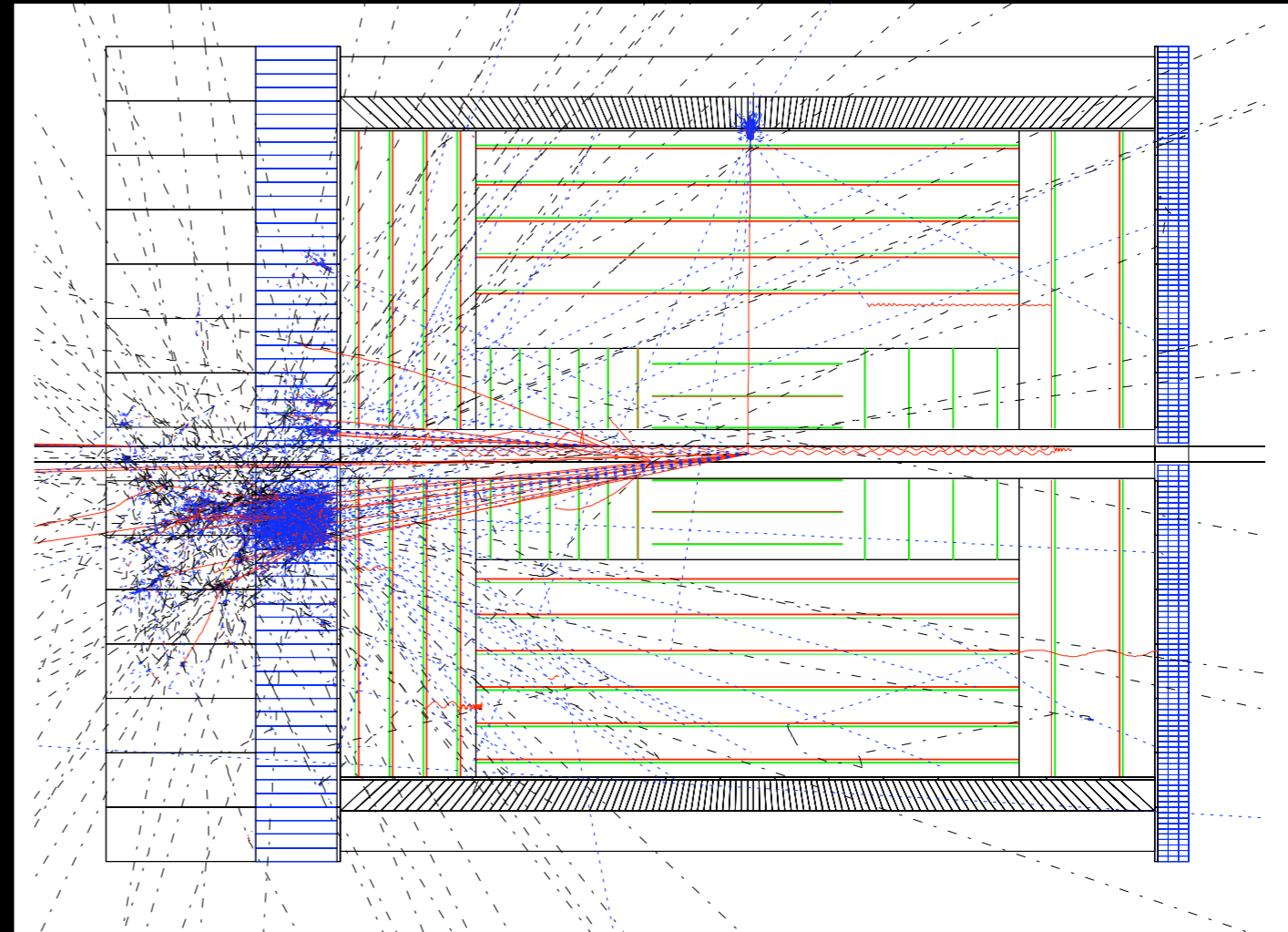
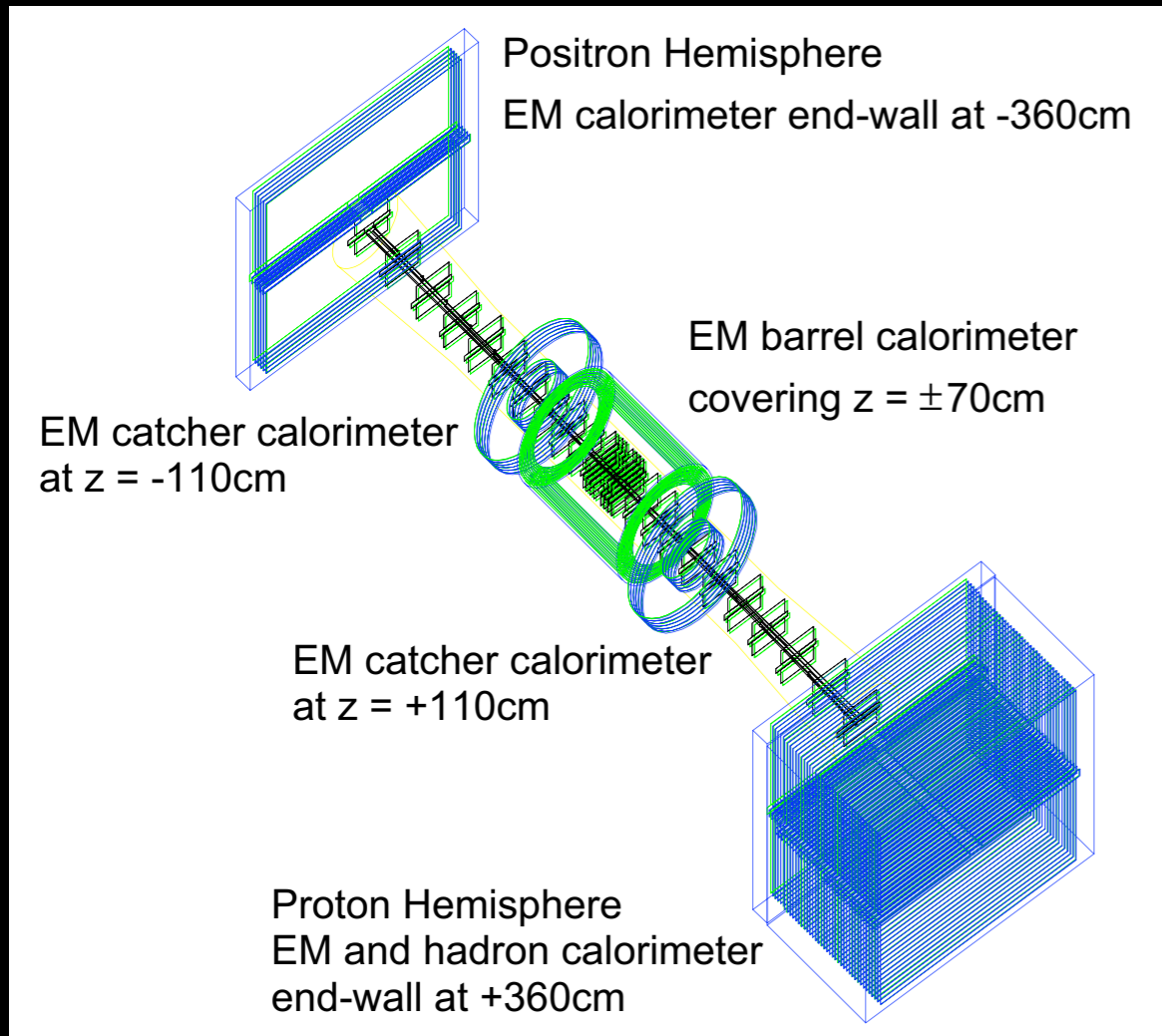
I. Abt, A. Caldwell, X. Liu, J. Sutiak, hep-ex 0407053

## Concepts:

- Focus on the **rear/forward acceptance** and thus on low- $x$  / high- $x$  physics
- compact system of tracking and central electromagnetic calorimetry inside a magnetic dipole field and calorimetric end-walls outside



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I. Abt, A. Caldwell, X. Liu, J. Sutiak, hep-ex 0407053

J. Pasukonis, B.Surrow, physics/0608290

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Focus on the **rear/forward acceptance** and thus on low- $x$  / high- $x$  physics

- compact system of tracking and central electromagnetic calorimetry inside a magnetic dipole field and calorimetric end-walls outside

(b) Focus on a **wide acceptance** detector system similar to HERA experiments

- allow for the maximum possible  $Q^2$  range.

# Summary

- EIC presents a unique opportunity in high energy nuclear physics and precision QCD physics

e+A	Polarized e+p
<ul style="list-style-type: none"><li>• Study the Physics of <b>Strong Color Fields</b><ul style="list-style-type: none"><li>- Establish (or not) the existence of the saturation regime and its properties</li><li>- Explore non-linear QCD</li><li>- Measure momentum &amp; space-time of glue</li></ul></li><li>• Study the nature <b>Pomerons</b></li><li>• Test and study the limits of <b>universality</b></li></ul>	<ul style="list-style-type: none"><li>• Precisely <b>image</b> the <b>sea-quarks and gluons</b> to determine the spin, flavor and spatial structure of the nucleon</li></ul>

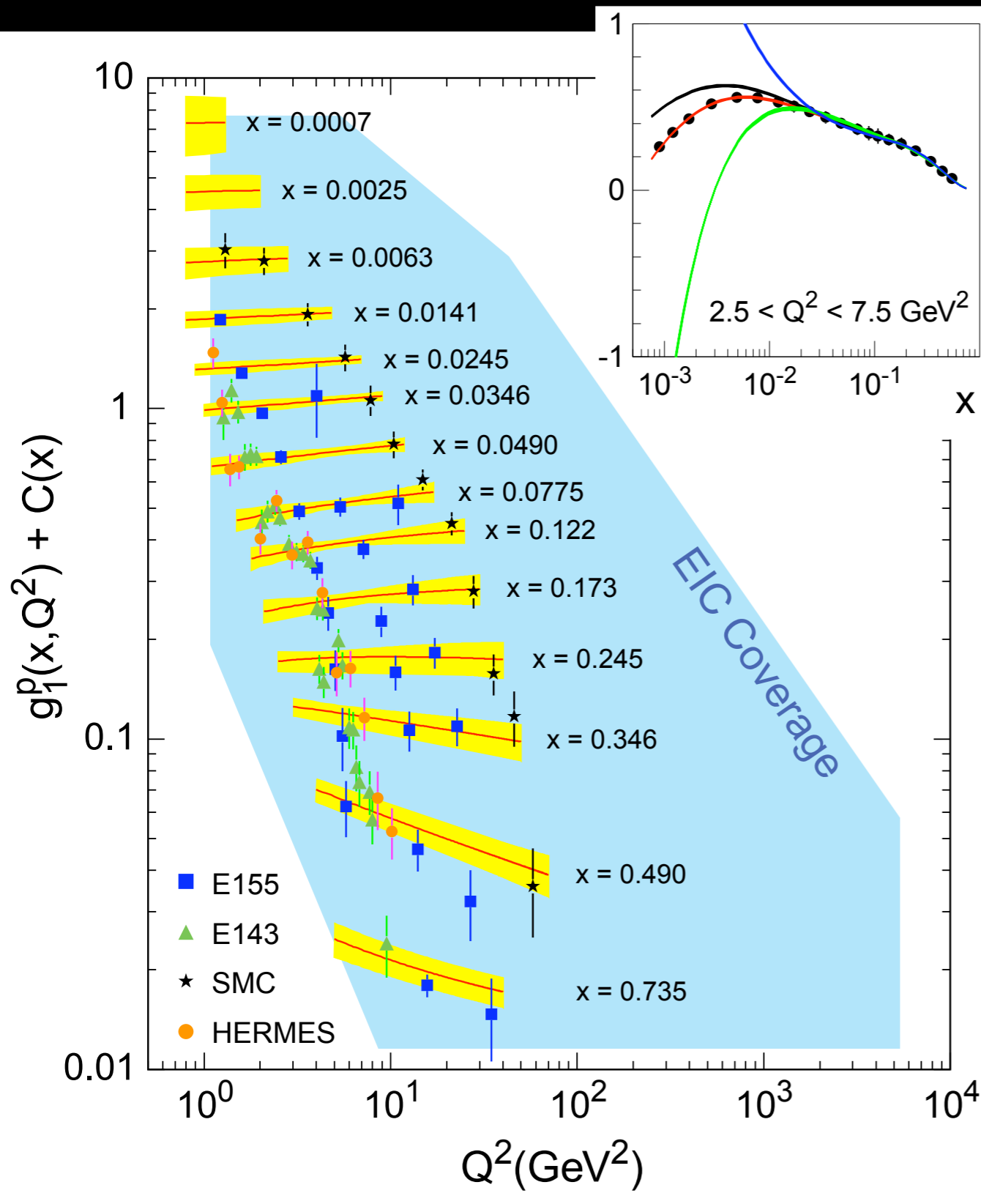
- Embraced by NSAC in NP Long Range Plan
  - Recommendation: R&D on the level of \$6M/year over next 5 years
- Plan: EIC Proposal ready for Next Long Range Plan (2012)

