

# Theoretical Review of Dileptons from Heavy Ion Collisions

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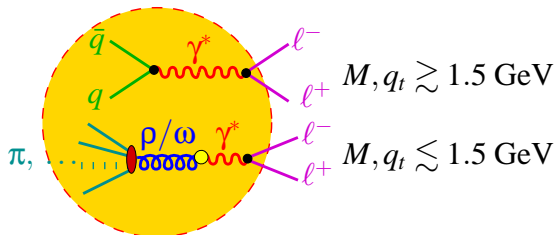
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- 1 QCD, Chiral Symmetry, and Dileptons
- 2 Hadronic Models in Medium
- 3 Models vs. Experiments
- 4 Sensitivities to QCD Matter
- 5 Conclusions

# Dileptons and in-medium em. current correlation function



- **Dilepton emission rate** [McLerran, Toimela 85]

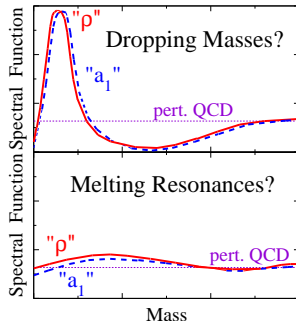
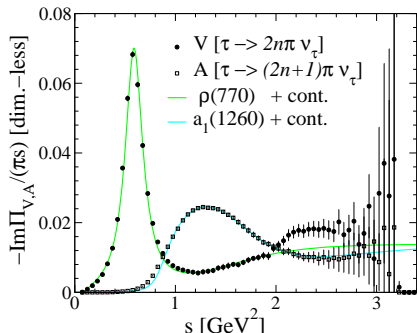
$$\frac{dN_{e^+e^-}}{d^4x d^4q} = -g^{\mu\nu} \frac{\alpha_{\text{em}}^2}{3q^2 \pi^3} \text{Im} \Pi_{\mu\nu}^{(\text{em})}(q) \Big|_{q^2=M_{e^+e^-}^2} f_B(q_0)$$

$$\Pi_{\mu\nu}^{(\text{em})}(q) = \int d^4x \exp(iq \cdot x) \Theta(x_0) \left\langle \left[ j_{\mu}^{(\text{em})}(x), j_{\nu}^{(\text{em})}(0) \right] \right\rangle_T$$

- $l^+l^-$  spectra  $\Leftrightarrow$  **in-medium em. current-current correlator**
- **Vector dominance**  $\Rightarrow$  **in-medium modifications of vector mesons!**

# Chiral Symmetry Restoration

- light-quark sector of QCD: **chiral symmetry**
  - spontaneously broken in vacuum ( $\langle \bar{q}q \rangle \neq 0$ )
  - high temperature/density: **restoration of chiral symmetry**
  - Lattice QCD:  $T_c^X \simeq T_c^{\text{deconf}}$



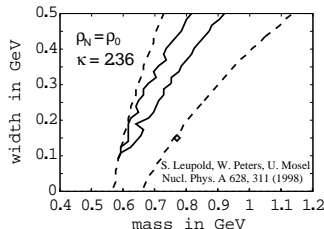
- **Mechanism** of chiral restoration?
  - "**dropping masses**":  $m_{\text{had}} \propto \langle \bar{\psi}\psi \rangle$
  - "**melting resonances**": broadening of spectra through medium effects

# Weinberg sum rules

$$M_n = - \int_0^\infty \frac{ds}{\pi} s^n [\text{Im } \Pi_V(s) - \text{Im } \Pi_A(s)]$$
$$M_{-2} = \frac{1}{3} f_\pi^2 \langle r_\pi^2 \rangle - F_A, \quad M_{-1} = f_\pi^2$$
$$M_0 = 0, \quad M_1 = c\alpha_s \langle (\bar{q}q)^2 \rangle$$

[Weinberg 67; Das et al 67; Kapusta, Shuryak 93]