EIC on the web: <http://web.mit.edu/eicc>



# Additional Slides

# Spin Physics at the EIC



## Spin Structure of the Proton

$$\frac{1}{2} = \frac{1}{2} \Delta\Sigma + \Delta G + L_q + L_g$$

quark contribution  $\Delta\Sigma \approx 0.3$

gluon contribution  $\Delta G \approx -0.2 \pm 0.7$

$\Delta G$ : a “quotable” property of the proton (like mass, charge)

Measure through scaling violation:

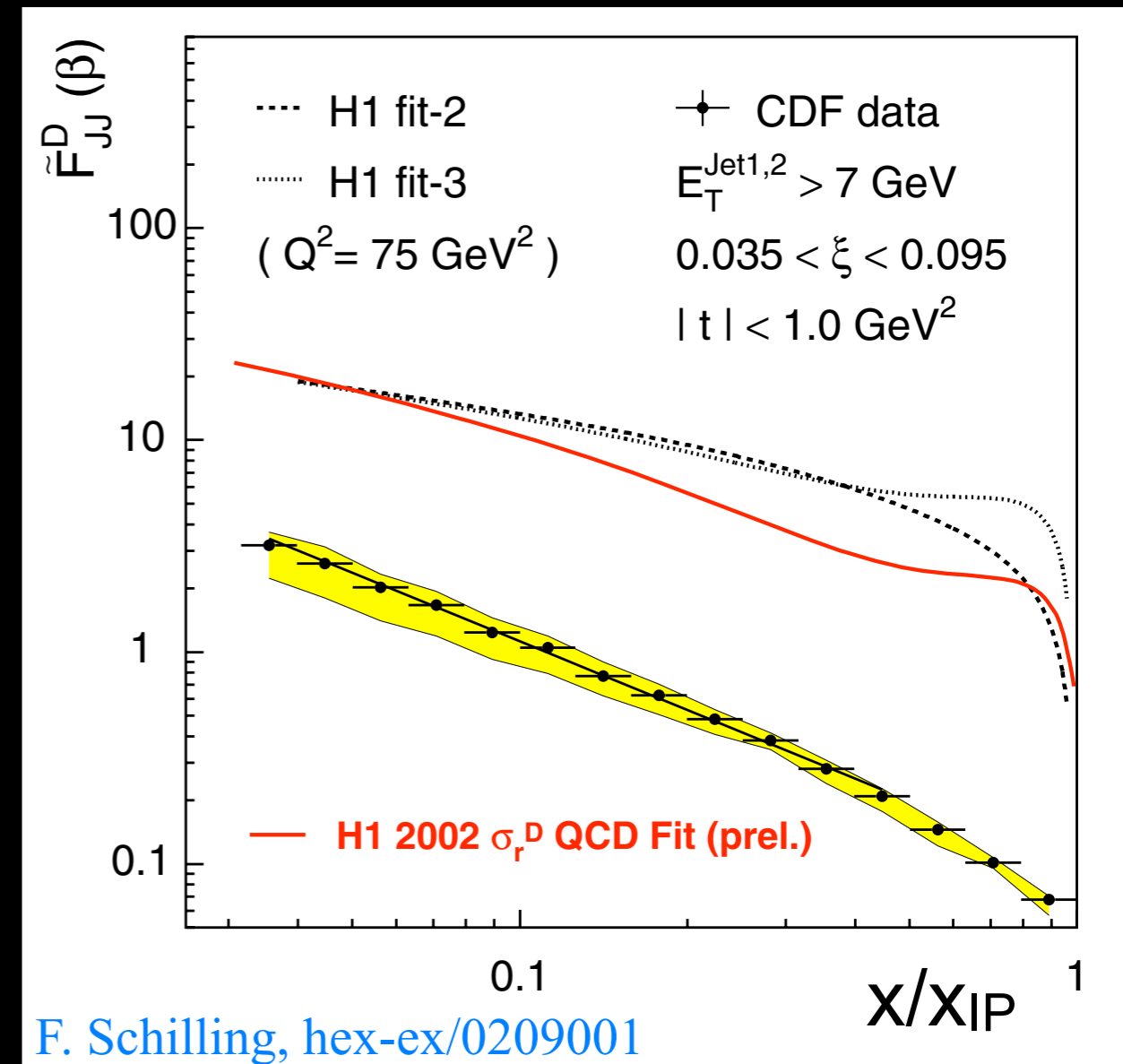
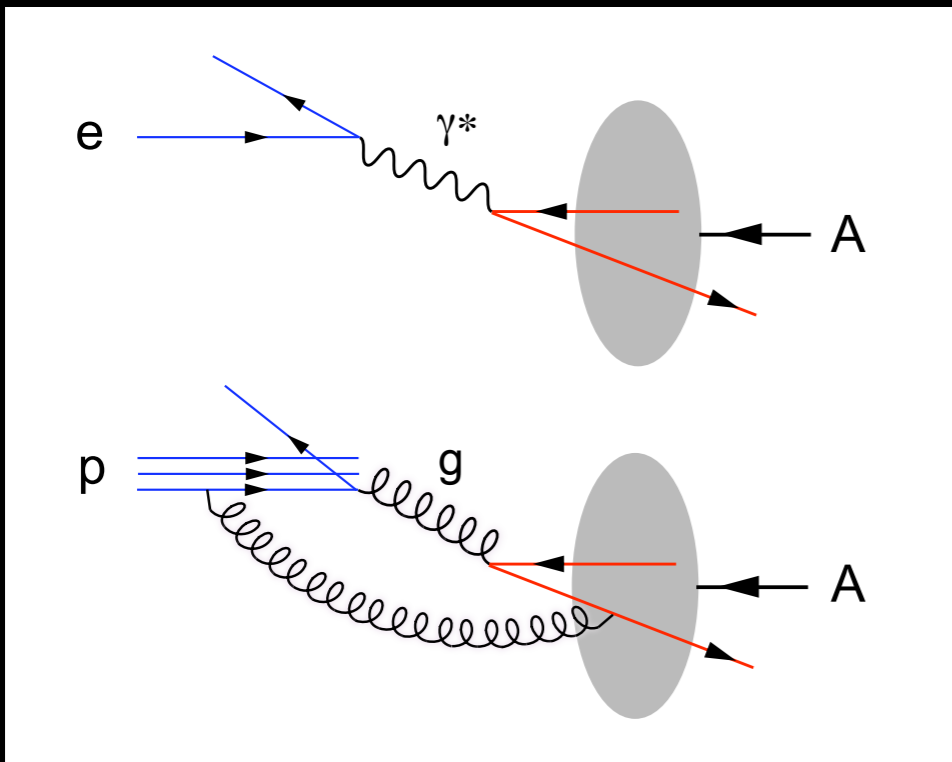
$$\frac{dg_1}{d \log Q^2} \propto -\Delta g(x, Q^2)$$

$$\Delta G = \int_{x=0}^{x=1} \Delta g(x, Q^2) dx$$

**Superb sensitivity to  $\Delta g$  at small  $x$ !**

# Connection to $p+A$

- $e+A$  and  $p+A$  provide excellent information on properties of gluons in the nuclear wave functions
- Both are *complementary* and offer the opportunity to perform stringent checks of **factorization/universality**
- Issues:
  - $p+A$  lacks access to  $x, Q^2$
  - $G$  from  $p+A$  ? (model dependent)



**$e+p$  HERA versus  $p+p$  Tevatron**  
 $\Rightarrow$  Breakdown of *factorization*  
 seen for diffractive final states

# The EIC and the LHeC

$$\text{EIC: } L > 1 \times 10^{33} \text{ cm}^{-2}\text{s}^{-1}$$

$$E_{\text{cm}} = 20 - 100 \text{ GeV}$$

$$\text{LHeC: } L = 1.1 \times 10^{33} \text{ cm}^{-2}\text{s}^{-1}$$

$$E_{\text{cm}} = 1.4 \text{ TeV}$$

- Variable energy range
- Polarized and heavy ion beams
- High luminosity in energy region of interest for nuclear science

Nuclear science goals:

- Explore the new QCD frontier: strong color fields in nuclei
- Precisely image the sea-quarks and gluons to determine the spin, flavor and spatial structure of the nucleon.

- Add 70-100 GeV electron ring or Linac to interact with LHC ion beam
- Use LHC-B or ALICE IR
- High luminosity mainly due to large  $\gamma$ 's (= E/m) of beams

High-Energy physics goals:

- Parton dynamics at the TeV scale
  - physics beyond the Standard Model
  - physics of high parton densities (low x)

Important cross fertilization of ideas:

Significant European interest in an EIC

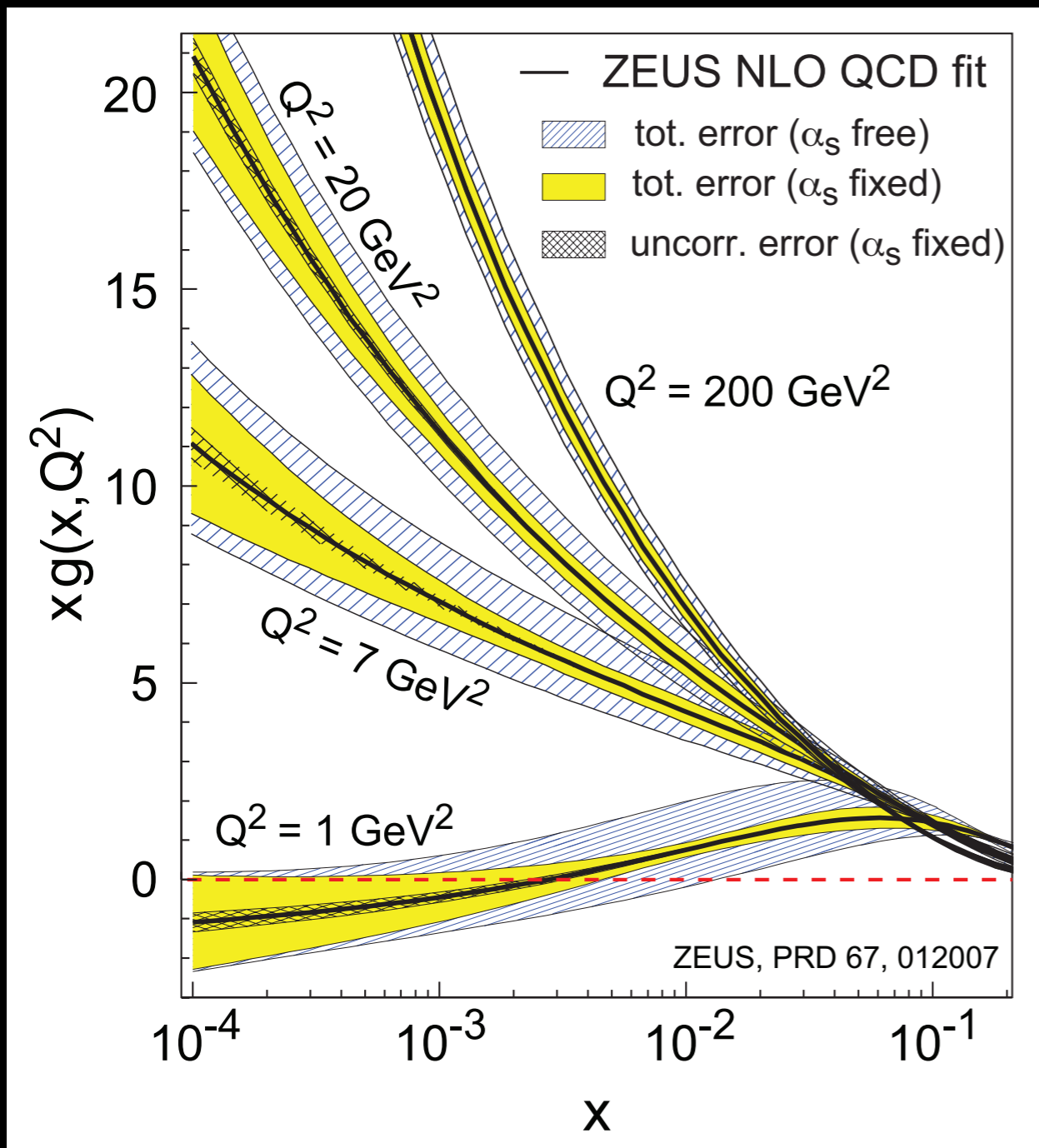
EIC collaborators on LHeC Science Advisory Committee

(with Research Directors of CERN, FNAL, DESY)

# Why Hera did not do EIC Physics

- eA physics:
  - Up to Ca beams considered (Hera III)
  - Low luminosity (1000 compared to EIC)
  - Would have needed ~\$100M to upgrade the source to have more ions, but still the low luminosity
- Polarized e-p physics
  - HERA-p ring is not planar
  - No. of Siberian snake magnets required to polarize beam estimated to be 6-8: Not enough straight sections for Siberian snakes and not enough space in the tunnel for their cryogenics
  - Technically difficult
- DESY was a HEP laboratory focused on the high energy frontier (Tesla).

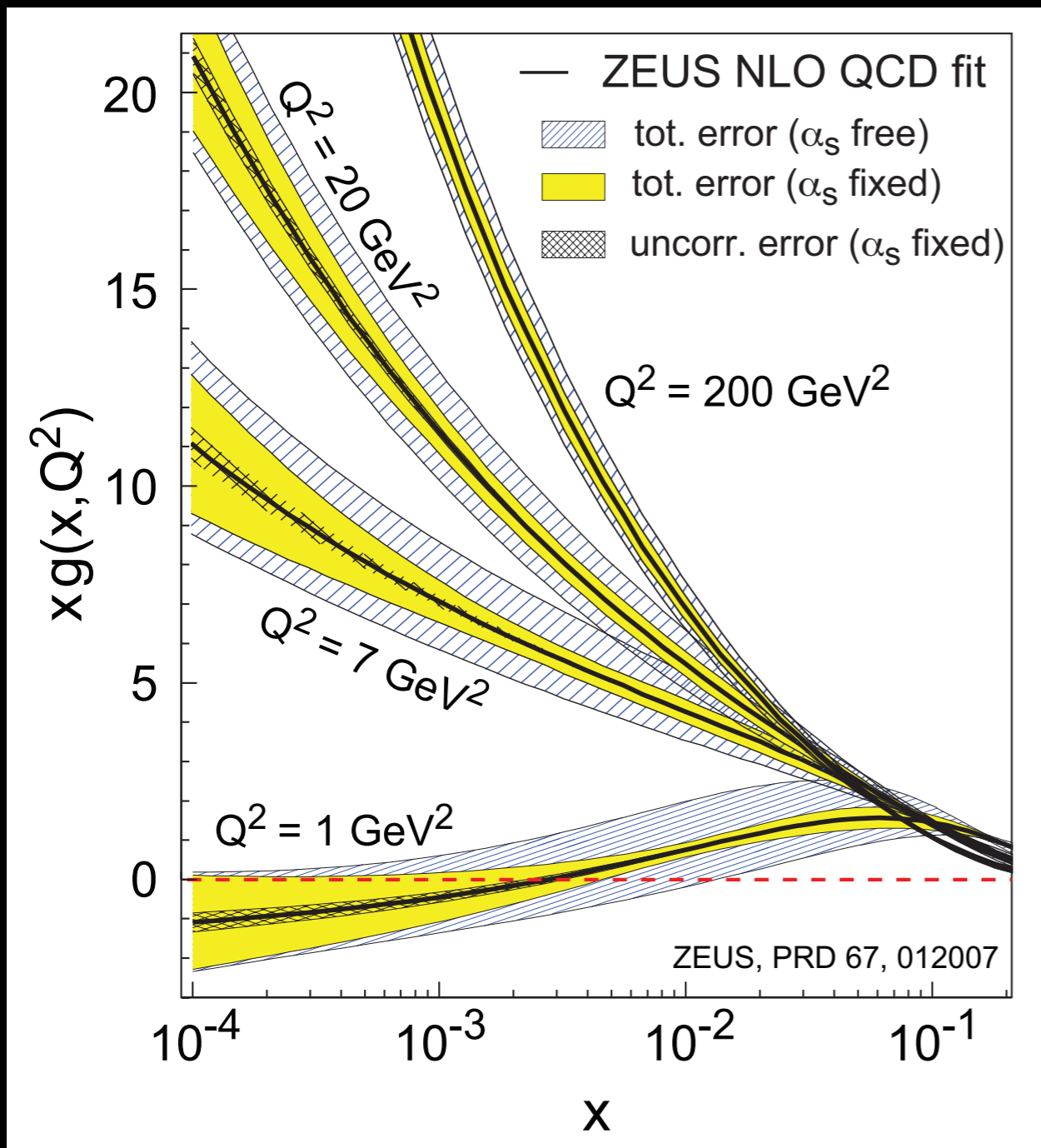
# Issues With Our Understanding



Established Model:

- **Linear DGLAP evolution** scheme
  - Weird behavior of  $xG$  at small  $x$ ,  $Q^2$
  - Could signal saturation, higher twist effects, need for more/better data?
  - Unexpectedly large diffractive cross-section

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more severe:

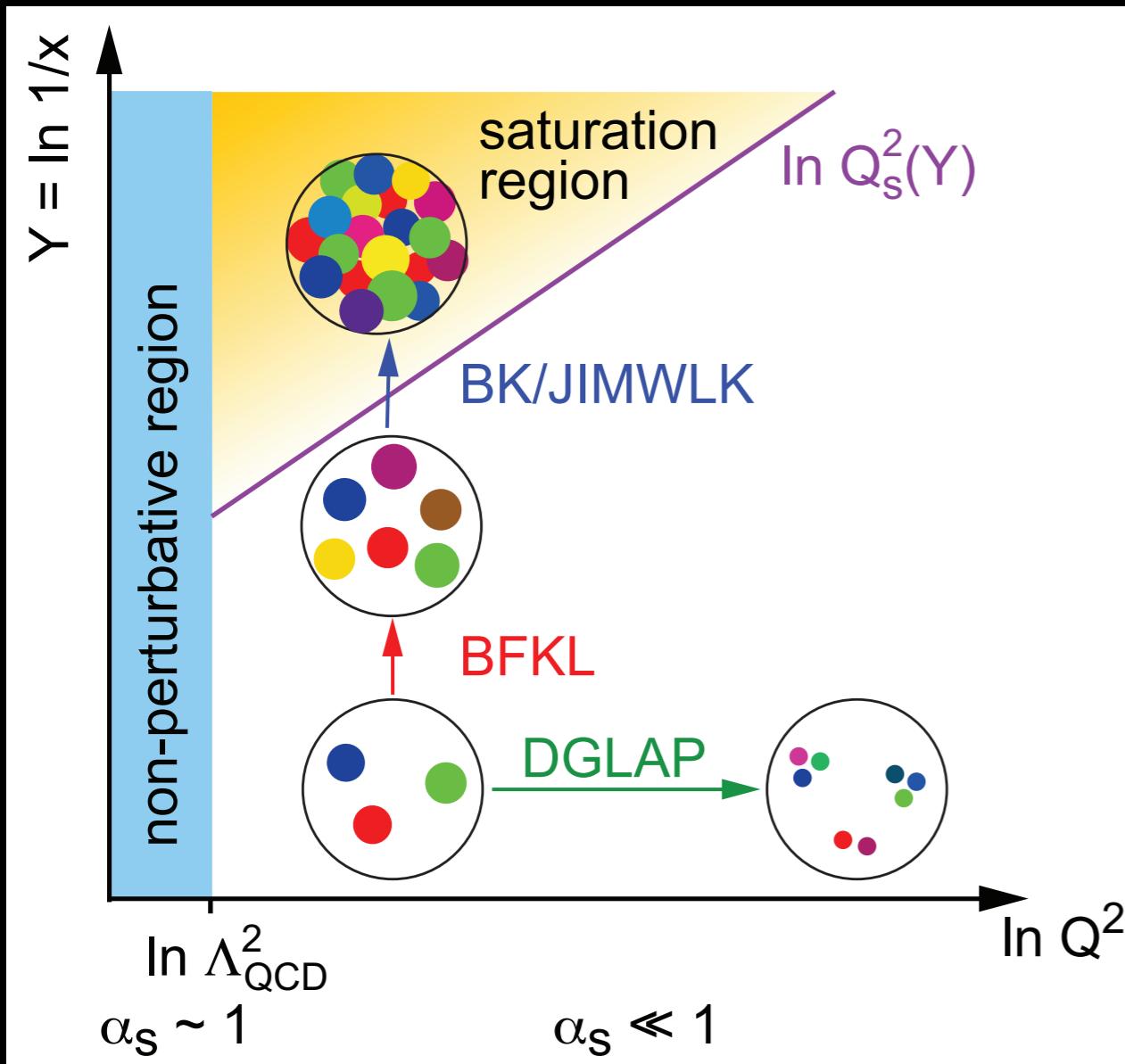
- Linear Evolution has a built in high energy “catastrophe”
  - $xG$  rapid rise for decreasing  $x$  and violation of (Froissart) unitary bound

⇒ *must tame growth (saturate)*

- Underlying dynamics?



# New Approach: Non-Linear QCD

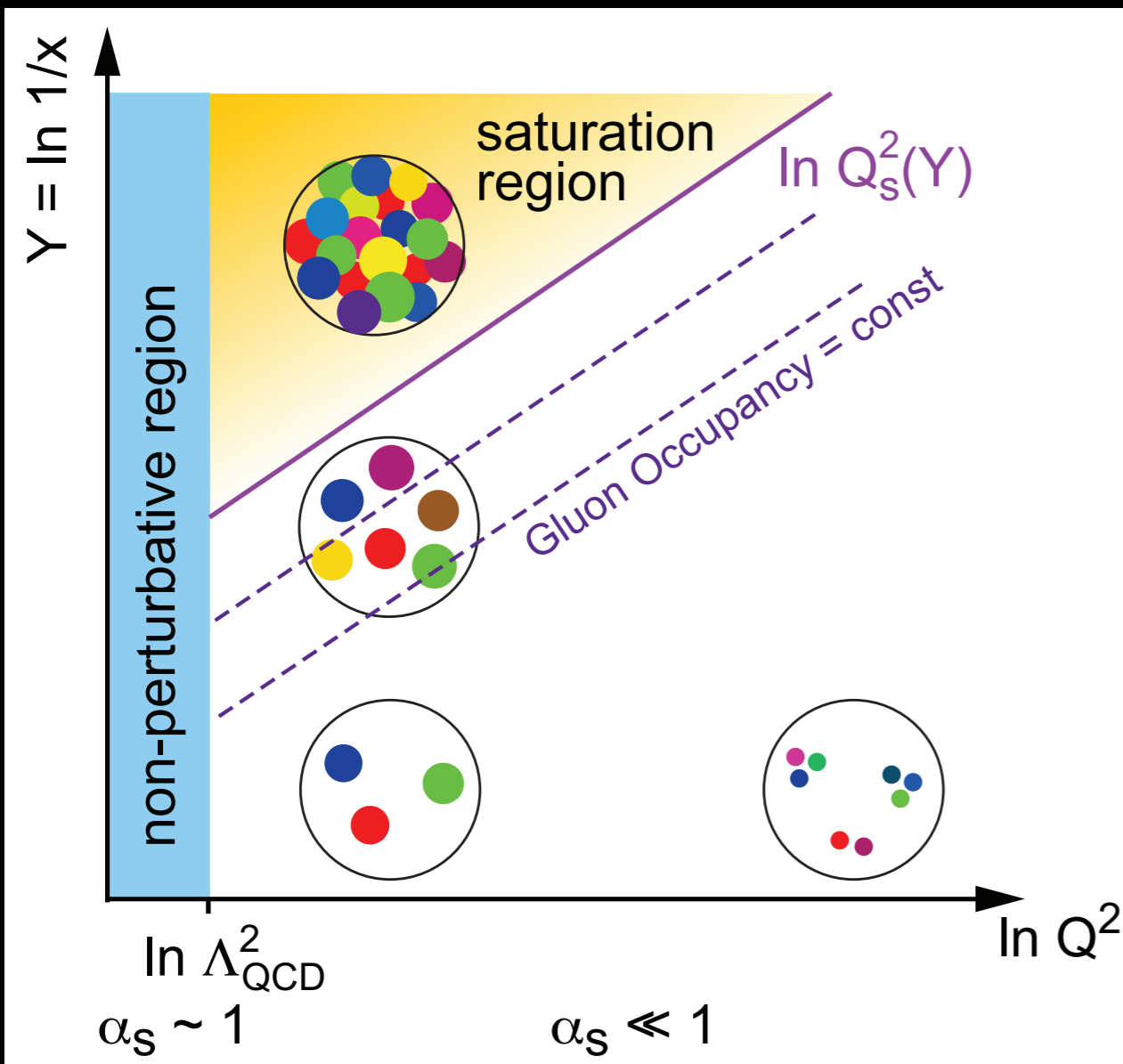


BK/JIMWLK: *non-linear* effects

⇒ **saturation**

- characterized by  $Q_s(x, A)$
- believed to have properties of a *Color Glass Condensate*