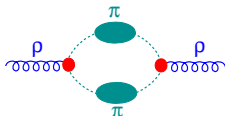
- theory connection of **chiral symm. restoration** with dileptons in HICs
  - $\Pi_V, \Pi_A$  from **chiral hadronic model** at finite  $T, \mu_B$
  - compare  $M_n(T, \mu_B)$  to **IQCD chiral order parameters at finite  $T$**
  - compare  $\Pi_V$  from **hadronic model** to dileptons from HICs
- also QCD sum rules
  - relate **current correlators** to **condensates**
  - VMD  $\Leftrightarrow$  **vector-meson spectral functions**



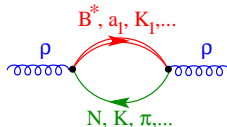
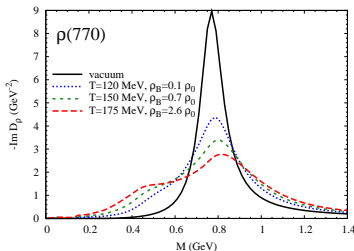
# Hadronic many-body theory

- pion-cloud modifications and **baryonic/mesonic excitations**

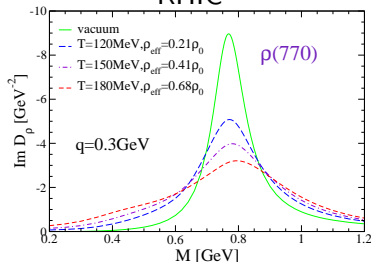
[Chanfray et al, Herrmann et al, Ko et al, Rapp et al, Klingl et al, Post et al, Friman et al, . . .]



SPS



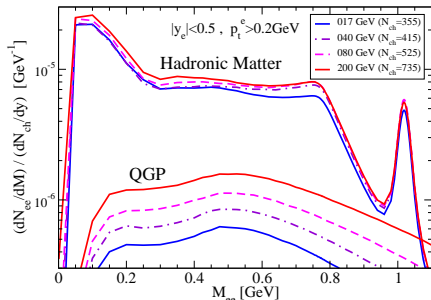
RHIC



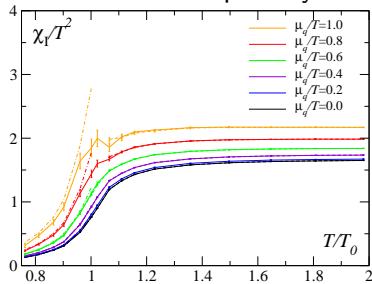
- **substantial broadening of vector mesons with little mass shift!**
  - baryon effects prevalent ( $\rho_B + \rho_{\bar{B}}$ , not  $\rho_B - \rho_{\bar{B}}$ , relevant!)
  - different approaches consistent if constrained by data ( $\gamma N, \gamma A, \pi N \rightarrow \rho N$ )

# Hadronic models vs. lattice QCD

Dilepton Excitation Function in Central Au-Au ( $N_{\text{part}}=330$ )



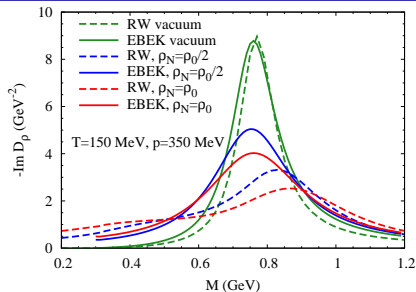
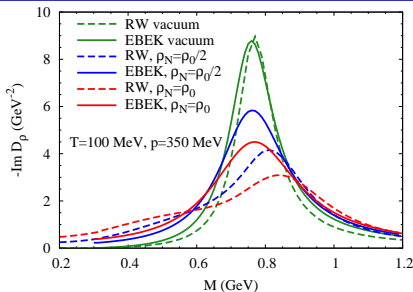
Isovector Susceptibility



$$\chi_{q,I} = \frac{\partial p}{\partial \mu_{q,I}}, \quad \mu_q = \mu_u + \mu_d, \quad \mu_I = \mu_u - \mu_d$$

- excitation function from top SPS to top RHIC energies:
  - little change in hadronic contribution [Rapp 02]
- IQCD: Smooth behavior of susceptibilities in  $I = 1$  channel [Allton et al 04]
  - consistent with no mass shift in  $I = 1$  channel
  - NB:  $\chi_q$  ( $I = 0$ ) shows peak at  $T \rightarrow T_c$ : signature of phase transition!