# New Approach: Non-Linear QCD



## Consequence of non-linear evolution:

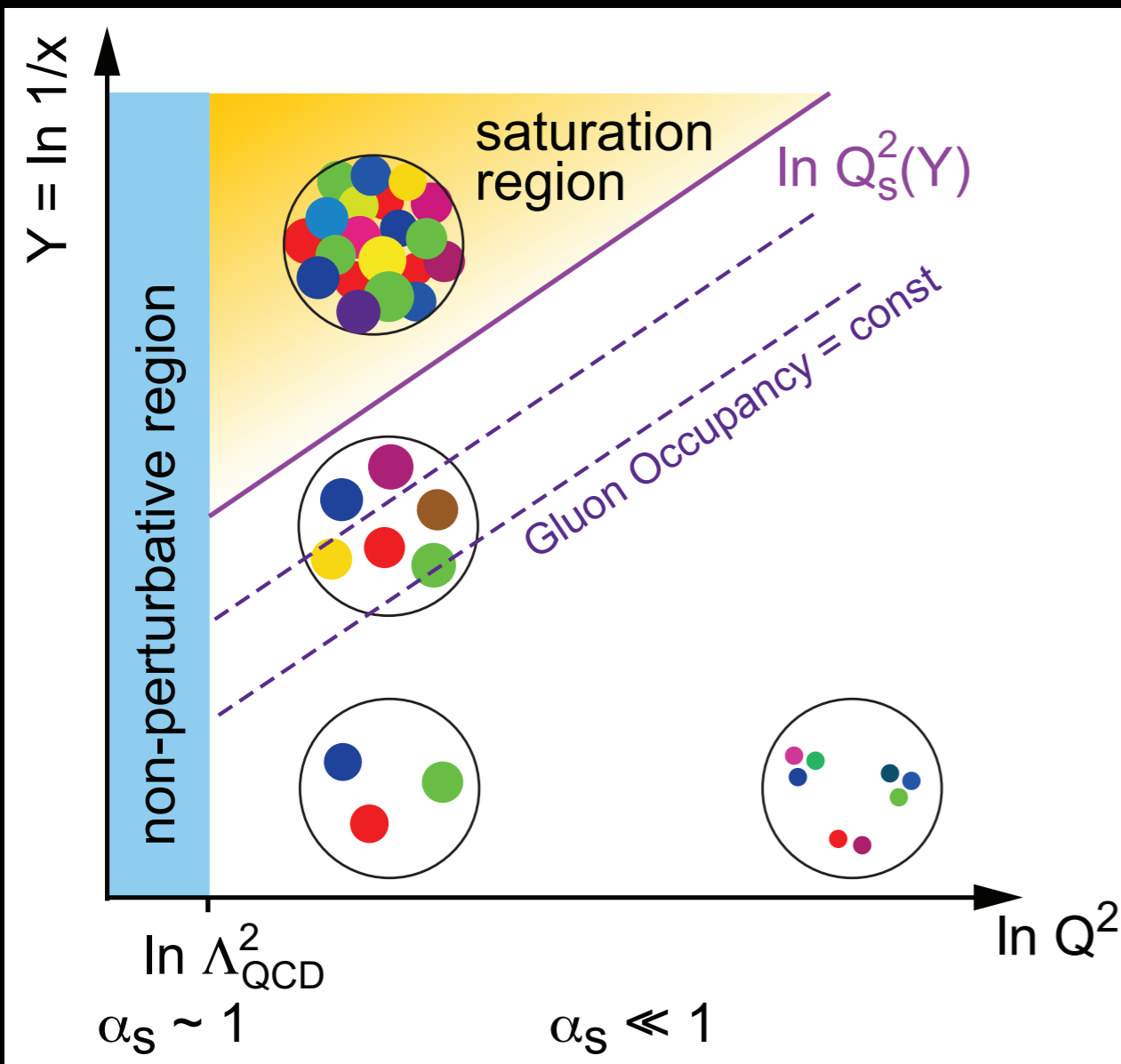
- Physics invariant along trajectories parallel to saturation regime
- Scale with  $Q^2/Q_s^2(x)$  instead of  $x$  and  $Q^2$  separately

BK/JIMWLK: *non-linear* effects

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# New Approach: Non-Linear QCD



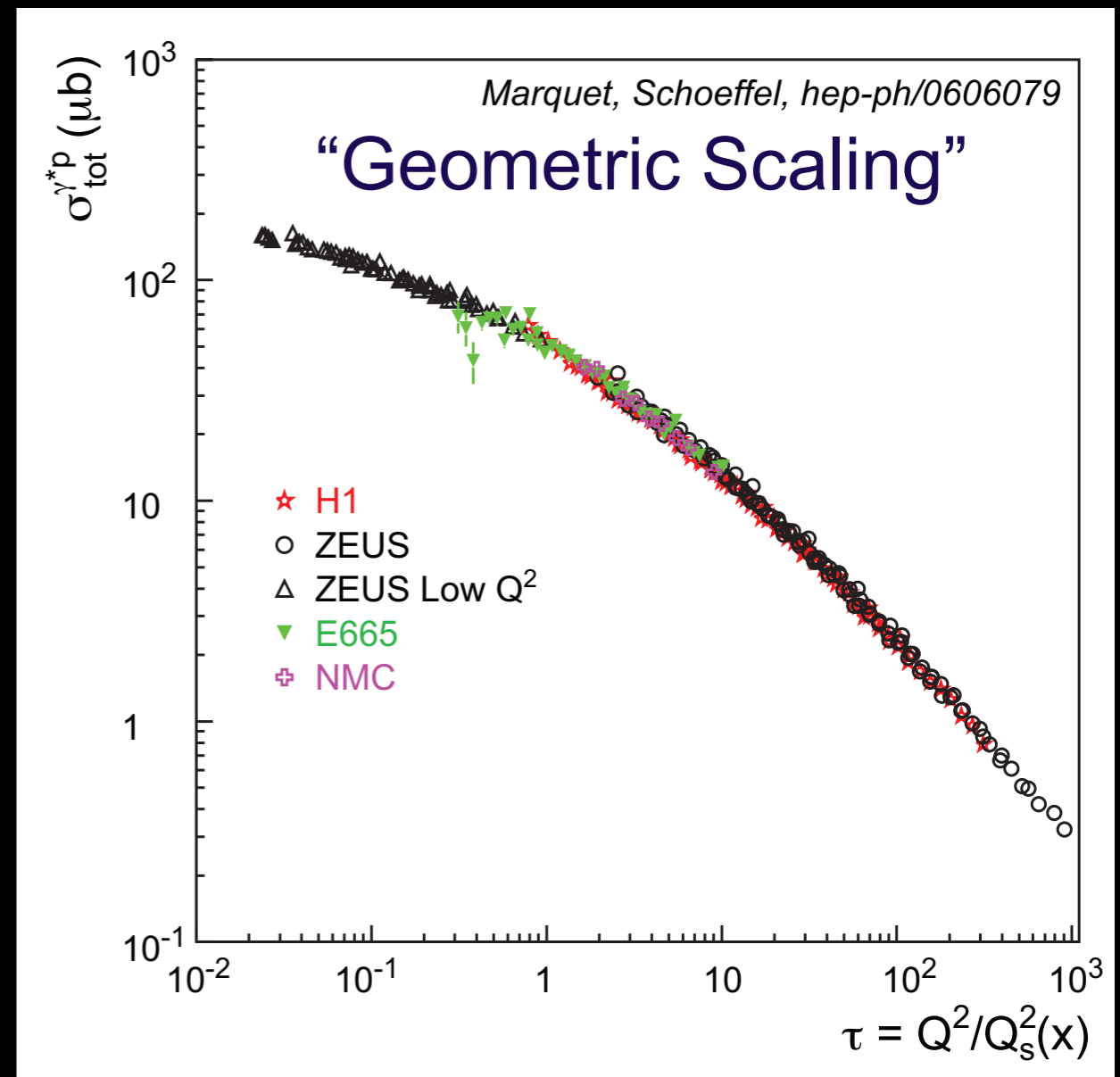
*Consequence of non-linear evolution:*

- Physics invariant along trajectories parallel to saturation regime
- Scale with  $Q^2/Q_s^2(x)$  instead of  $x$  and  $Q^2$  separately

BK/JIMWLK: *non-linear* effects

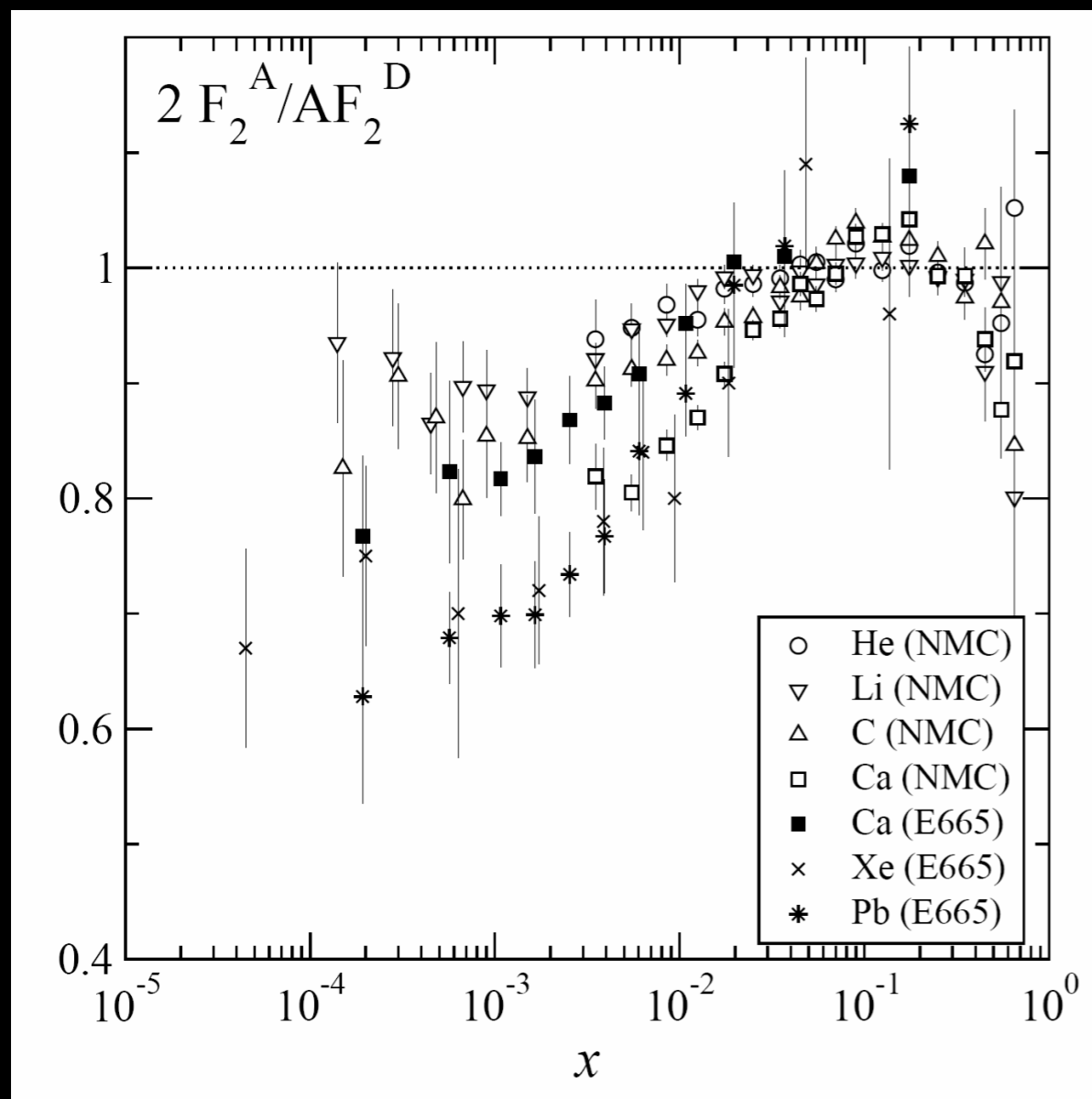
$\Rightarrow$  **saturation**

- characterized by  $Q_s(x, A)$
- believed to have properties of a *Color Glass Condensate*



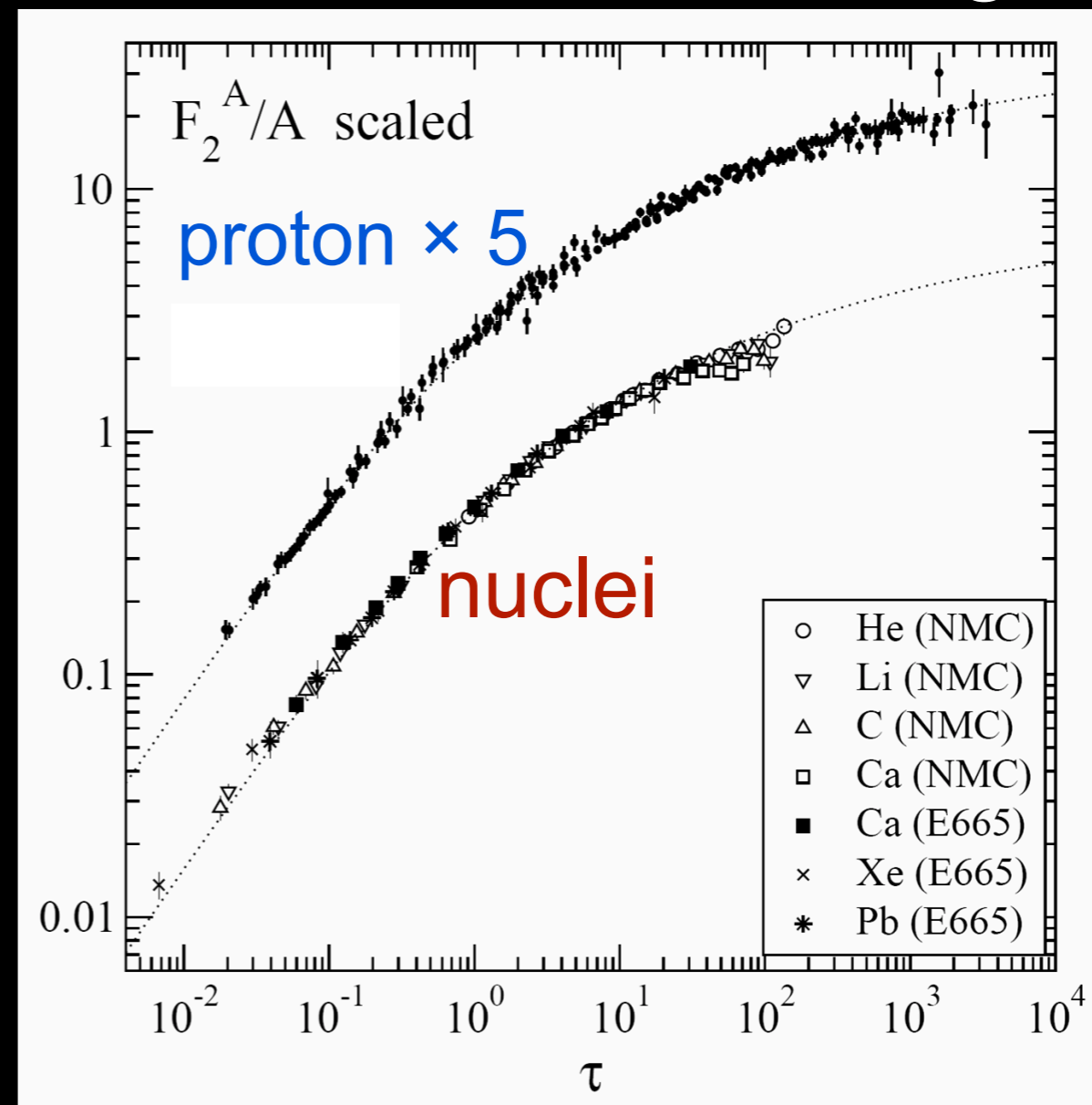
# $Q_s$ - A Scale that Binds them All ?

Nuclear shadowing:



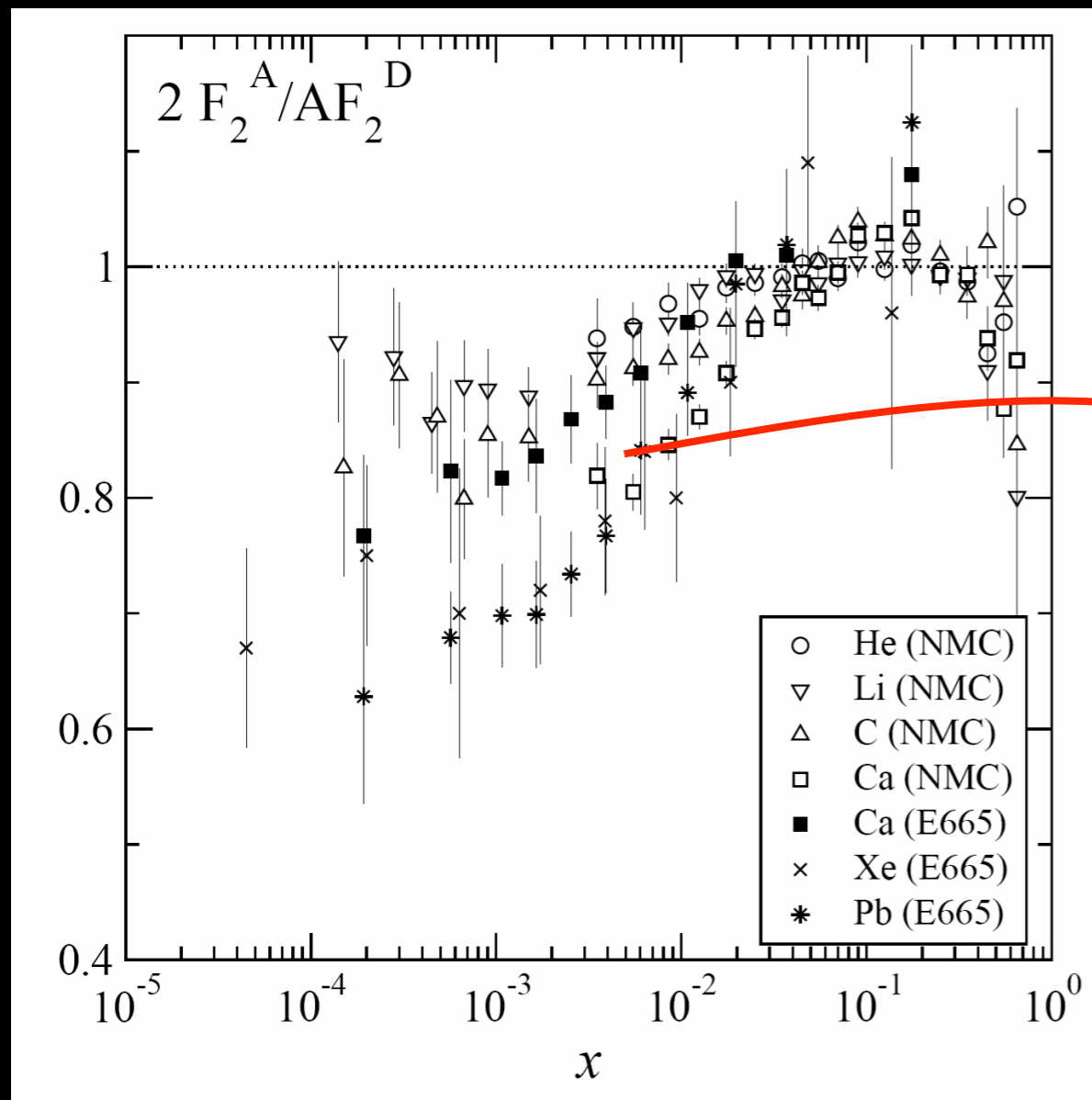
Freund et al., hep-ph/0210139

Geometrical scaling



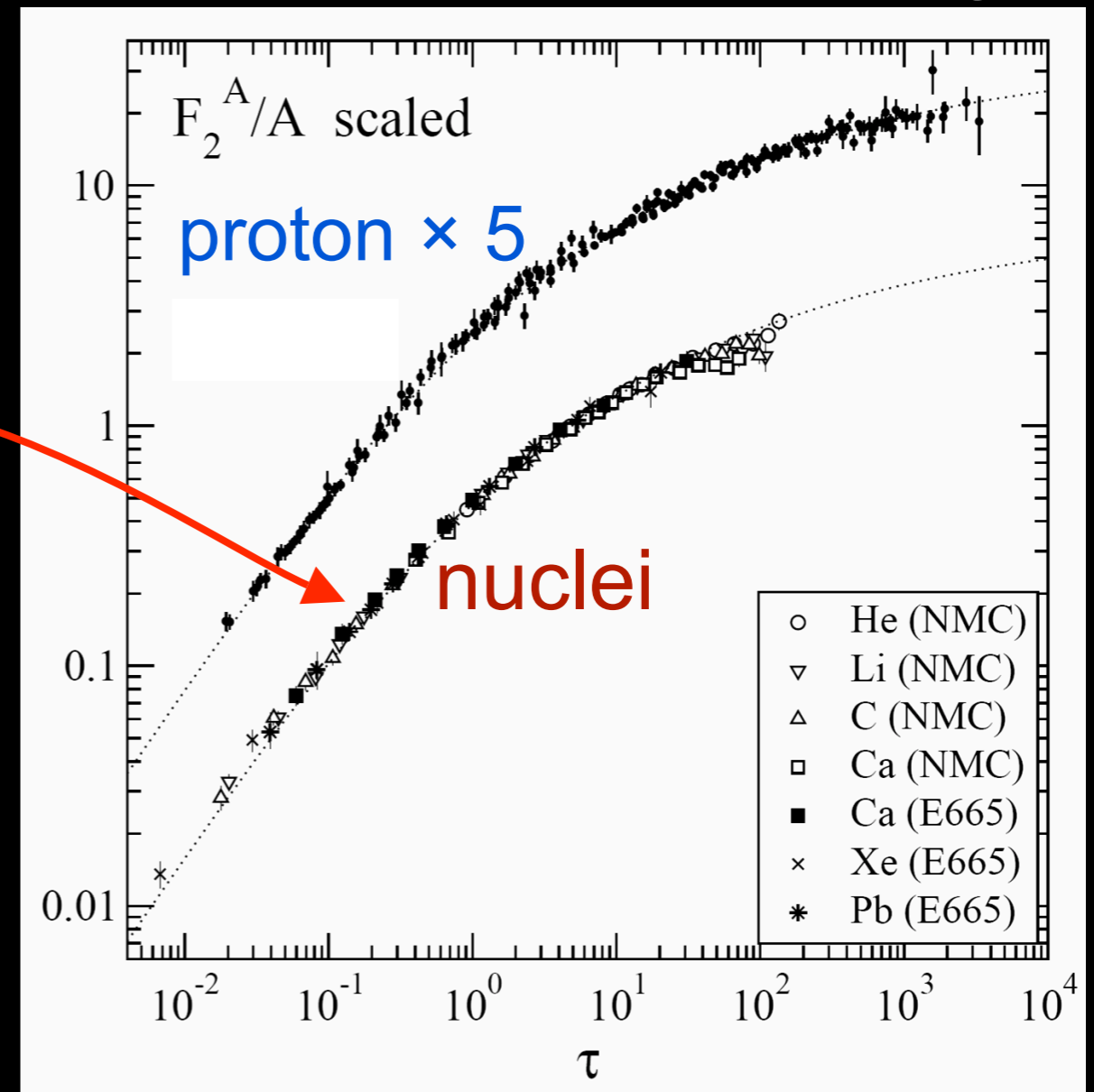
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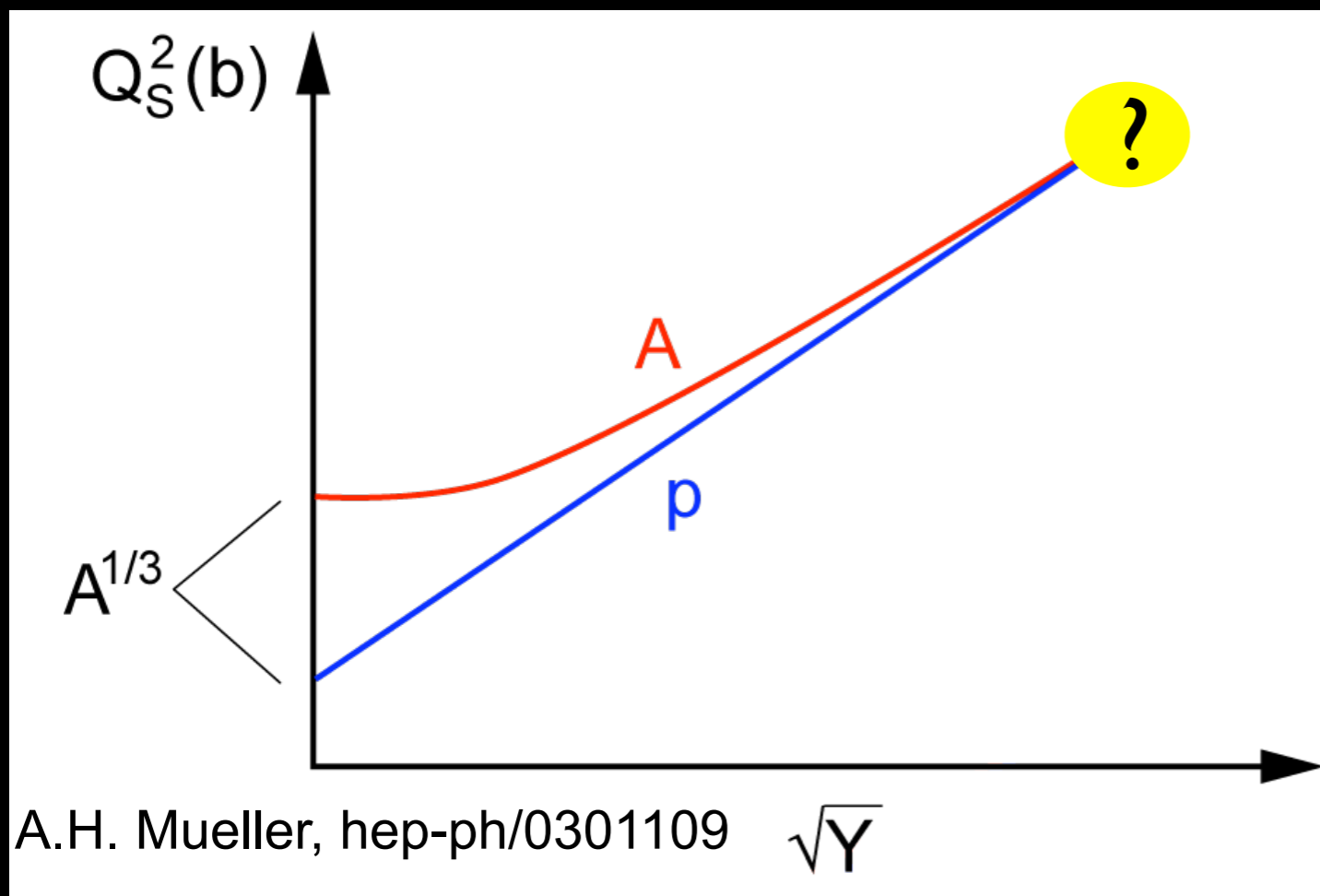
Freund et al., hep-ph/0210139

Geometrical scaling



Are hadrons and nuclei wave function universal at low- $x$  ?