# $\rho$ meson in hot hadronic matter

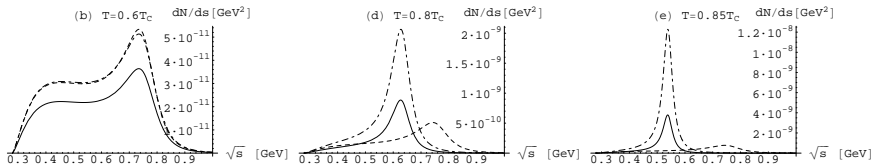


- **EBEK:** [Eletsky, Belkacem, Ellis, Kapusta 01]
  - empirical  $\rho + B/M$  scattering amplitudes + Pomeron/Regge background
  - $T\rho$  approximation for finite-T effects
- **RW:** Hadronic many-body theory [Rapp, Wambach 99]
- **Somewhat different results**
  - more broadening and level repulsion:  
in-med modifications of pion-cloud +  $\rho BN$  interactions



# Chiral approaches

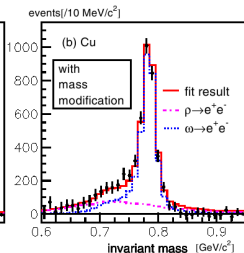
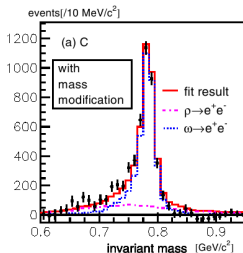
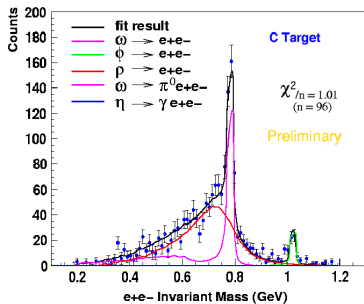
- Chiral reduction formalism [Steele et al 96]
  - leading order in  $\pi$  and  $N$  density + chiral reduction formulas
  - ⇒ in-medium current correlators in terms of vacuum correlators
  - no Dyson resummation!
- Hidden local symmetry [Bando et al 85; Harada, Yamawaki 01,...]
  - Vector manifestation of chiral symmetry:  $\rho_{\text{long}}$  chiral partner of  $\pi$
  - ⇒ dropping  $\rho$  mass + violation of vector dominance ( $T > T_{\text{flash}} = 0.7T_c$ )



[Harada, Sasaki 07]

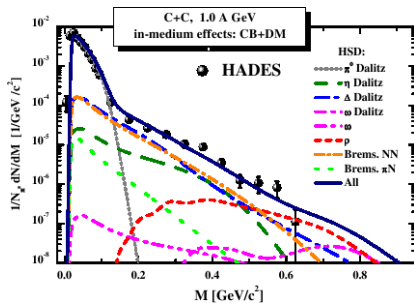
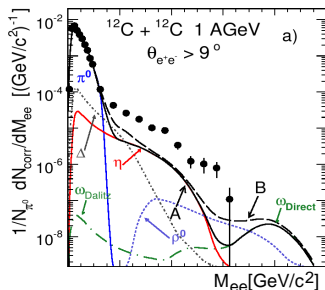
- dilepton rates similar to more simple dropping mass models