# A Truly Universal Regime ?



Small  $x$  QCD evolution predicts:

$Q_s$  approaches *universal* behavior for *all* hadrons and nuclei

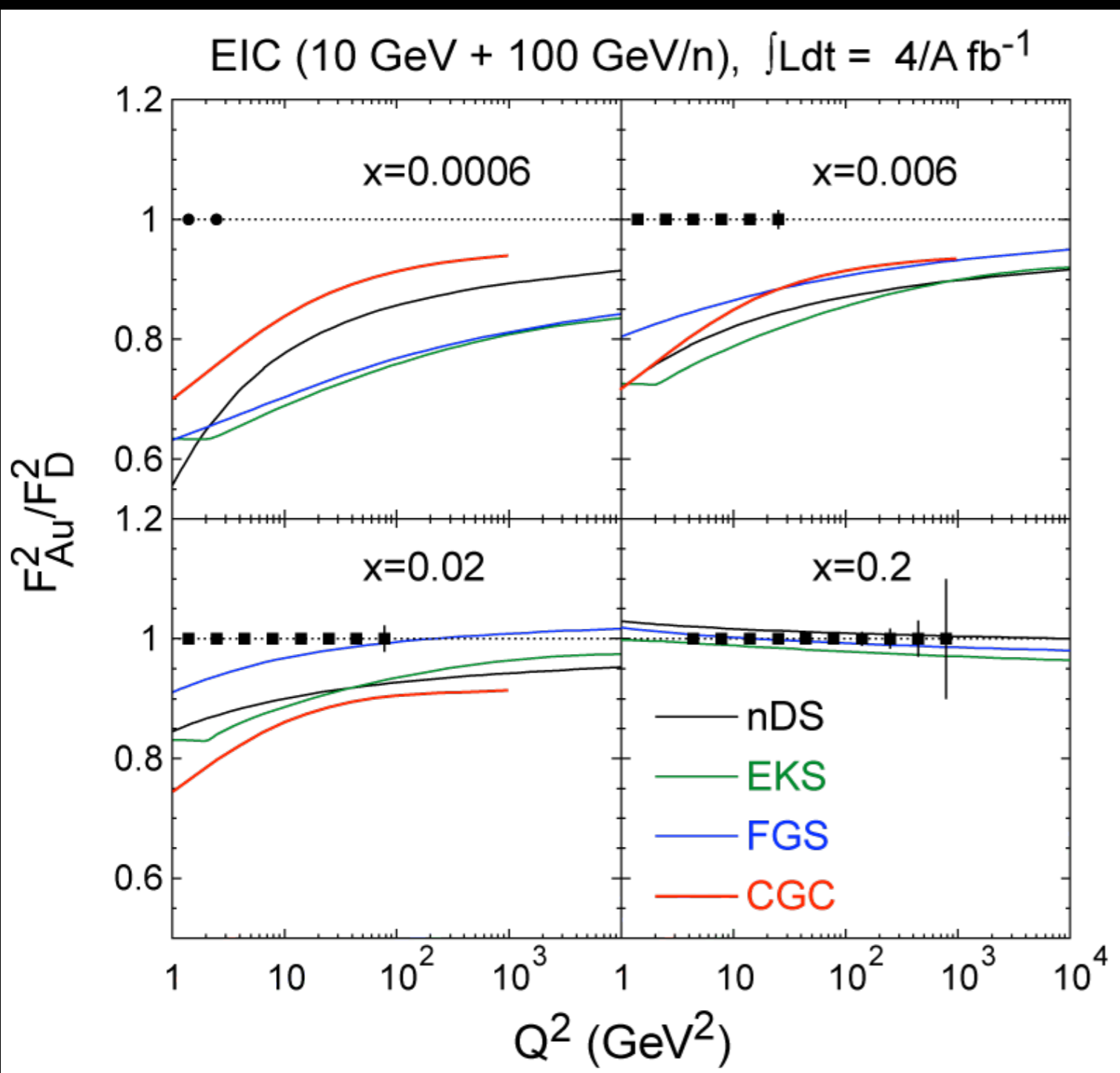
$\Rightarrow$  Not only functional form  $f(Q_s)$  universal but even  $Q_s$  becomes the same

## Radical View:

Nuclei and all hadrons have a component of their wave function with the *same* behavior.

This is a conjecture! Needs to be tested.

# $F_2$ : Sea (Anti)Quarks Generated by Glue



$F_2$  will be one of the first measurements at EIC

nDS, EKS, FGS:  
pQCD based models with different amounts of shadowing

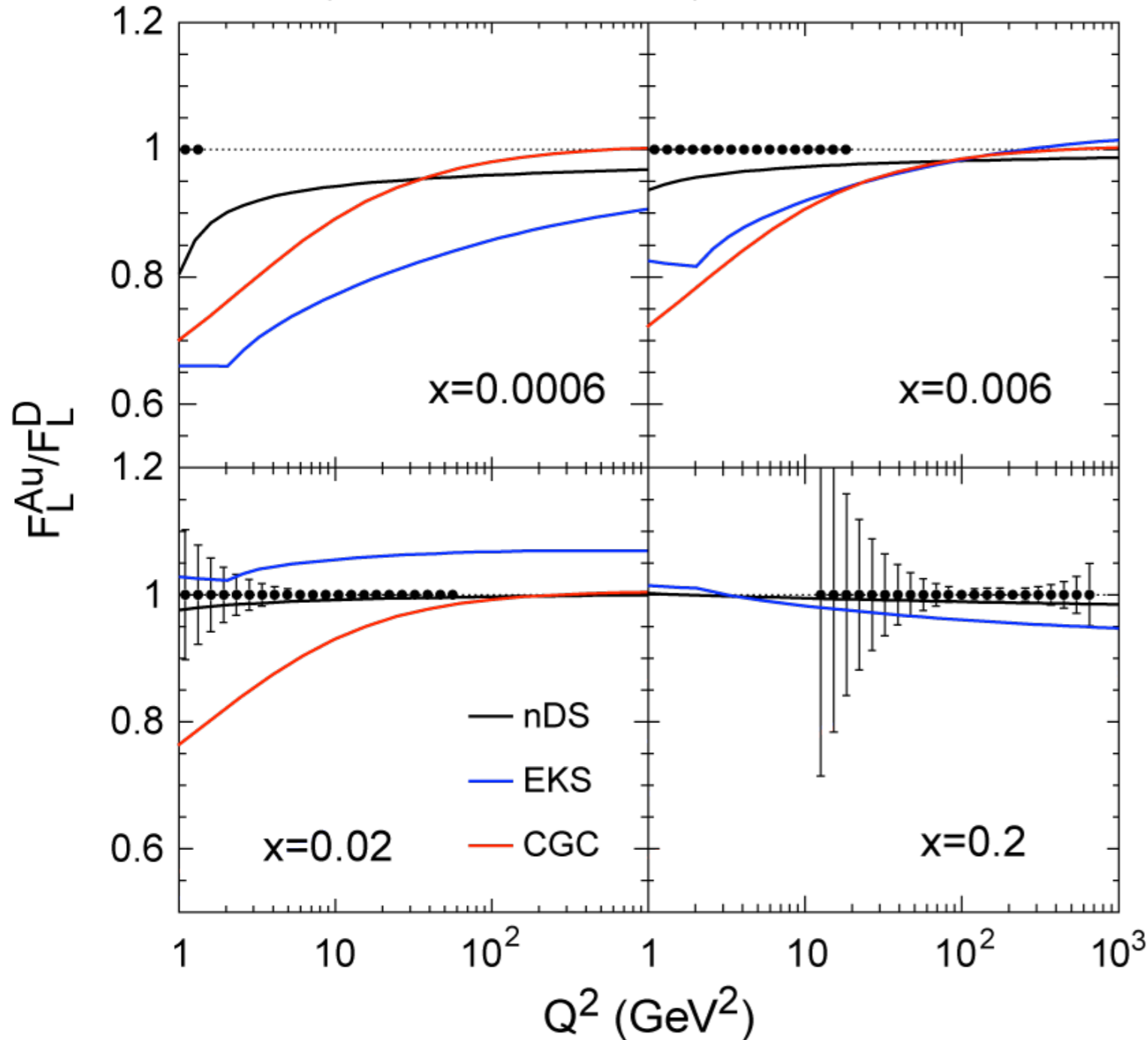
Syst. studies of  $F_2(A, x, Q^2)$ :  
 $\Rightarrow G(x, Q^2)$  with precision  
 $\Rightarrow$  distinguish between models

$$\frac{d^2\sigma^{ep \rightarrow eX}}{dx dQ^2} = \frac{4\pi\alpha_{e.m.}^2}{xQ^4} \left[ \left(1 - y + \frac{y^2}{2}\right) F_2(x, Q^2) - \frac{y^2}{2} F_L(x, Q^2) \right].$$



# $F_L$ at EIC: Measuring the Glue

EIC (10 GeV + 100 GeV),  $\int Ldt = 5/A \text{ fb}^{-1}/\text{run}$



$F_L$  requires  $\sqrt{s}$  scan  
 $Q^2/xs = y$

Here:

$$\begin{aligned} \int Ldt &= 5/A \text{ fb}^{-1} (10+100) \text{ GeV} \\ &= 5/A \text{ fb}^{-1} (10+50) \text{ GeV} \\ &= 2/A \text{ fb}^{-1} (5+50) \text{ GeV} \end{aligned}$$

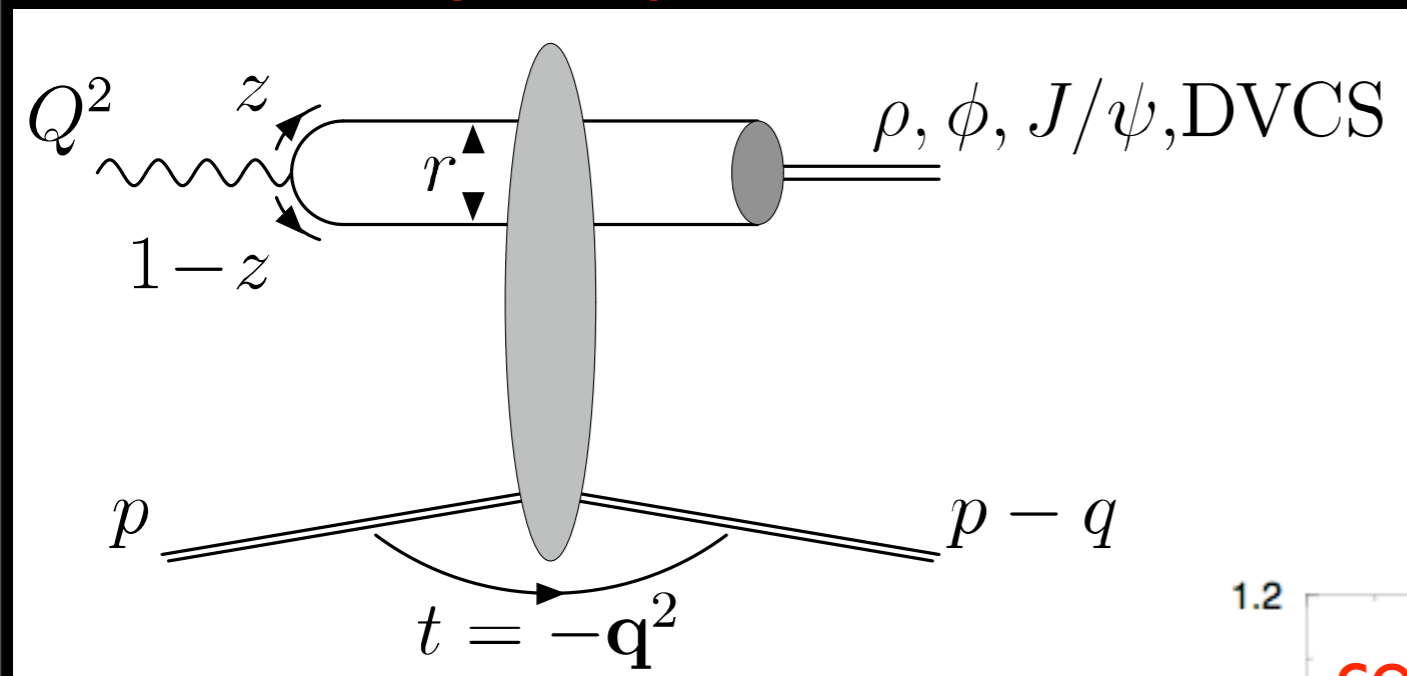
statistical error only

nDS and EKS are "standard" shadowing parameterizations that are evolved with DGLAP

$$\frac{d^2 \sigma^{ep \rightarrow eX}}{dx dQ^2} = \frac{4\pi \alpha_{e.m.}^2}{x Q^4} \left[ \left( 1 - y + \frac{y^2}{2} \right) F_2(x, Q^2) - \frac{y^2}{2} F_L(x, Q^2) \right].$$

# Vector Meson Production

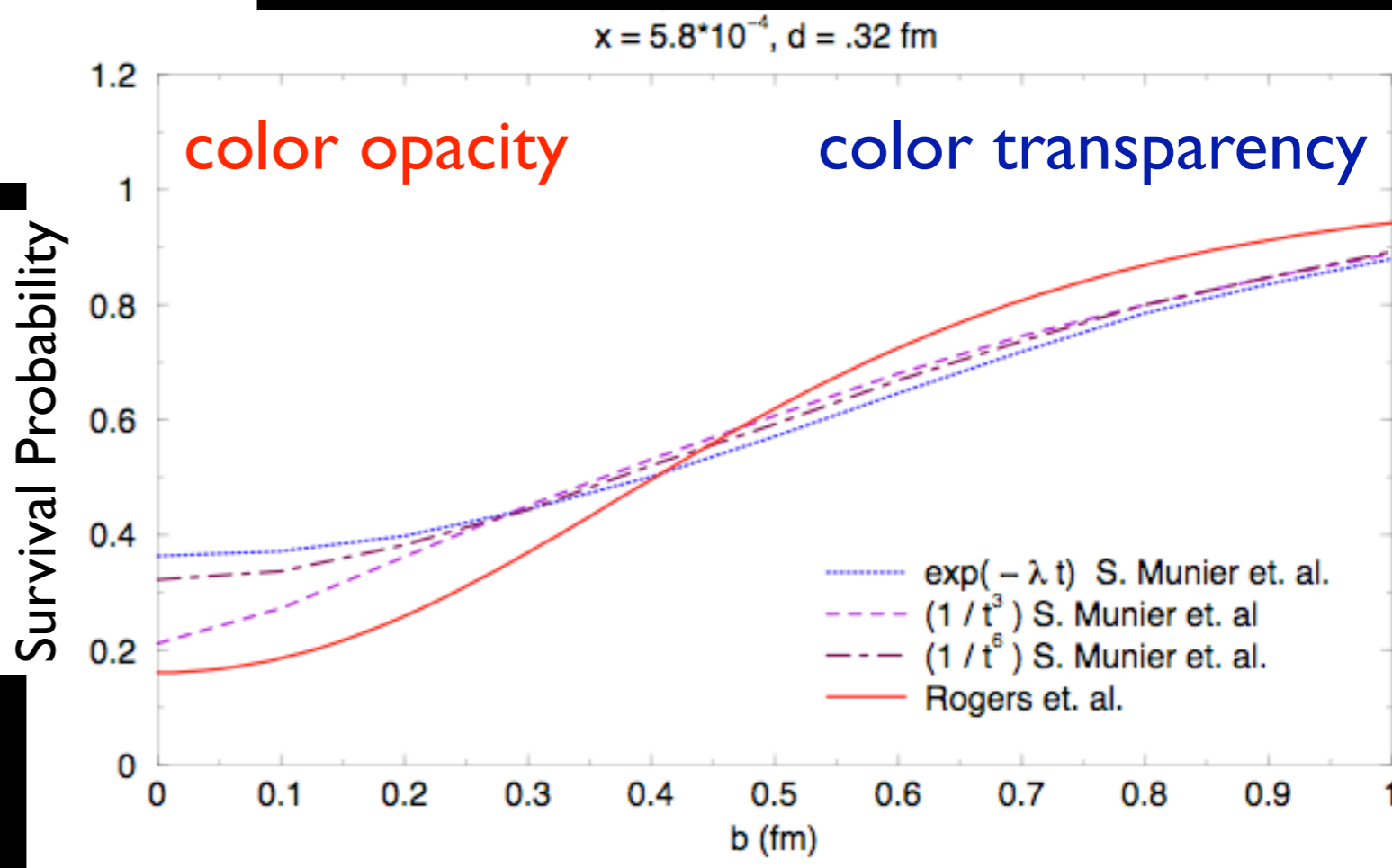
“color dipole” picture



$$\sigma_{q\bar{q},N}(E_{inc}) = \frac{\pi^2}{3} r_t^2 \alpha_s(Q^2) x g_N(x, Q^2)$$

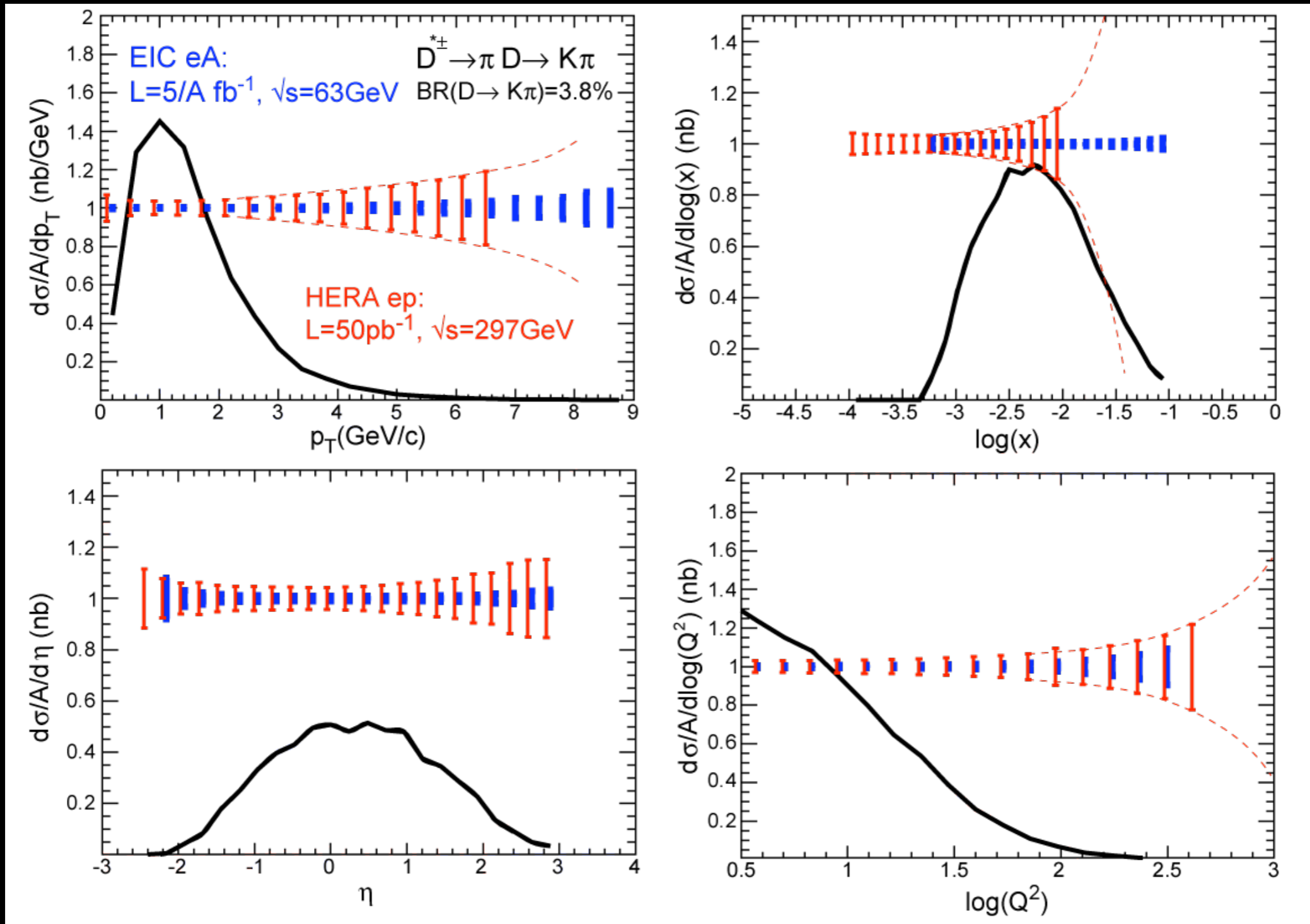
HERA: Survival prob. of vector mesons ( $q\bar{q}$  pair) as fct. of  $b$  extracted from elastic vector meson production (Munier curve:  $\rho_0$ , Rogers:  $J/\psi$ )

**Strong gluon fields** in center of  $p$  at HERA ( $Q_s \sim 0.5 \text{ GeV}^2$ )?



Note:  $b$  profile of nuclei more uniform and  $Q_s \sim 2 \text{ GeV}^2$

# Charm at EIC

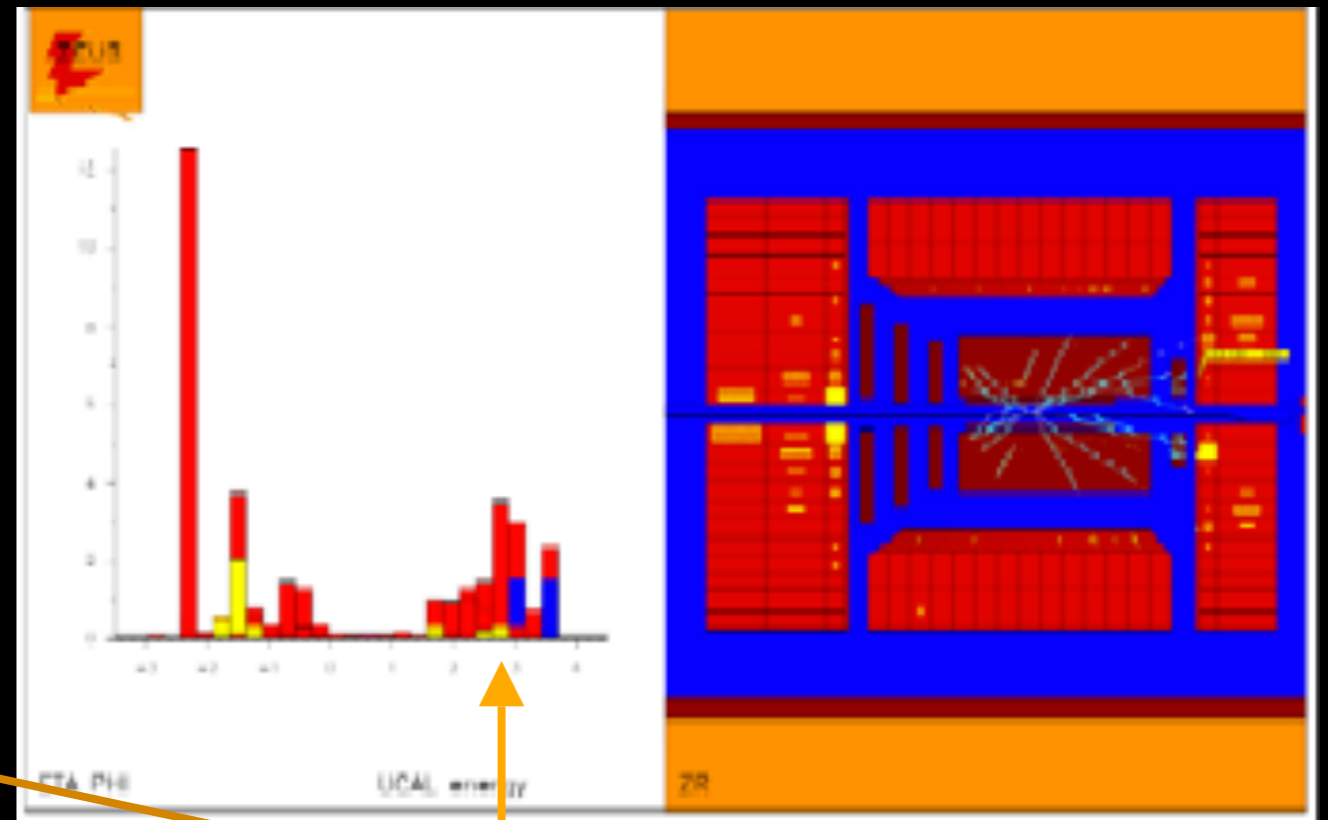
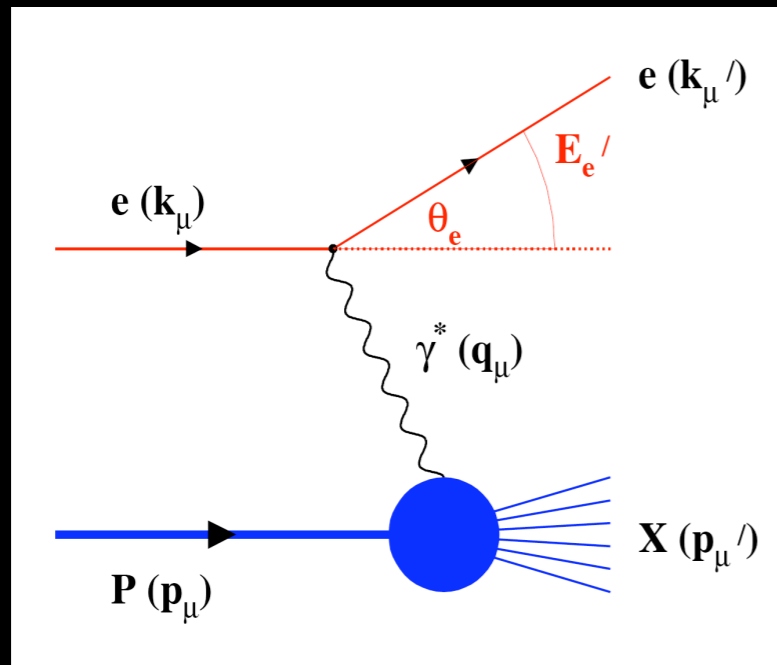