# Elementary reactions ( $\gamma + A, p + A$ )



- left: JLab  $\gamma + A \rightarrow e^+ + e^-$  [CLAS Collab. 07]
  - Theory: Boltzmann Uehling Uhlenbeck (BUU) transport [Effenberger et al 00]
  - good agreement: **no mass shift, broadening of the  $\rho$ :  $\Gamma_\rho \sim 220$  MeV**
- right: KEK  $p+A \rightarrow e^+ + e^-$  [E325 Collaboration 07]
  - fit to dropping-mass ansatz:  $m^*/m = (1 - C\rho/\rho_0)$
  - $C = 0.092 \pm 0.002$ , no broadening**
  - Contradiction with JLab**
  - $\rho/\omega$  ratio small; yield for  $M > 0.85$  GeV?

# 1-2 AGeV A-A: HADES and DLS

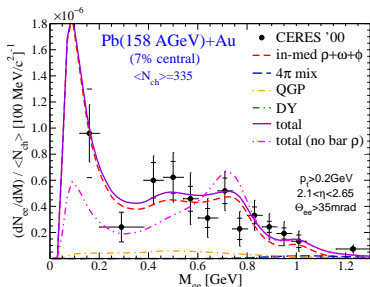


- HADES confirms DLS
- Theory: transport model (HSD); coll. broadening + dropping mass [Bratkovskaya, Cassing 07]
  - moderate sensitivity to vector-meson medium effects!
  - solution of DLS puzzle
    - improved  $e^+e^-$  Bremsstrahlung [de Jong, Mosel 97; Kaptari, Kämpfer 06]
    - updated  $\eta$ - and  $\Delta$ -Dalitz contributions

# CERES vs. Hadronic many-body theory

- Dilepton emission from thermal source
- thermal fireball evolution (isentropic QGP/MIX + hadron gas)

$$\frac{dN_{\ell\ell}^{\text{therm}}}{dM} \propto - \int_{\text{FB}} d^4x \int \frac{d^3q}{Mq_0} \text{Im} \Pi^{(\text{em})}(q_0, \vec{q}) f_B(q_0) \text{Acc}$$

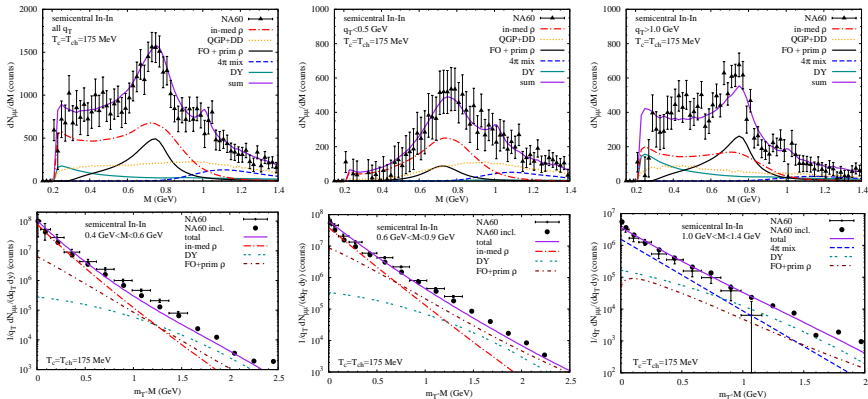


- **baryon effects** essential!
  - many-body effects  $\Leftrightarrow$  very low-mass excess

[HvH, R. Rapp 07]

# NA60 vs. Hadronic many-body theory + HR fireball

- $\rho$ ,  $\omega$ ,  $\phi$  multi- $\pi$ , QGP, freeze-out + primordial  $\rho$ , Drell-Yan