Based on HVQDIS model, J. Smith

EIC: allows multi-differential measurements of heavy flavor covers and extend energy range of SLAC, EMC, HERA, and JLAB allowing study of wide range of formation lengths

# Diffractive Physics in $e+A$

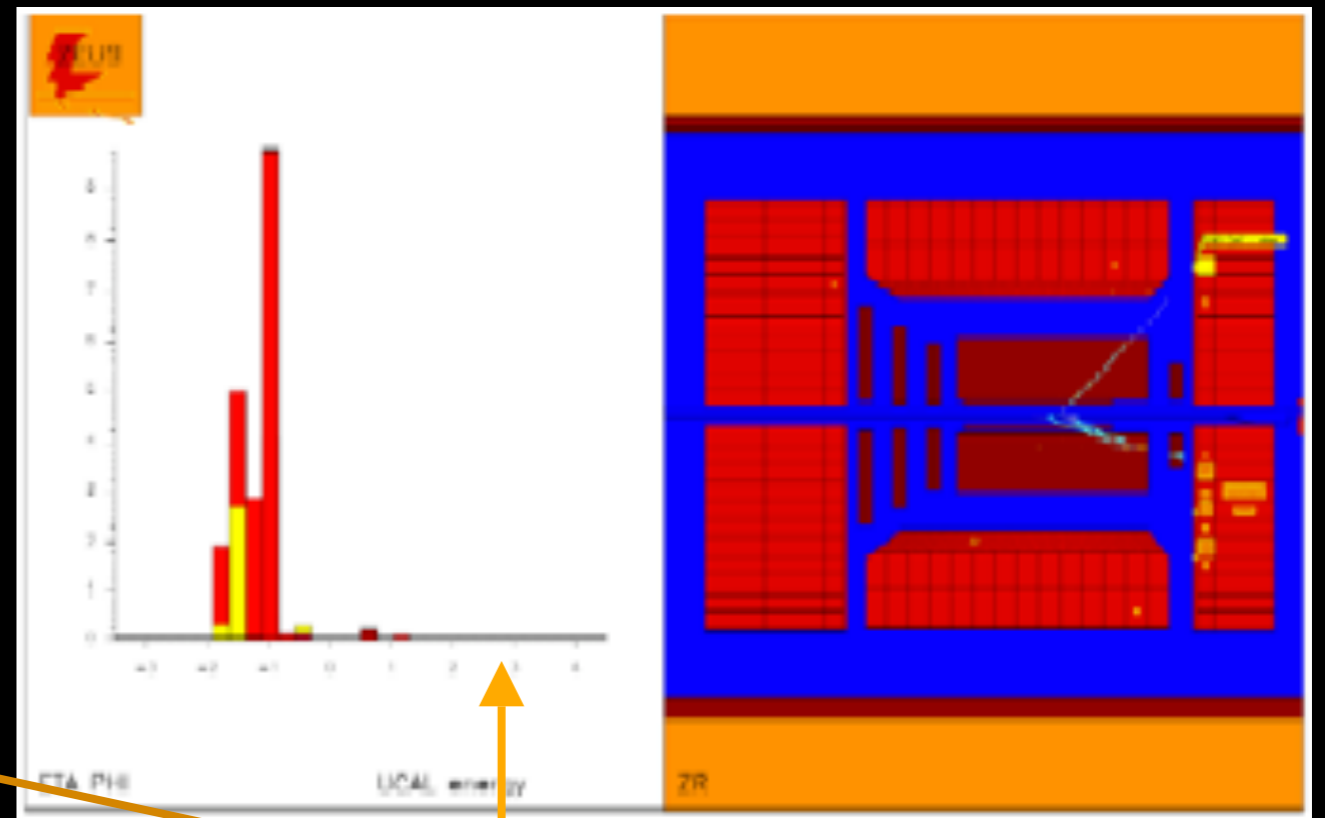
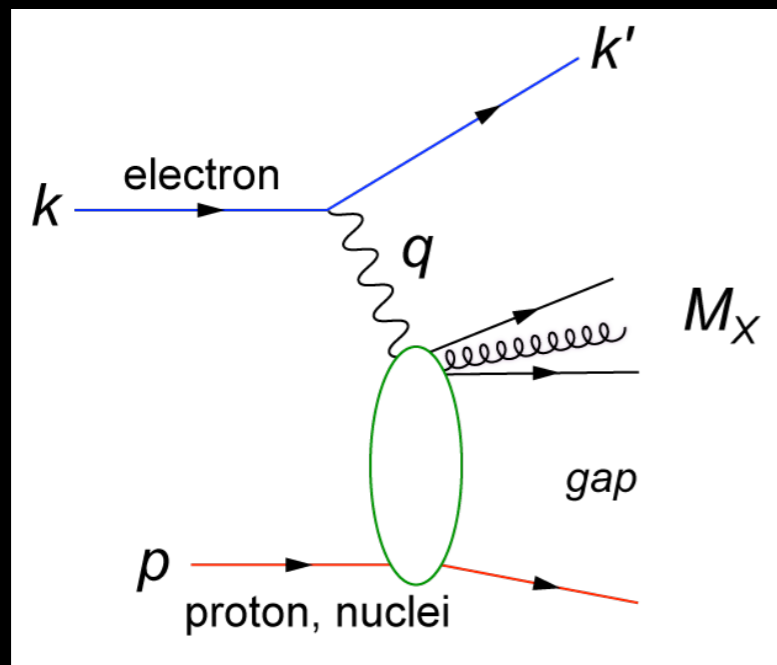
'Standard DIS event'



Activity in proton direction

# Diffractive Physics in $e+A$

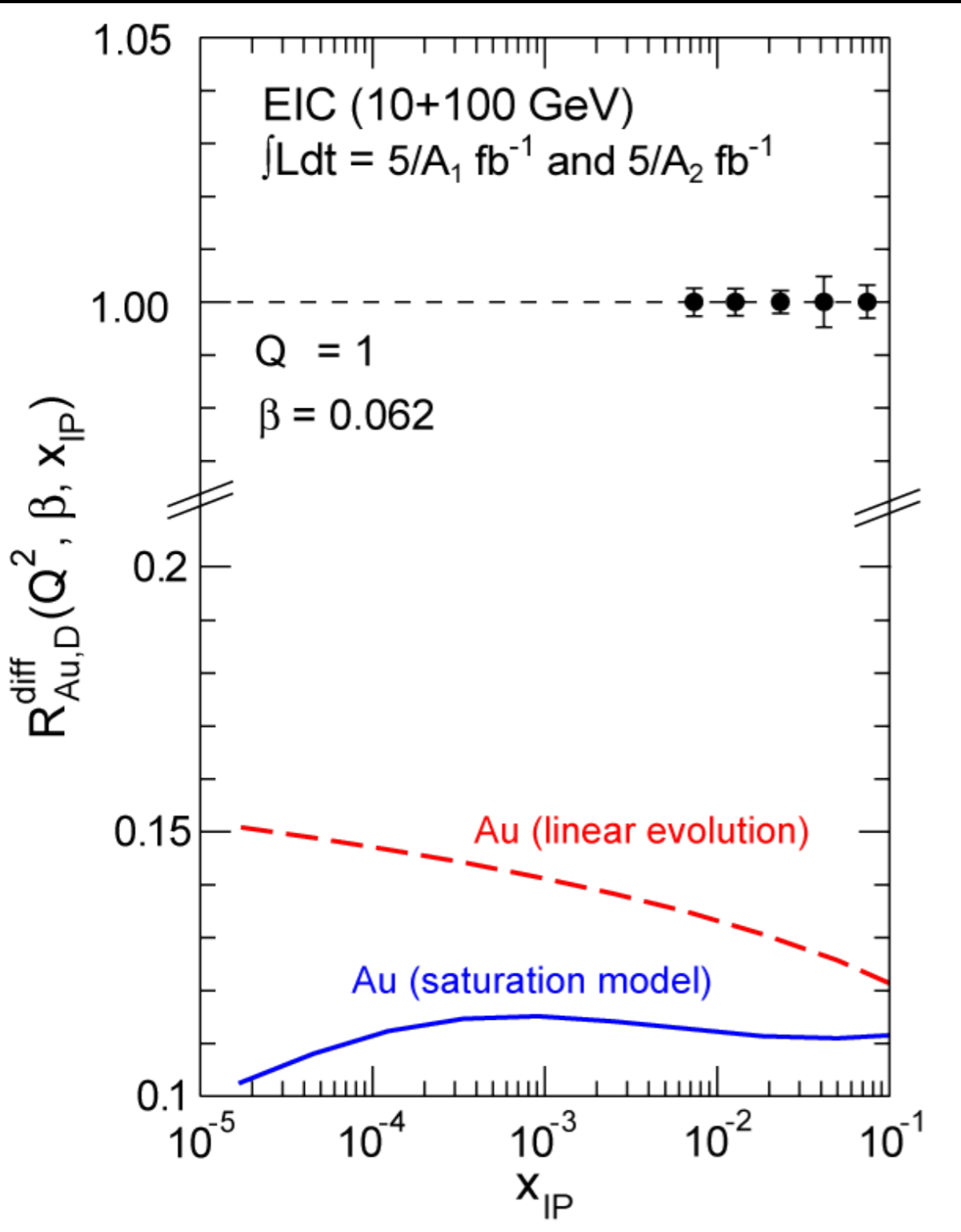
## Diffractive event



Activity in proton direction

- HERA/ep: 15% of all events are hard diffractive
- Diffractive cross-section  $\sigma_{\text{diff}}/\sigma_{\text{tot}}$  in  $e+A$ ?
  - Predictions: ~25-40%?
- Look inside the "Pomeron"
  - Diffractive structure functions
  - Diffractive vector meson production  $\sim [G(x, Q^2)]^2$

# Diffractive Structure Function $F_2^D$



$$\frac{d^4\sigma^{eA \rightarrow eAX}}{dx dQ^2 d\beta dt} = \frac{4\pi\alpha_{e.m.}^2}{\beta^2 Q^4} \left[ \left( 1 - y + \frac{y^2}{2} \right) F_2^D - \frac{y^2}{2} F_L^D \right]$$

$x_{\text{IP}}$  = momentum fraction of the pomeron w.r.t the hadron

- ⇒ Distinguish between linear evolution and saturation models
- ⇒ Insight into the nature of pomeron
- ⇒ Search for exotic objects (Odderon)

# Connection to Other Fields