- $M$  spectra

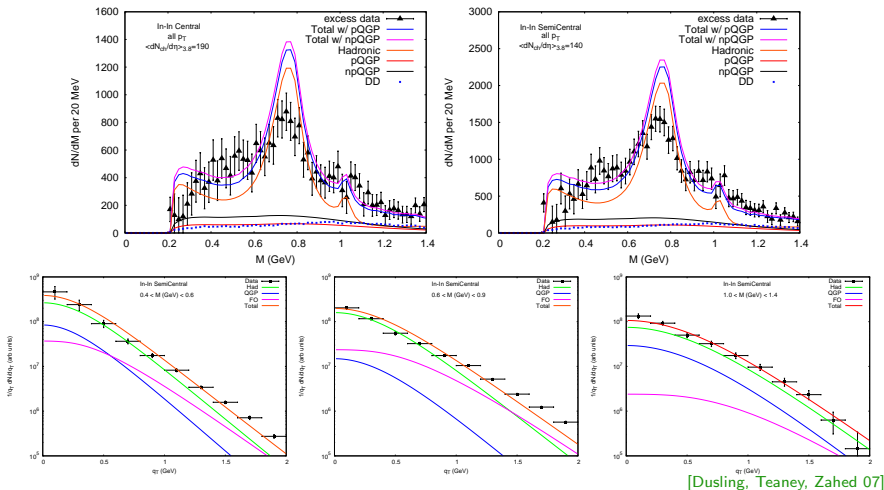
[HvH, Rapp 07]

- consistent with predicted broadening of  $\rho$  meson
- $M < 1\text{ GeV}$ : thermal  $\rho$ ;  $M > 1\text{ GeV}$ : thermal multi-pion processes

- $m_t$  spectra

- $q_t < 1\text{ GeV}$ : thermal radiation
- $q_t > 1\text{ GeV}$ : freeze-out + hard primordial  $\rho$ , Drell-Yan

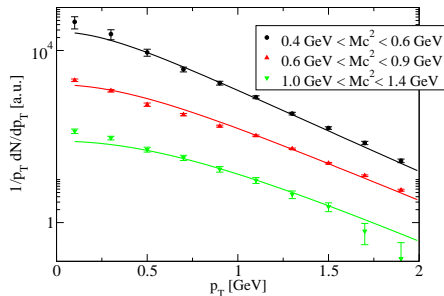
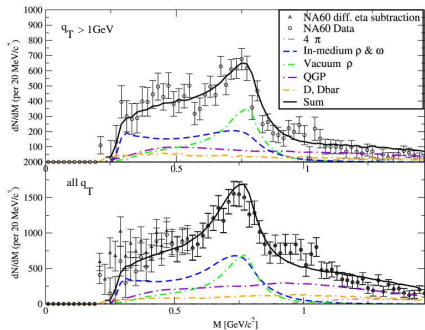
# NA 60 vs. Chiral reduction formalism + hydrodynamics



[Dusling, Teaney, Zahed 07]

- low-mass + IMR spectrum described
- $\rho$ : lack of broadening (due to low-density approximation)
- $q_T$  spectra: only thermal + freezeout, no primordial  $\rho$

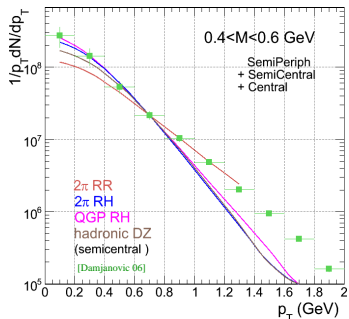
# NA60 vs. empirical spectral functions + RR fireball



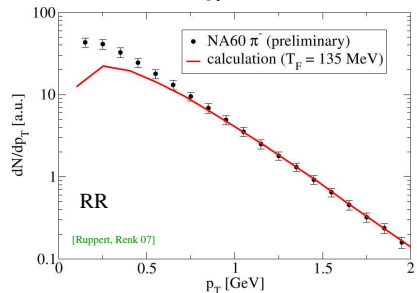
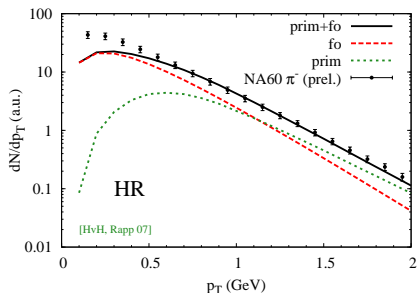
[Ruppert et al 07]

- only thermal + freeze-out
- large QGP contribution
- sensitivity of spectral functions to data?!

# Sensitivity I: Fireball models vs. hydrodynamics

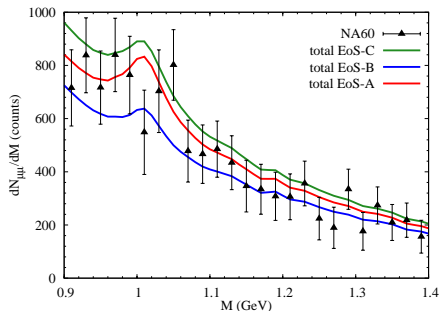
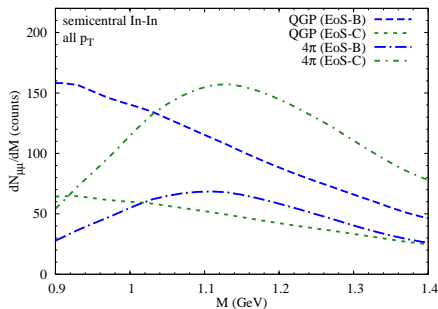


- HR fireball [HvH, Rapp 06, 07]
  - thermal dileptons: agrees with hydro
  - pions: need "primordial" hard comp.
    - low  $p_T$ : resonance decays
    - consistent with measured  $R_{AA}^{(\pi)}$
- RR fireball [Ruppert, Renk 07]
  - dileptons: harder than hydro
  - pions: thermal only





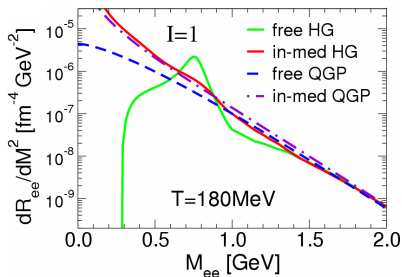
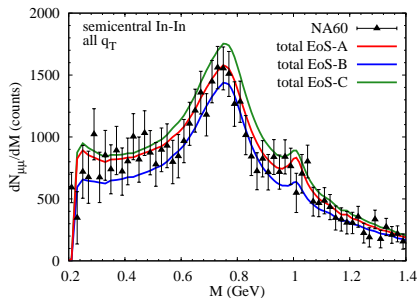
# Sensitivity II: Intermed. mass region – QGP vs. hadron gas



[HvH, Rapp 07]

- EoS-B:  $T_c = T_{\text{chem}} = 160 \text{ MeV}$  (large QGP part)  
EoS-C:  $T_c = 190 \text{ MeV}$ ,  $T_{\text{chem}} = 160 \text{ MeV}$  (small QGP part)
- volume  $\leftrightarrow T$ : emission dominated by temperatures around  $T_c$   
(QGP vs. high-density hadronic phase)
- description of spectra comparable for different EoS

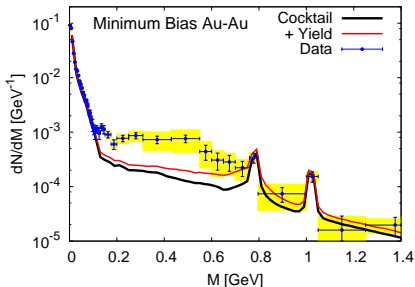
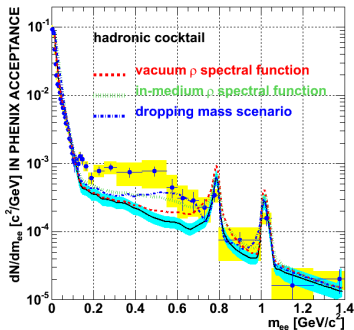
# Sensitivity III: Critical temperature and freeze-out



- EoS-A:  $T_c = T_{\text{chem}} = 175 \text{ MeV}$ ; 
 EoS-B:  $T_c = T_{\text{chem}} = 160 \text{ MeV}$   
EoS-C:  $T_c = 190 \text{ MeV}$ ,  $T_{\text{chem}} = 160 \text{ MeV}$ 
  - norm depends on  $t_{\text{fireball}}$  (kept fixed here)!
  - description of spectra comparable
  - reason for insensitivity to EoS and hadro-chemistry [HvH, Rapp 07]:
  - hadronic and partonic radiation "dual" for  $T \sim T_c$   
 (pQCD:  $\Pi_V \equiv \Pi_A \Rightarrow$  compatible with chiral symmetry restoration!)

# PHENIX $e^+e^-$ -mass spectrum

min. bias 200 A GeV Au+Au  
minimum bias Au+Au @  $\sqrt{s} = 200$  GeV



- chiral reduction formalism

[Dusling, Zahed 07]

(central scaled by  $N_{\text{part}}$ )

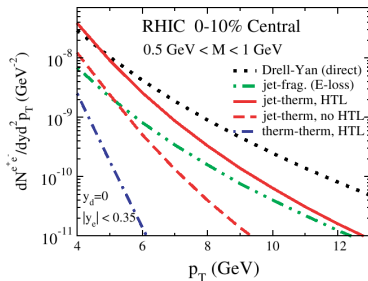
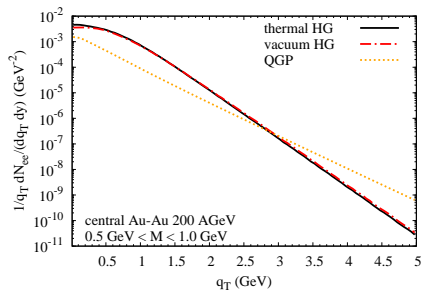
- hadronic many-body theory

[Rapp 01, 02]

(for  $N_{\text{part}} = 125$ )

- LMR enhancement cannot be described!

# Predictions: $e^+e^-$ - $q_T$ spectra at RHIC



- theory: thermal [Rapp 08 (unpublished)]; hard contributions [Turbide et al 06]
- hard contributions (jet-thermal) take over for  $q_T \gtrsim 3 \text{ GeV}$

# Conclusions and Outlook

- Models for vector ( $\rho$ ) mesons in medium
  - hadronic many-body theory
    - broadening, small mass shifts of spectra (baryon effects prevalent)
    - hadron-parton duality of dilepton rates (QGP portion depends on  $T_c$ )
  - chiral reduction formalism
    - low-density approximation, no broadening
  - HLS+Vector Manifestation
    - dropping mass, no vector dominance near  $T_c$
- Theory vs. Experiment
  - Elementary reactions
    - JLAB: BUU transport with broadening (with no mass shift)
    - KEK: Dropping-mass ansatz
  - Heavy-ion collisions
    - HADES (DLS): HSD transport; improved Bremsstrahlung and  $\Delta$  Dalitz
    - CERES, NA60: Hadronic many-body theory robust due to duality involved mix of contributions at high  $q_T$
    - PHENIX: Low-mass enhancement can not be described!

- Not covered in this talk: Thermal Photons
  - Same em. correlator as for dileptons!
  - Hadronic many body theory: improvement in description of WA98 data  
[Liu, Rapp 06]
  - Possibility to measure  $T_{\text{initial}}$ :

$$\frac{dN_{\ell\ell}/dq_T}{dN_{\gamma}/dq_T}$$

[Alam et al 07]

- Connection between chiral symmetry restoration and dilepton data
  - hadronic chiral model at finite  $T \Rightarrow \Pi_V$  and  $\Pi_A$
  - confront  $\Pi_V$  with dilepton data
  - check moments of  $\Pi_V - \Pi_A$  with IQCD via Weinberg sum rules